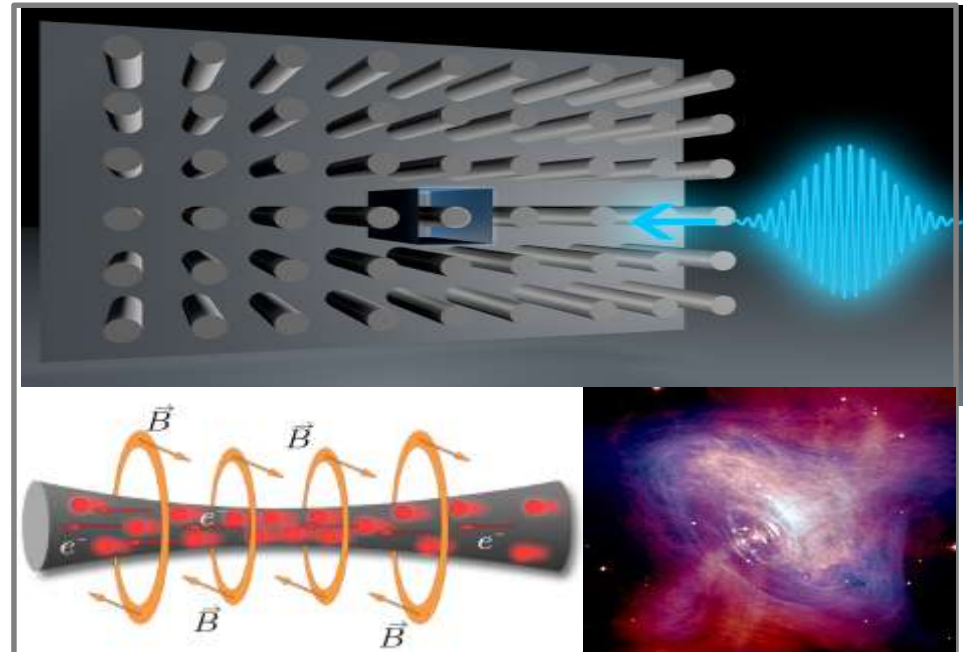


Laser absorption in plasmas: from nano-targets to QED regime

A. Pukhov, V. Kaymak, Ch. Baumann, HHUD, Germany

E. Nerush, I. Kostyukov, IAP RAS, Russia

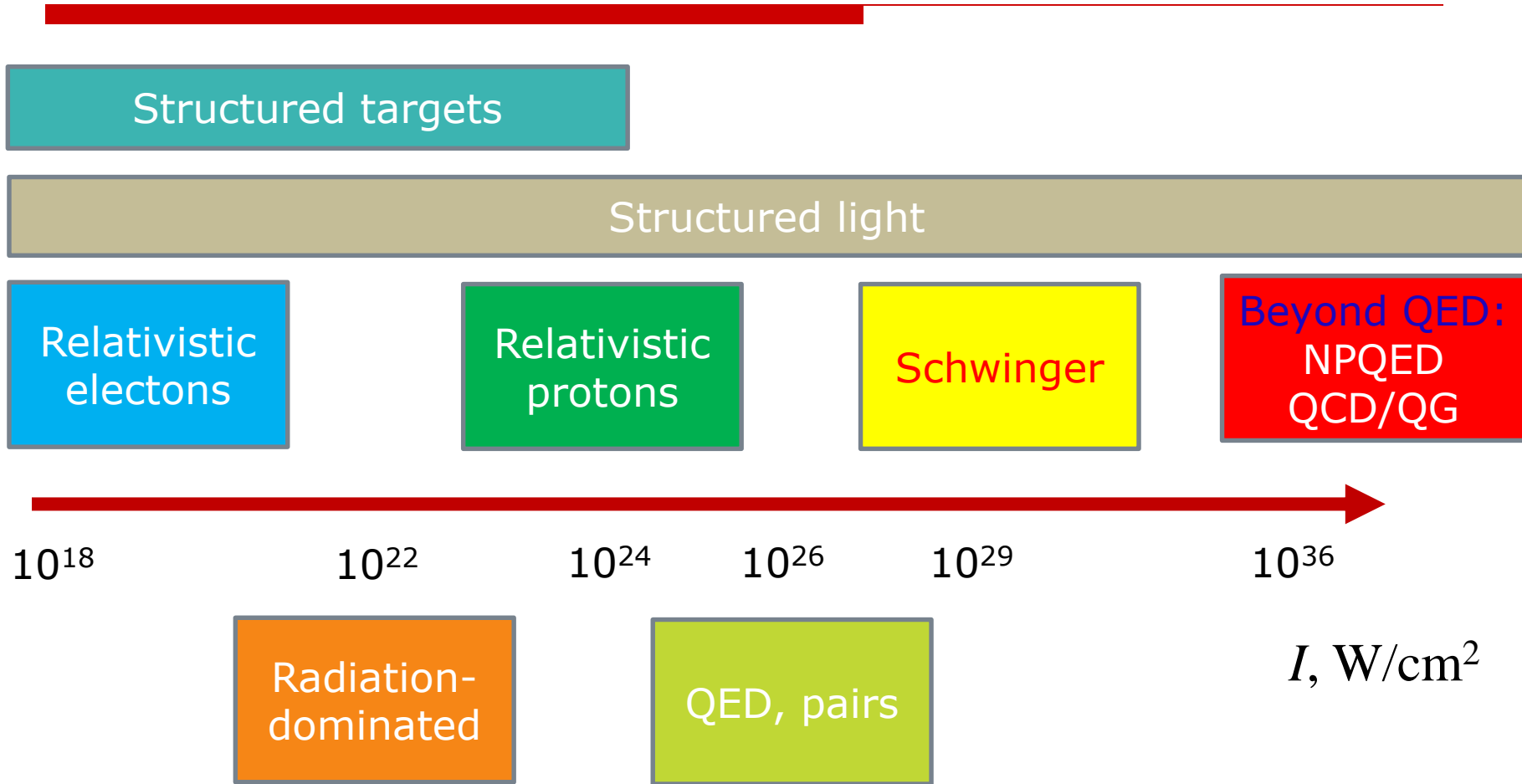
J. Rocca, S. Shlyaptsev CSU, U.S.A.



Outline

- **Nanostructured targets:**
 - relativistic plasma nano-photonics
 - **Relativistic nano-pinch**
 - **Ultra-High Energy Density and Terabar pressures**
 - **Structured light with orbital moment:
attosecond electron bunches**
 - **Energy conversion channels in QED regime**
 - **Path beyond QED: non-perturbative regime $\alpha\chi^{2/3} > 1$**
-

New physics at high intensities



Structured plasmas: Relativistic plasma nano-photonics

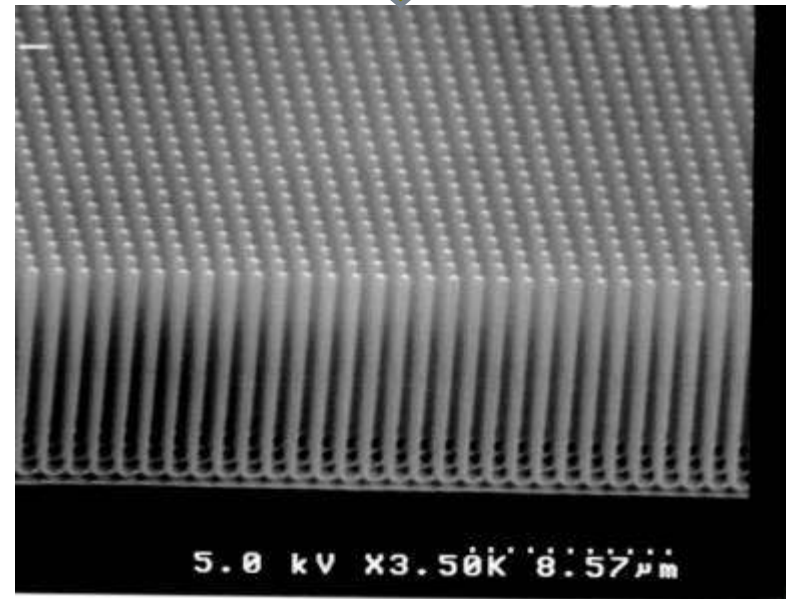
Purvis et al. *Nature Photonics* (2013)

“**Nanograss**”:
array of nanowires.

Structured material
of high average density

- What is the absorption mechanism?
- Is it a way to create **high density hot plasma**?
- What is the optimal structure?
- New nonlinear physics

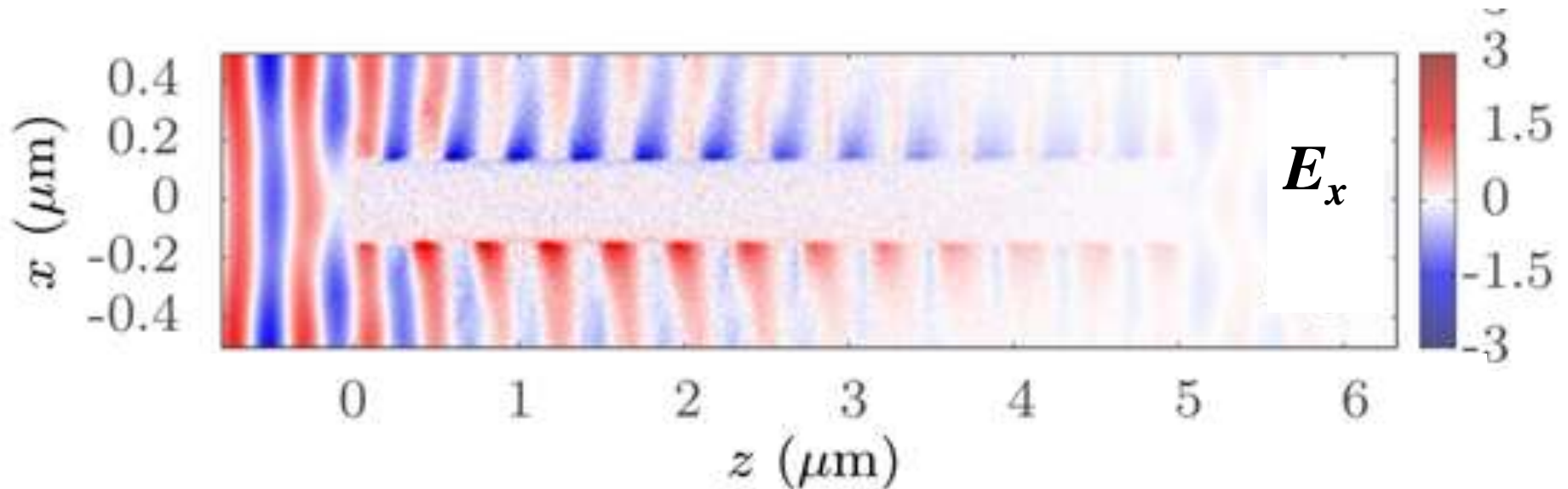
Laser, $10^{18} \dots 10^{22} \text{ W/cm}^2$



RAC Nanotech LLC

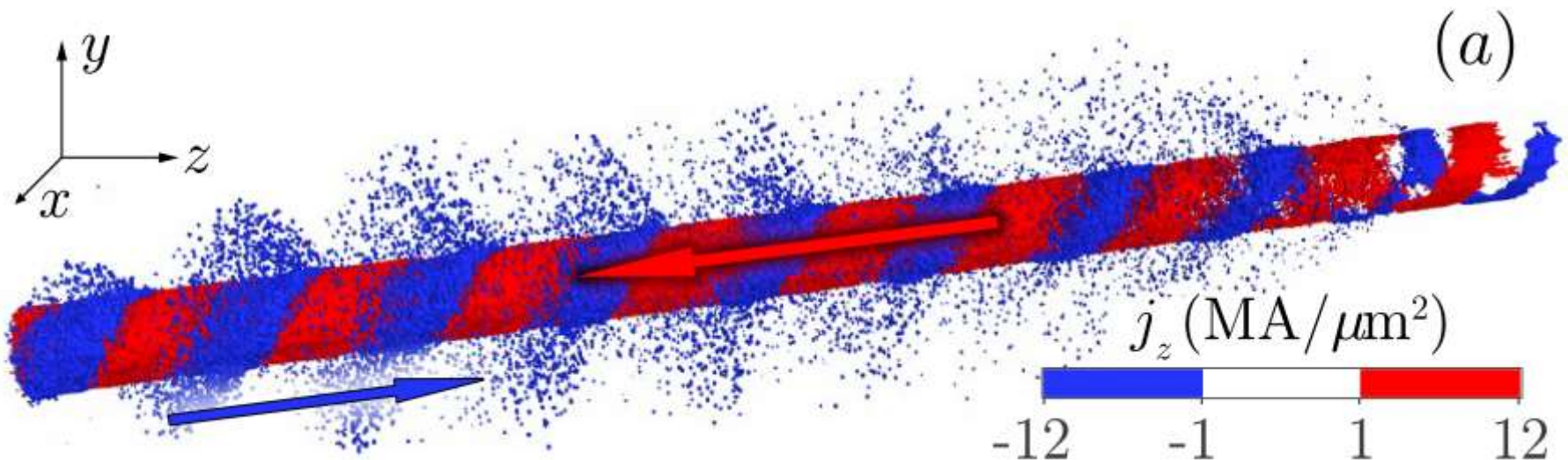
Laser wave propagation inside the nanowire array

The head of a 400nm laser pulse penetrating the nanowire array



Nanoscale Ultradense Z -Pinch

Longitudinal current distribution

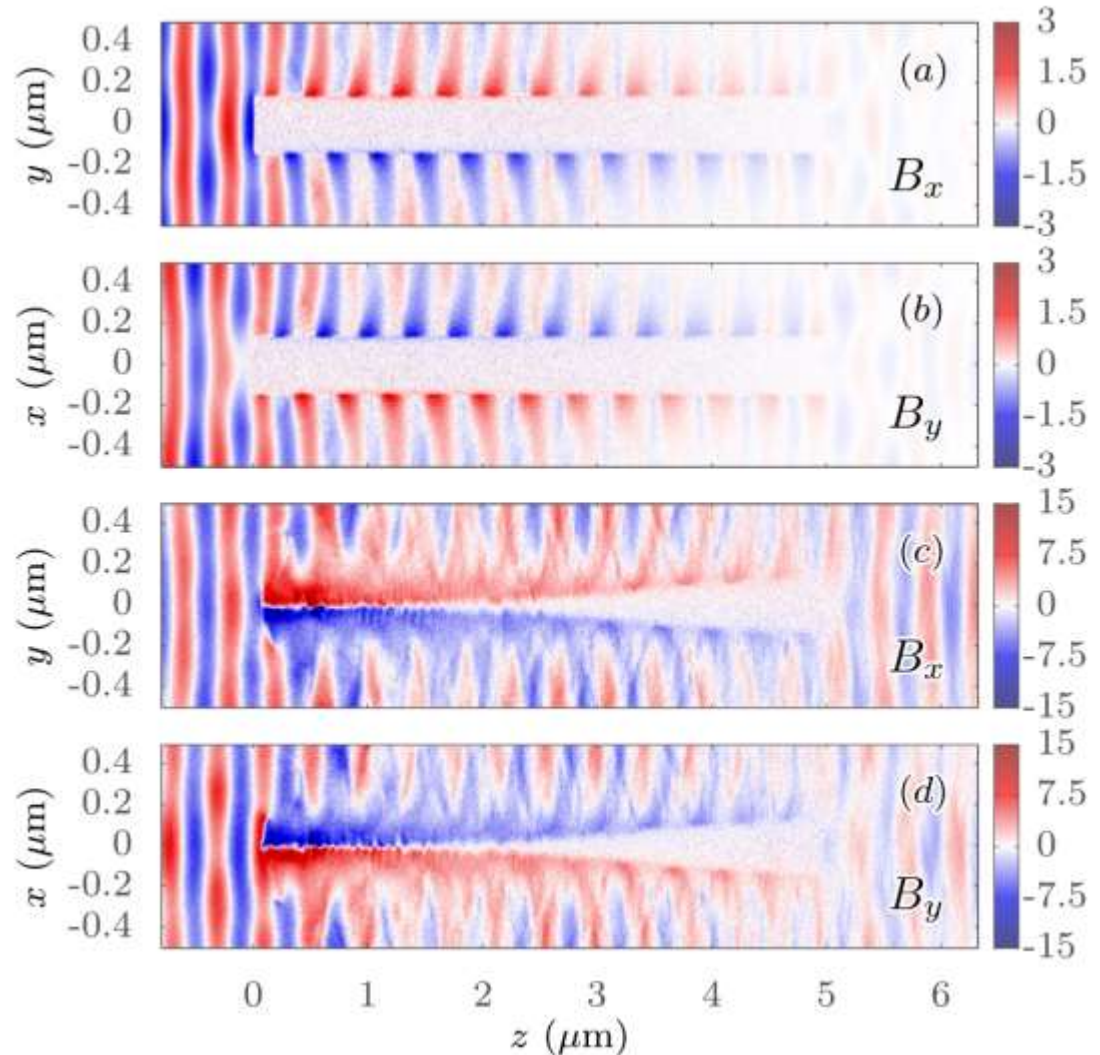


Nanoscale Ultradense Z-Pinch

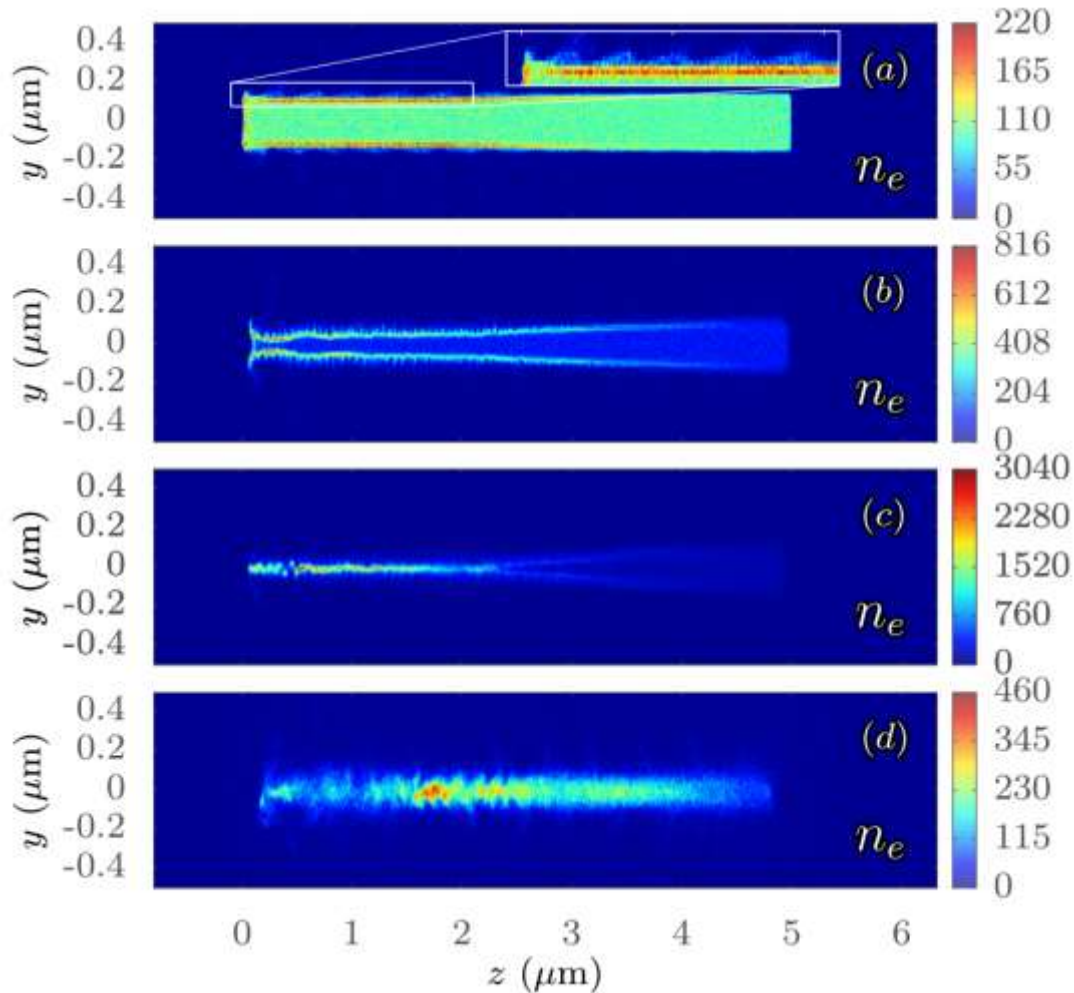
The quasistatic
B-field around
the nanorods
is larger than
the laser field

$B > 150$ kT

$eB/mc\omega = 15$



Nanoscale Ultradense Z -Pinch



**Evolution
of electron
density**

**Passage through
the pinch**

Ultra-High Energy Density Plasmas

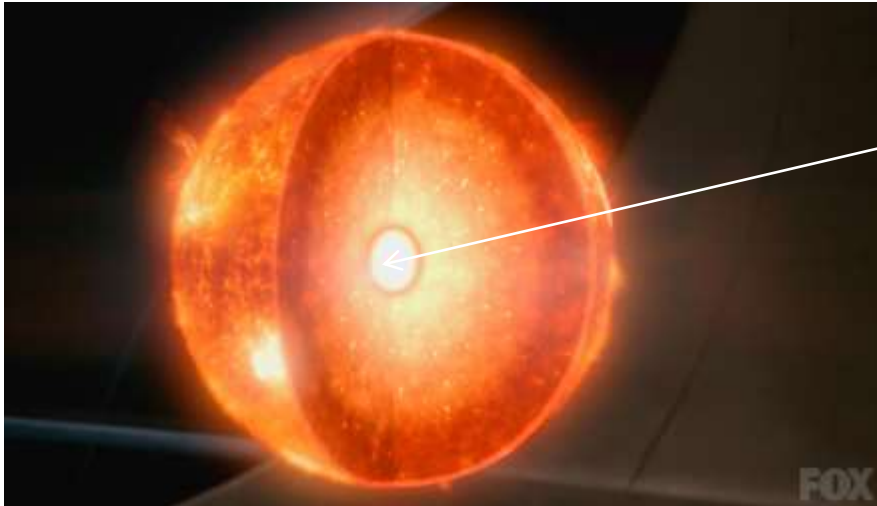
Arrays of nanowires allow for high density high temperature plasmas

Can we scale it to Terabar Pressures near thermal equilibrium?

What is the possible energy density?

Path to Extreme pressures by irradiation of aligned nanowire arrays

Rocca et al. LASER FOCUS WORLD 53 (5), 21-26 (2017)

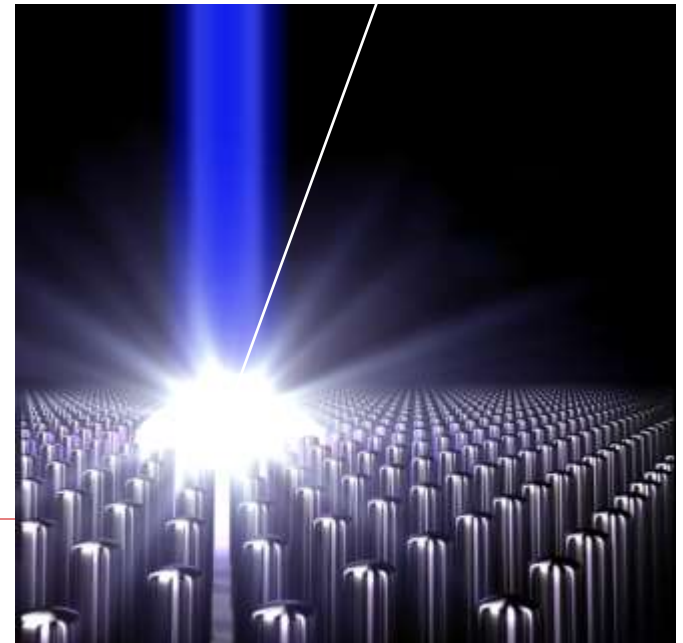
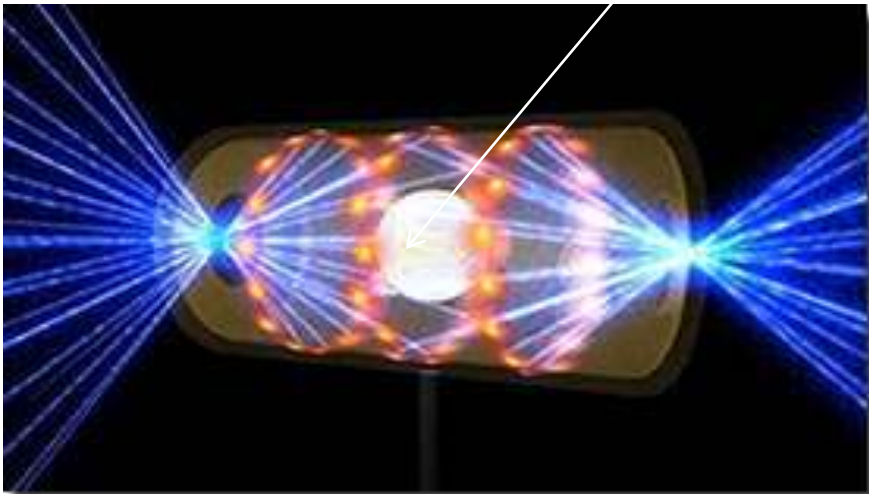


Sun Core
240 Gbar

Nanowire array plasma

$$I = 1 \times 10^{22} \text{ W cm}^{-2}$$

NIF Implosion
150 Gbar



Ultra-High Energy Density Plasmas for efficient picosecond X ray sources

Required conditions:

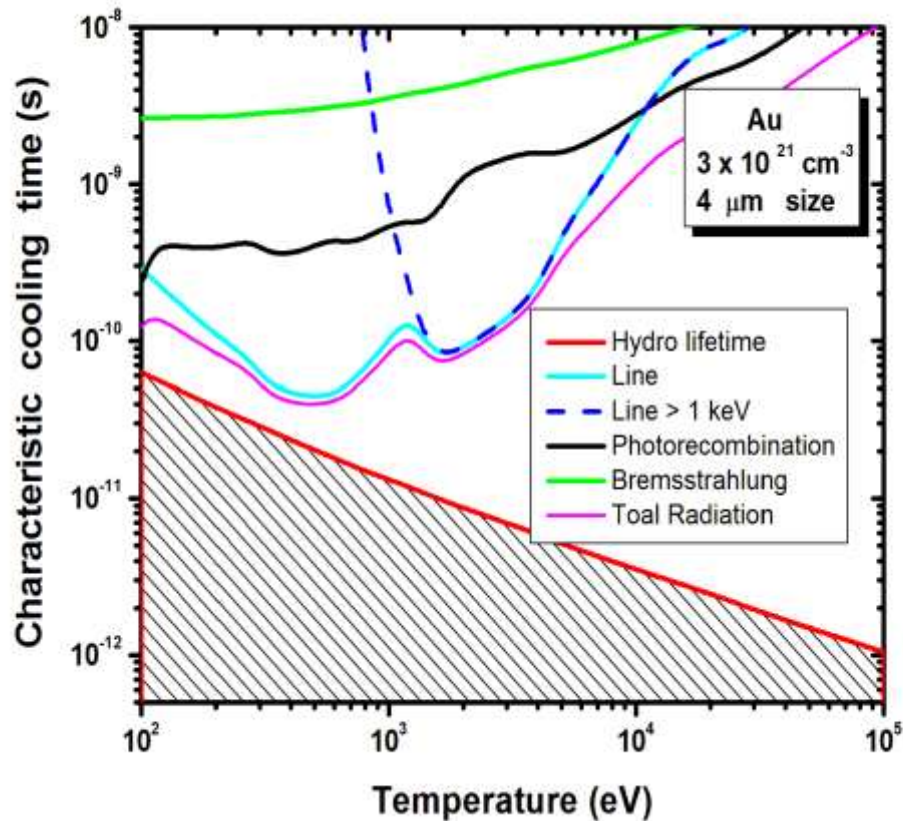
Hydrodynamic confinement time
longer than radiative cooling time:

$$T_{\text{conf}} > T_{\text{cool}}$$

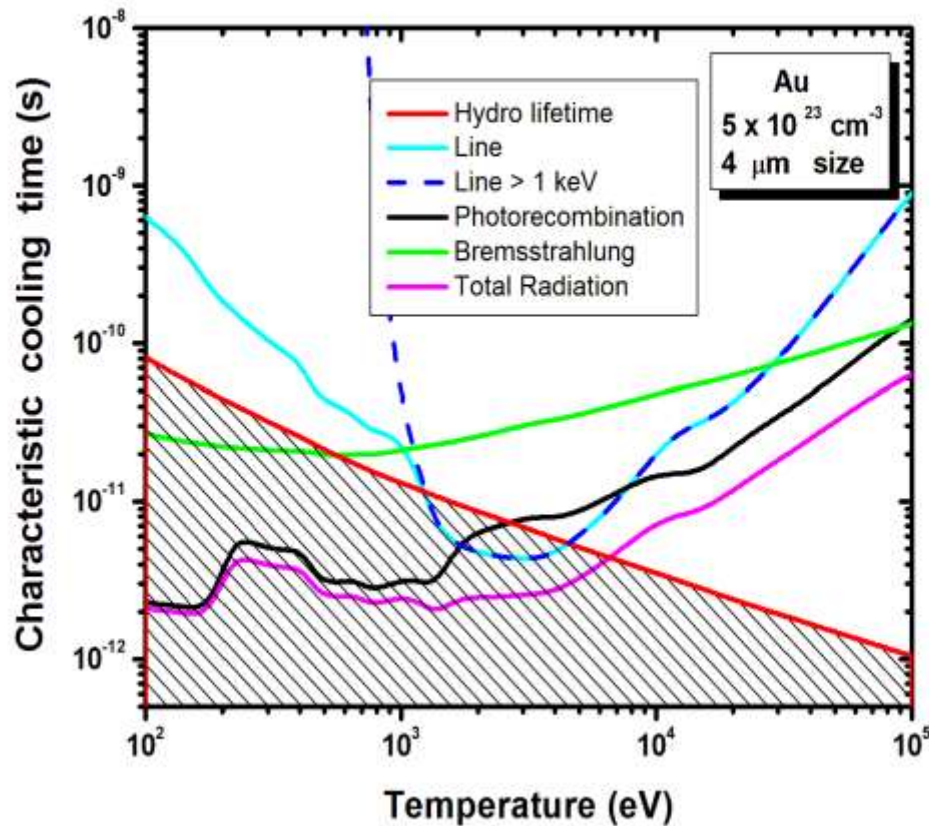
Fast thermal equilibration:

$$T_{\text{conf}} > T_{\text{equil}}$$

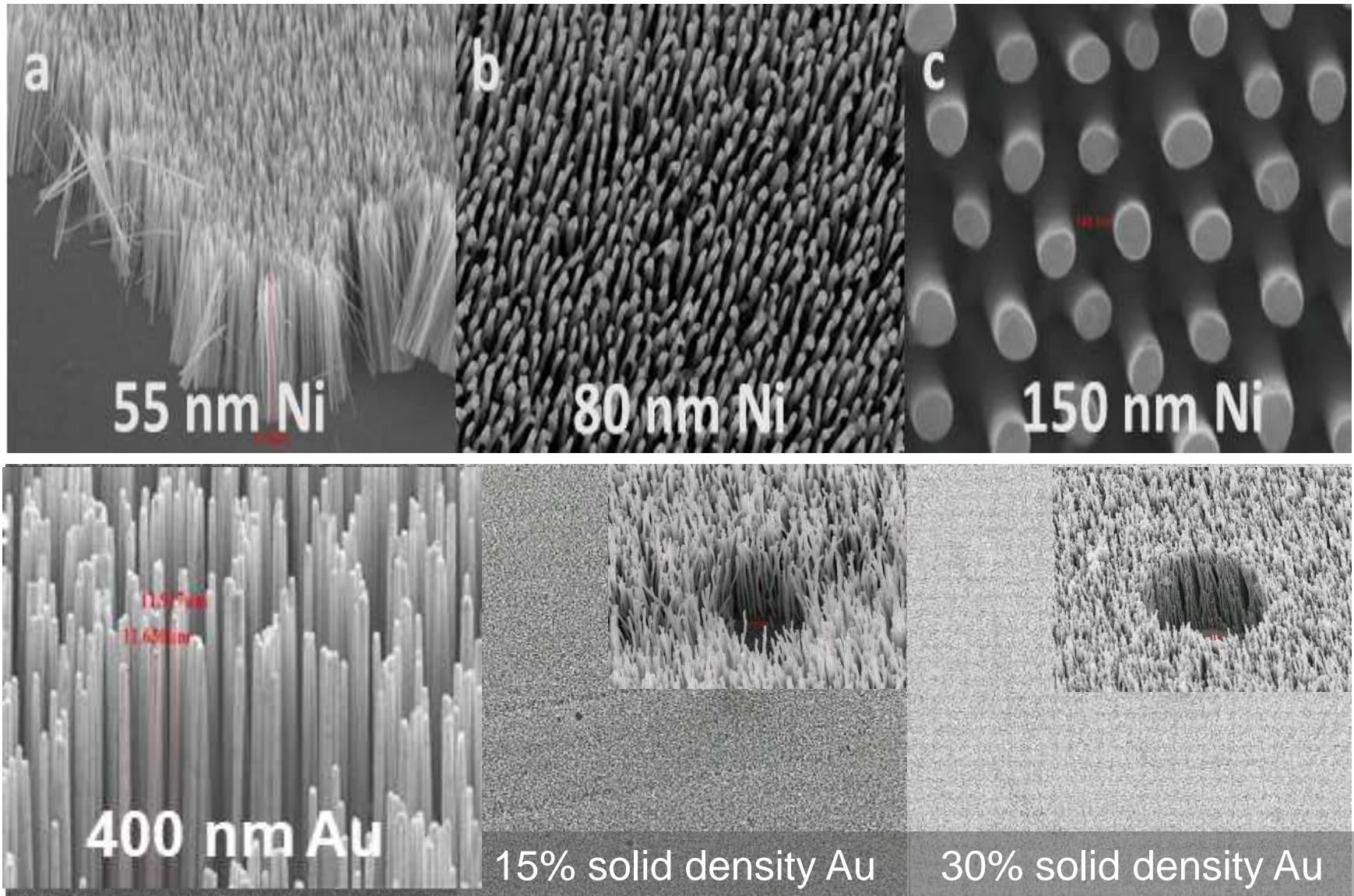
Lifetimes of plasma at the critical density for 400nm light



Lifetimes of plasma at $100\times n_c$ for 400nm light

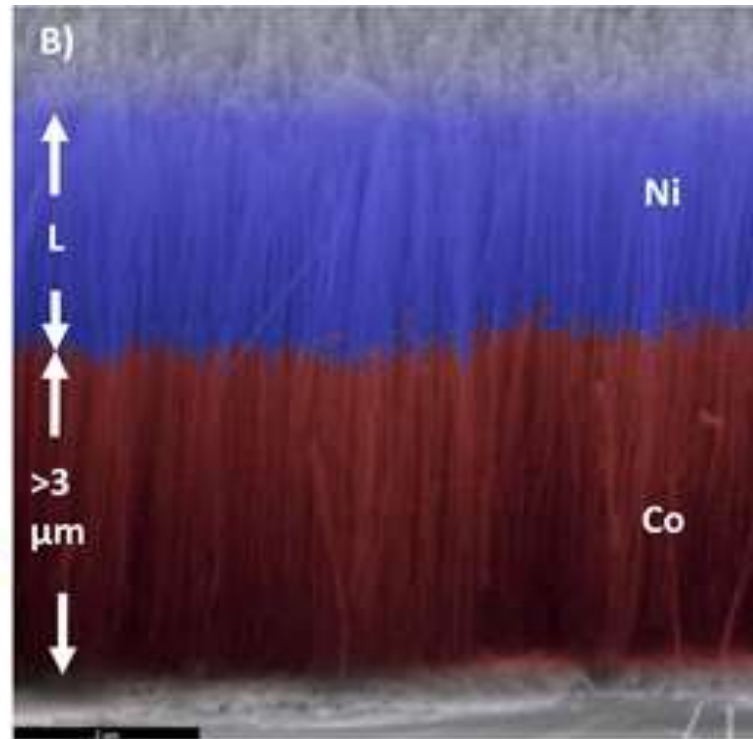
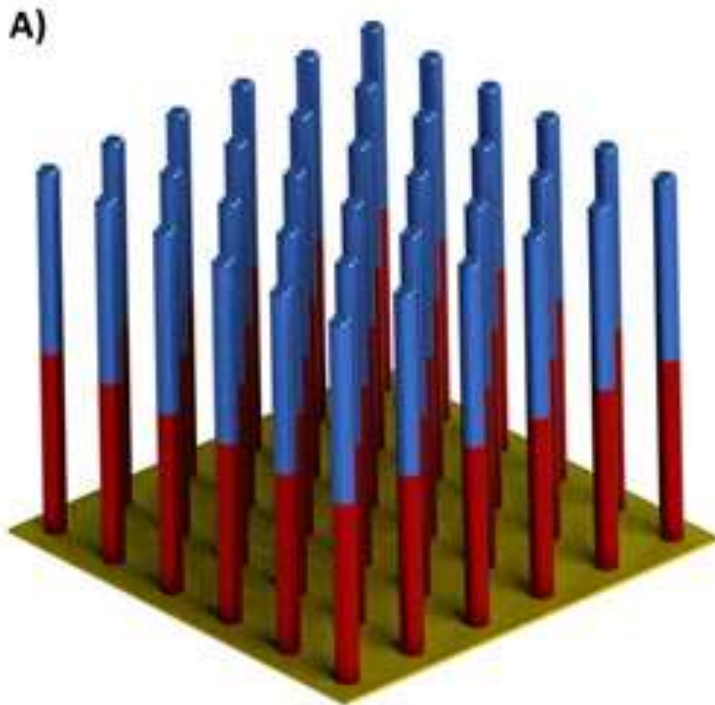


Nanowire array SEM Images

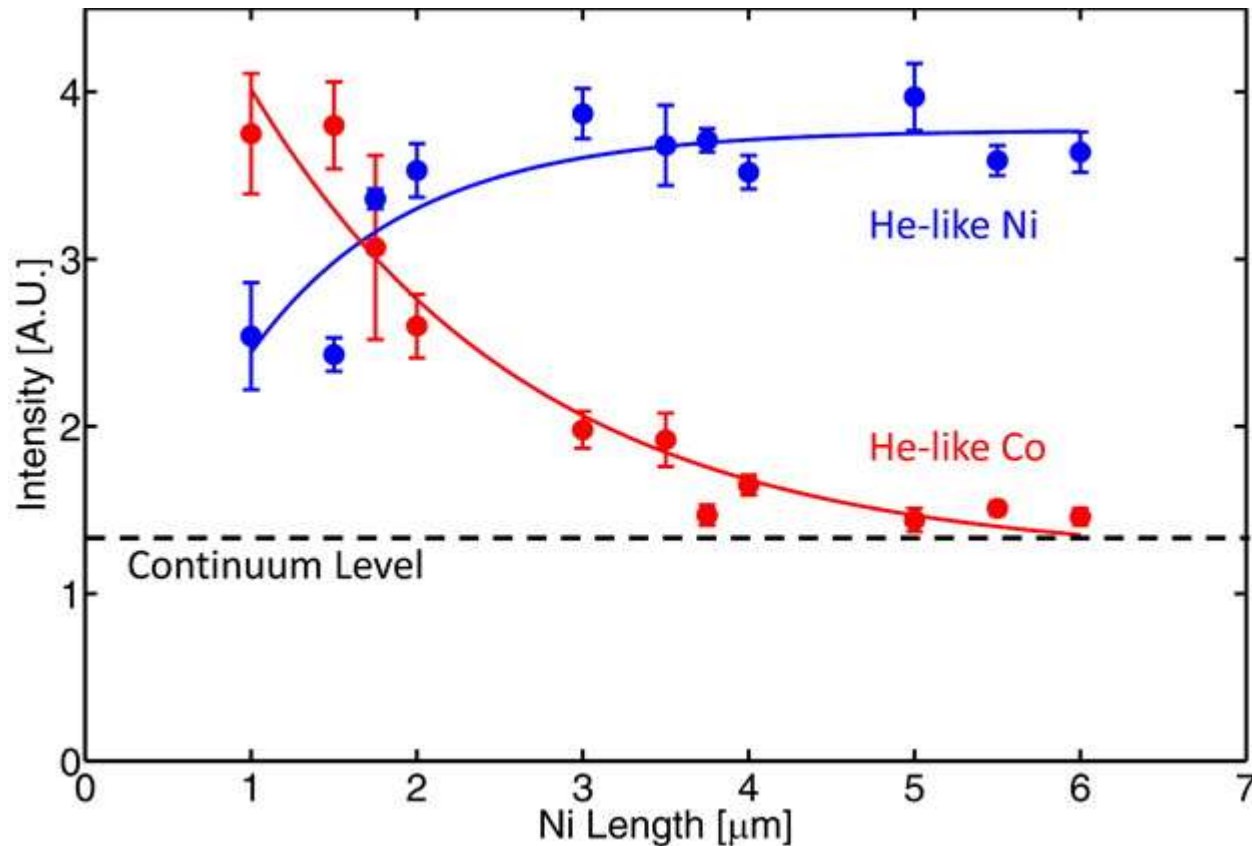


Ultra-High Energy Density Plasmas

Experiment at Colorado State University with composite nanowire arrays

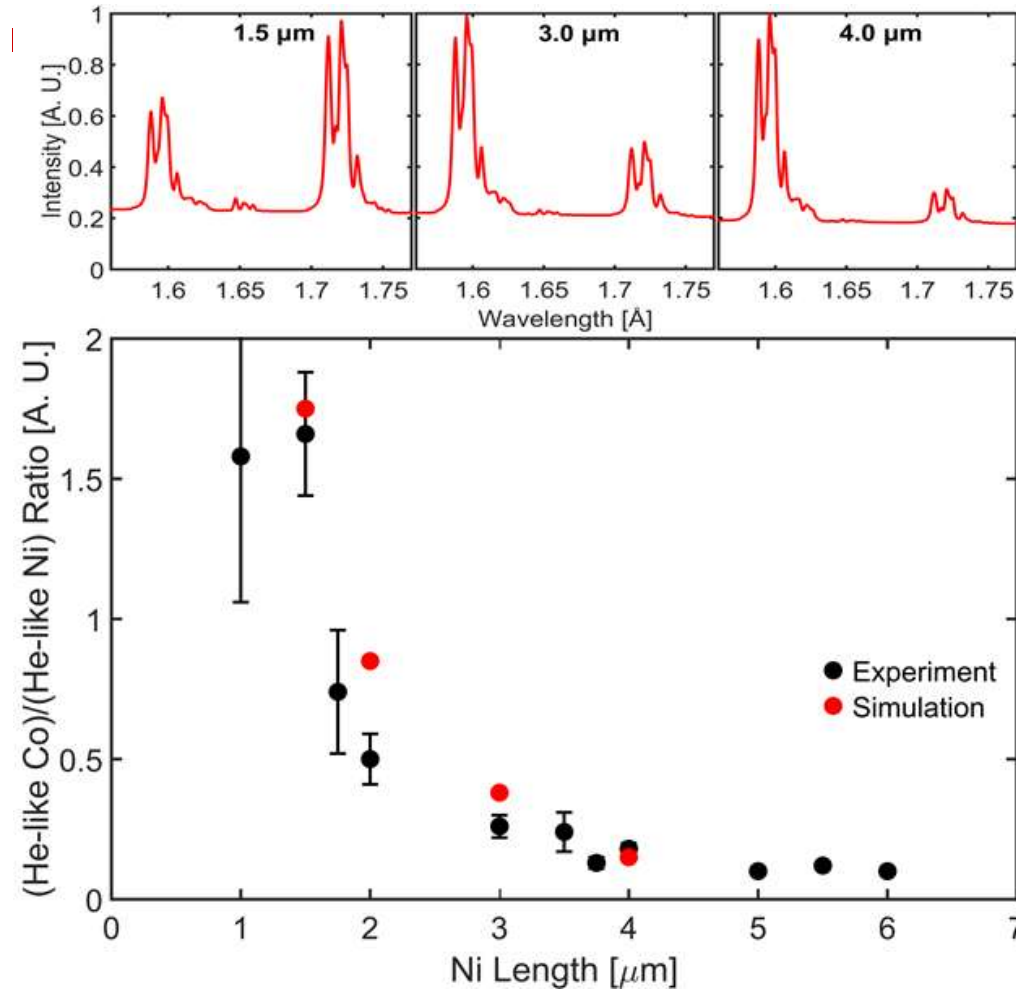


Ultra-High Energy Density Plasmas



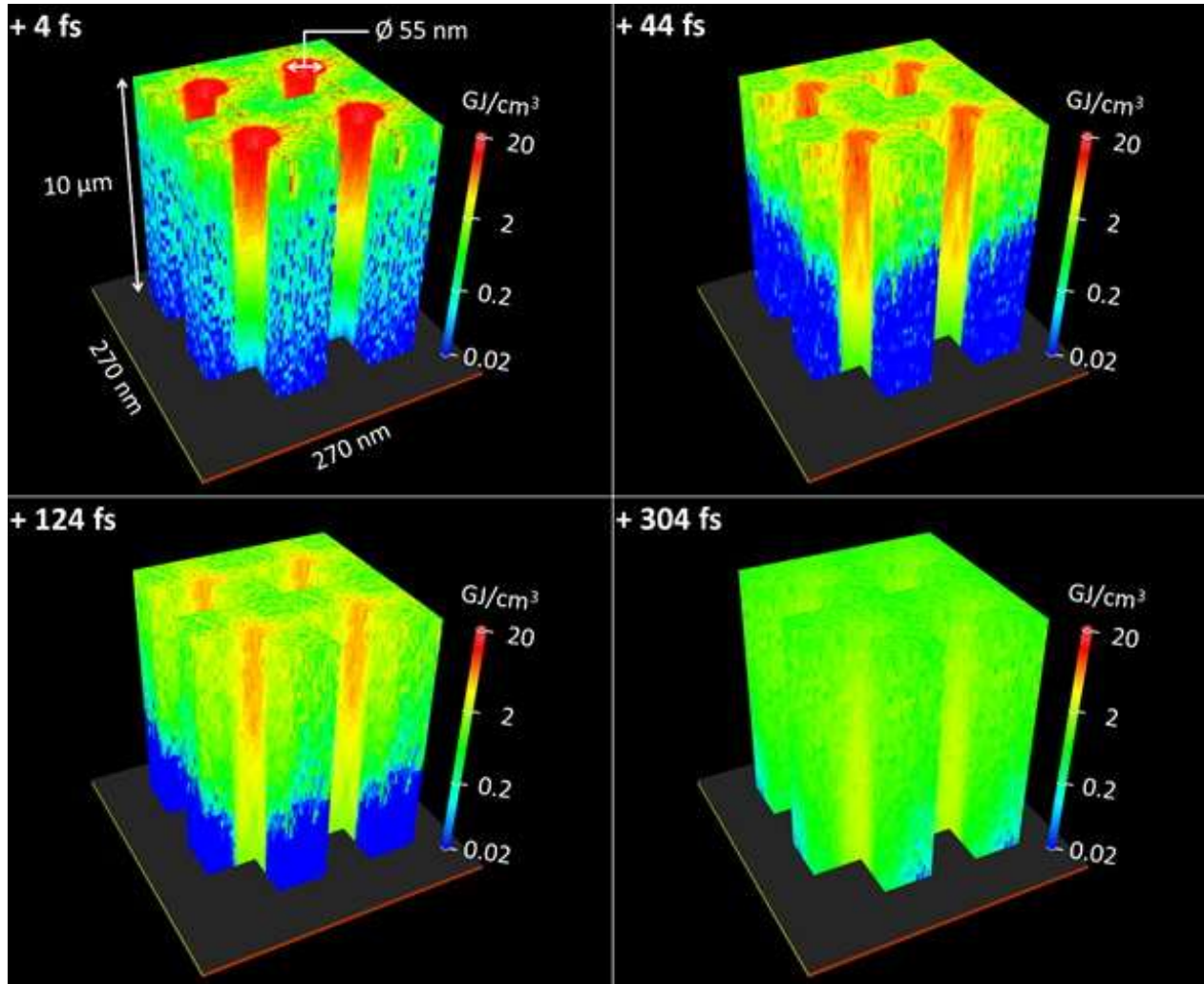
Measured intensities of the He-like Co and He-like Ni lines as a function of the Ni length

Ultra-High Energy Density Plasmas



Simulated spectra corresponding to arrays with different wire lengths used in the experiment

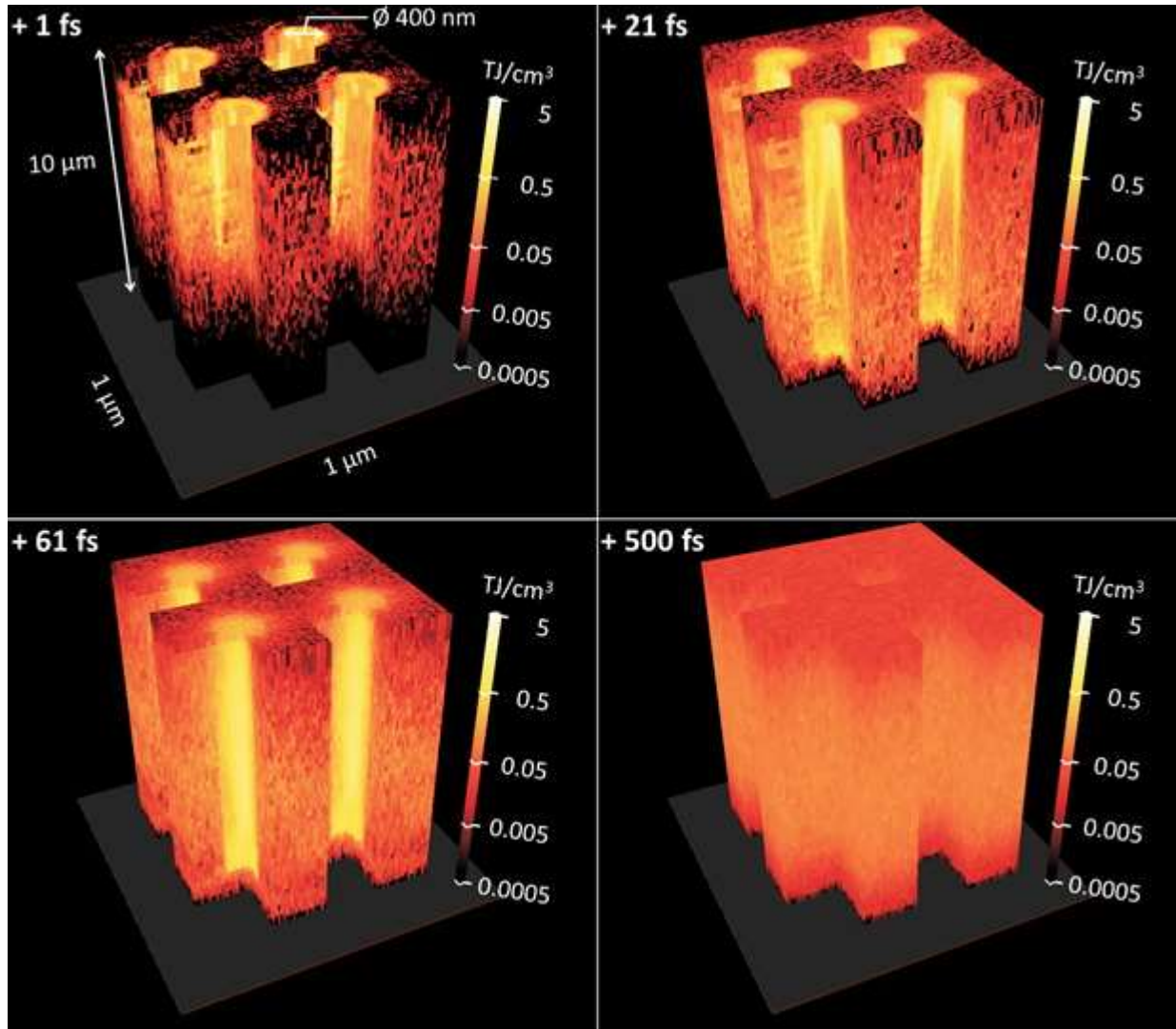
Ultra-High Energy Density Plasmas



Energy density
distribution computed
by PIC simulation

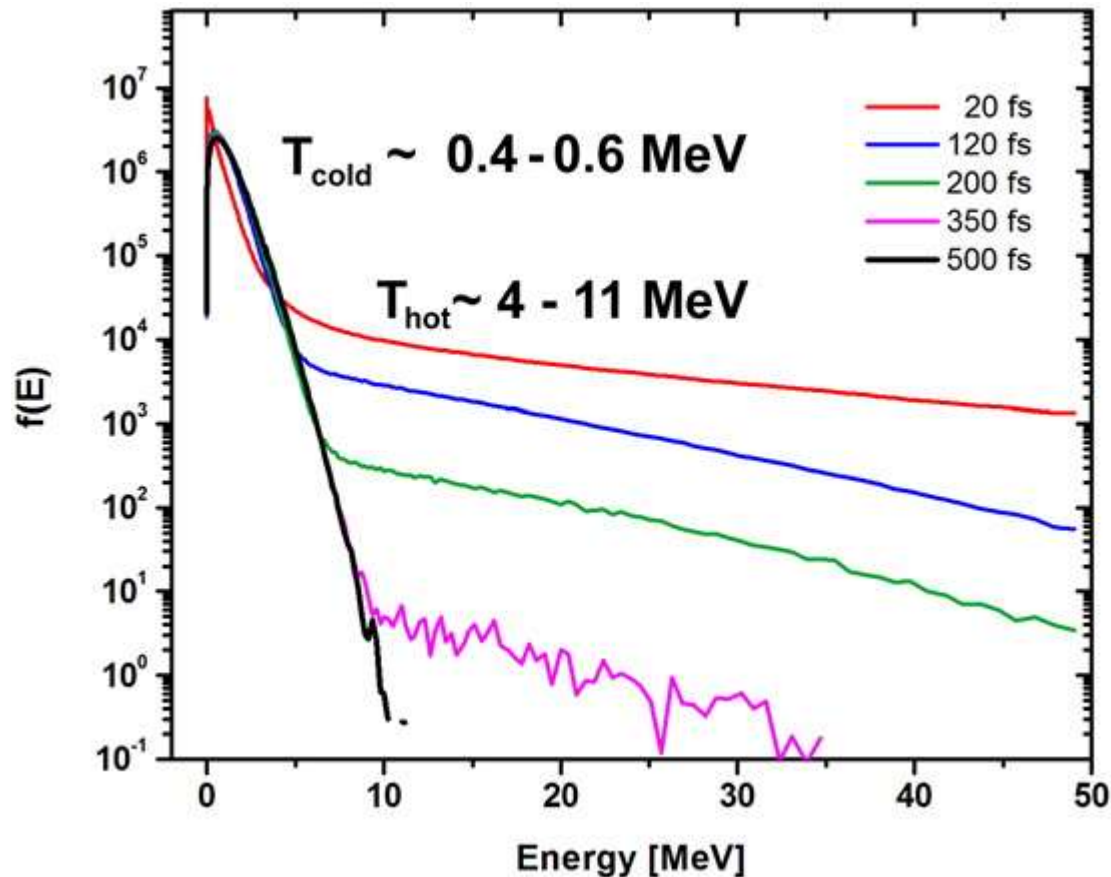
Fast homogenisation

Ultra-High Energy Density Plasmas



PIC simulated energy density distribution in an array of vertically aligned **Au nanowires** of **400 nm diameter** irradiated with an intensity of **$1 \times 10^{22} \text{ W cm}^{-2}$** ($a_0 = 34$) using a 400 nm wavelength pulse of 30 fs duration.

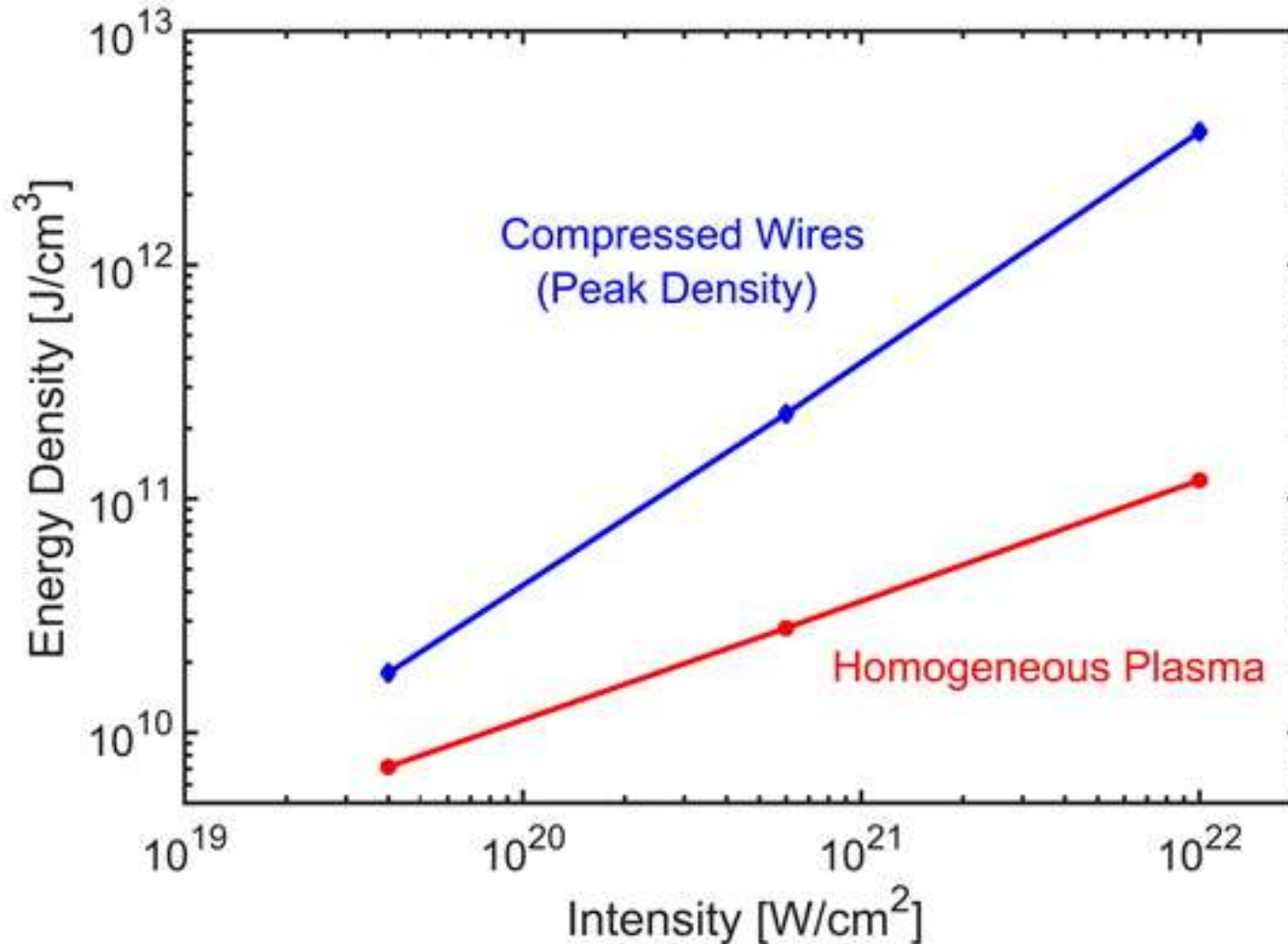
Ultra-High Energy Density Plasmas



Rapid thermalization
seen in electron
distribution function

PIC simulated
array of vertically
aligned **Au nanowires**
of **400 nm diameter**
irradiated with an
intensity of
 $1 \times 10^{22} \text{ W cm}^{-2}$
(**$a_0 = 34$**) using a 400
nm wavelength pulse of
30 fs duration.

Ultra-High Energy Density Plasmas



UHED scaling

Average particle energy in nanowire array plasmas

Assuming total laser energy absorption
and volumetric heating of the target,
the average energy per particle can be estimated to be:

$$E_{av} \approx \frac{a_0^2}{2} mc^2 \frac{n_c}{n_{av}} \frac{Z}{(Z+1)} \frac{c\tau}{L}$$

where $n_c = m\omega_0^2/4\pi e^2$ is the critical electron density, τ is the laser pulse duration and L is the absorption depth in the target with the average particle density n_{av} , Z is the ionization charge state.

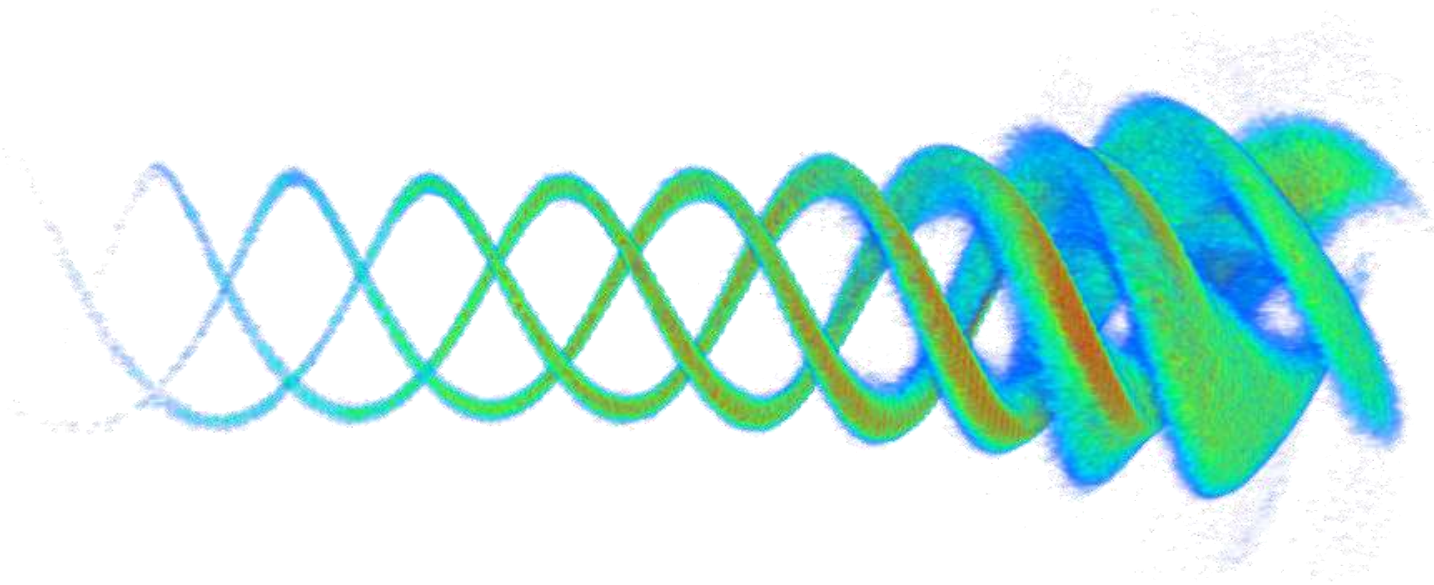
For the conditions of the experiments

$a_0 \sim 3.3$, $\lambda = 400$ nm, $n_{av} = 0.2n_{solid}$, $T = 55$ fs, and $L \sim 5$ μ m

E_{av} can be calculated to be **~ 0.6 MeV**.

Laser pulses and electron bunches with orbital momentum

Structured light



Structured light:

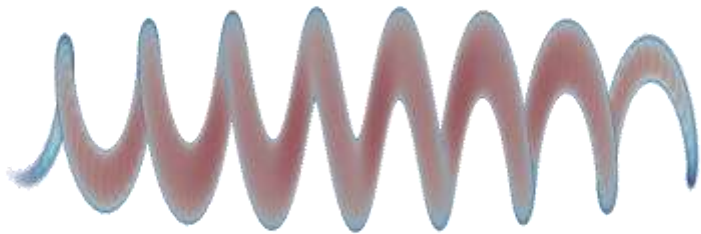
Laser pulses with orbital momentum

Laguerre-Gaussian pulses are twisted

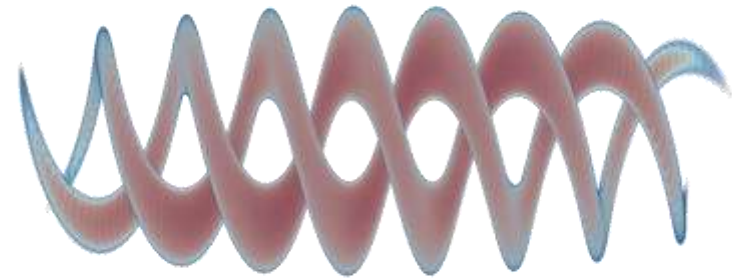
$$\begin{aligned}
 \mathbf{E}_{\perp} = & a_0 C_p^{|m|} \frac{w_0}{w(z)} \left(\frac{\sqrt{2}r}{w(z)} \right)^{|m|} L_p^{|m|} \left(\frac{2r^2}{w^2(z)} \right) \\
 & \times \exp \left[-\frac{r^2}{w^2(z)} - \frac{(z - ct)^2}{2\tau^2} \right] \\
 & \times \exp \left[i(\omega_0 t - k_0 z - m\varphi) + i\phi_p^{|m|}(r, z) \right] (i\hat{\mathbf{e}}_x + s\hat{\mathbf{e}}_y),
 \end{aligned}$$

Structured light: Laser pulses with orbital momentum

Phase fronts of Laguerre-Gaussian pulses



$p=0, m=-1$

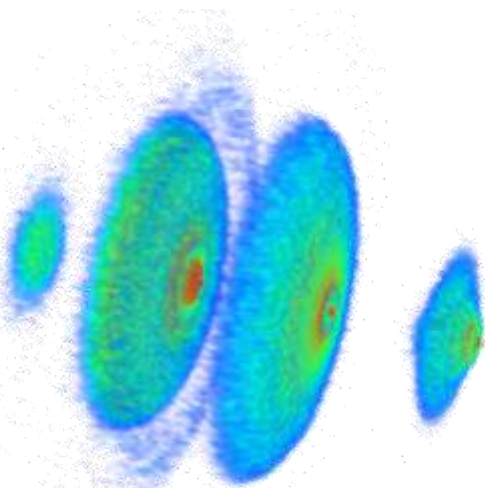


$p=0, m=-2$

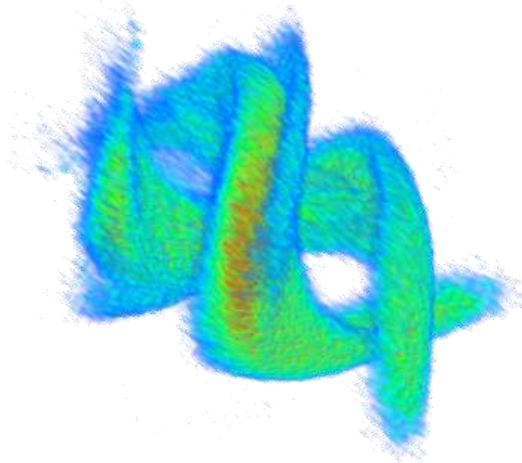
Structured electron bunches with orbital momentum

Left- vs righthand polarization in LG pulses

$$\exp \left[i(\omega_0 t - k_0 z - m\varphi) + i\phi_p^{|m|}(r, z) \right] (i\hat{\mathbf{e}}_x + s\hat{\mathbf{e}}_y)$$

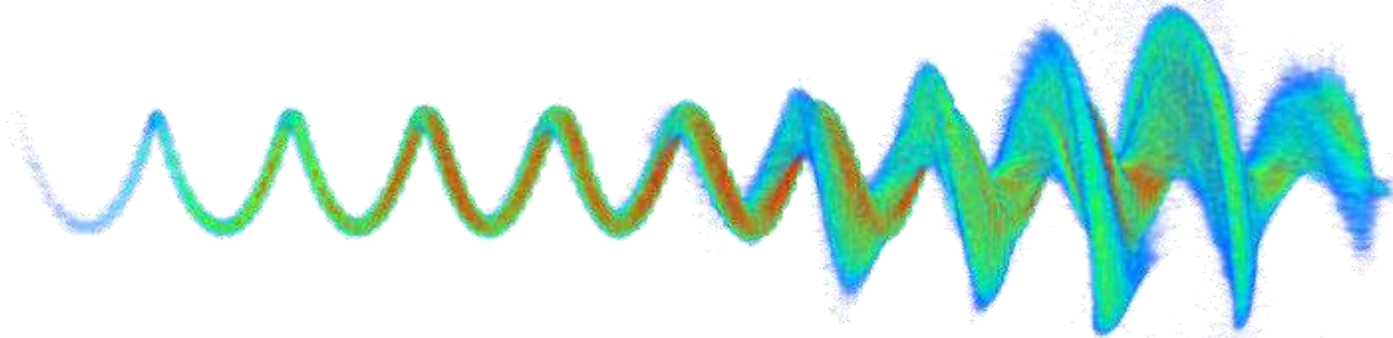


$p=0, m=-1, s=1$

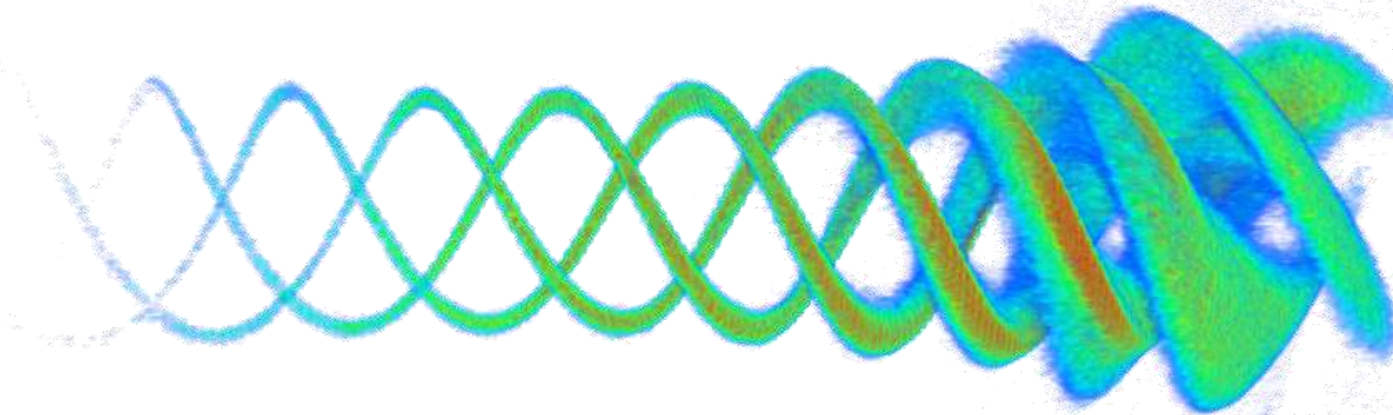


$p=0, m=-1, s=-1$

Structured electron bunches: Laser pulses with orbital momentum



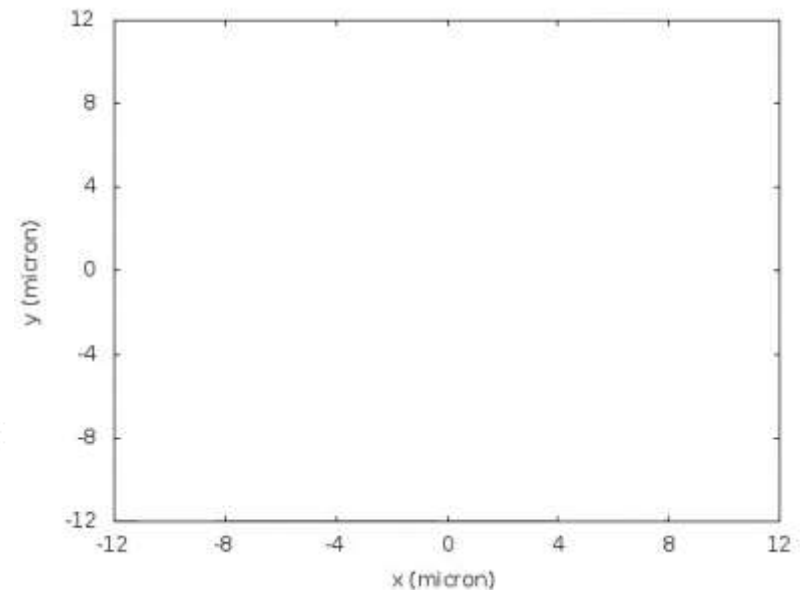
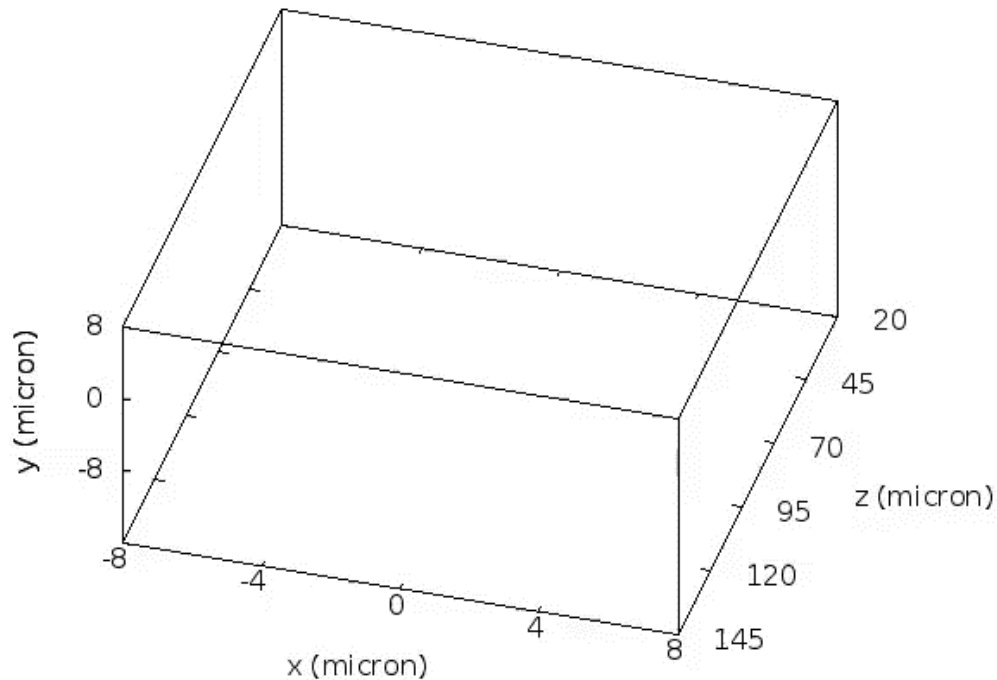
$p=0$
 $m=-2$
 $s=1$



$p=0$
 $m=-2$
 $s=-1$

Structured electron bunches: Laser pulses with orbital momentum

$p=0$ $m=-2$ $s=-1$

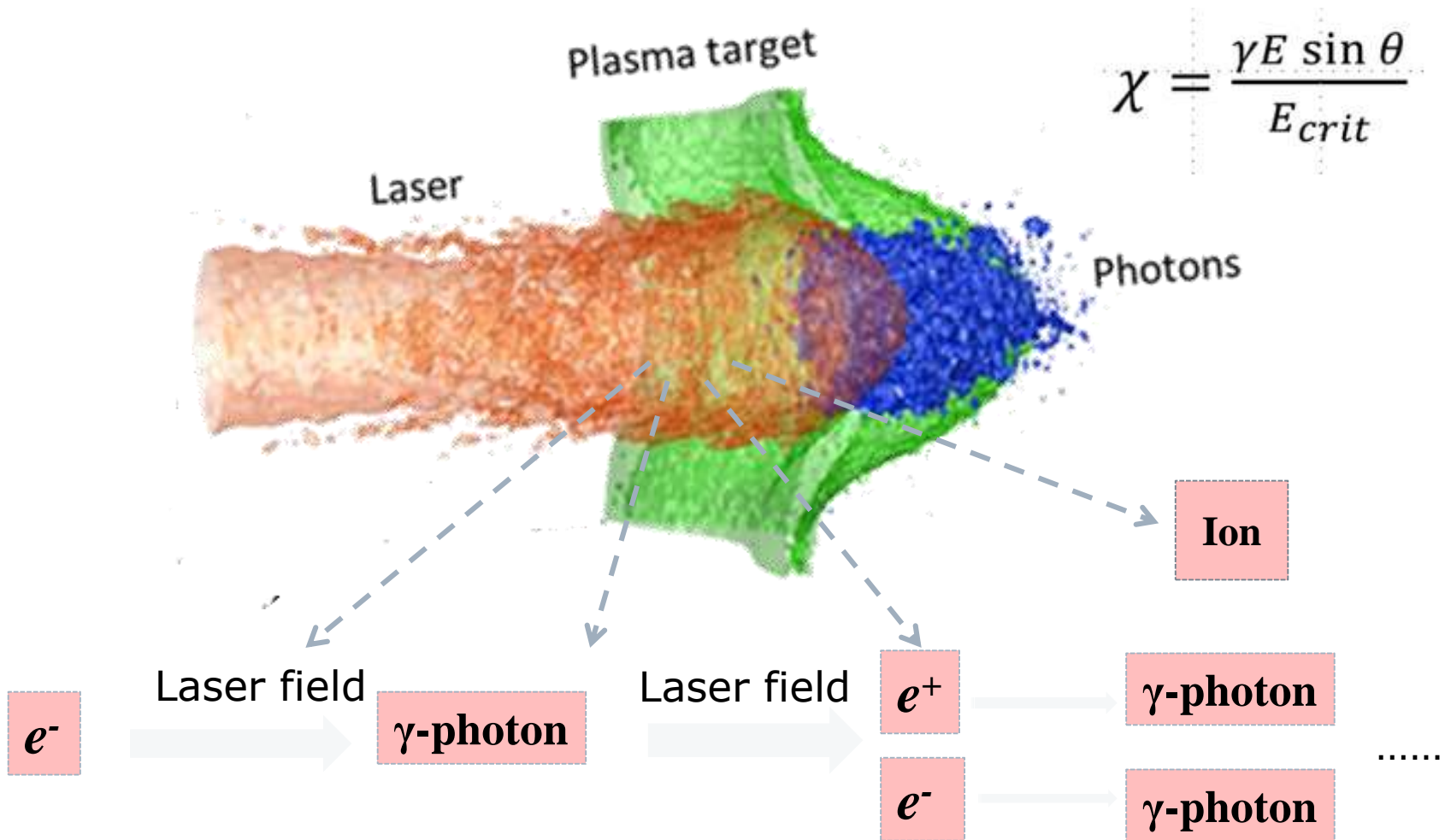


$I > 10^{23} \text{ W/cm}^2$

QED

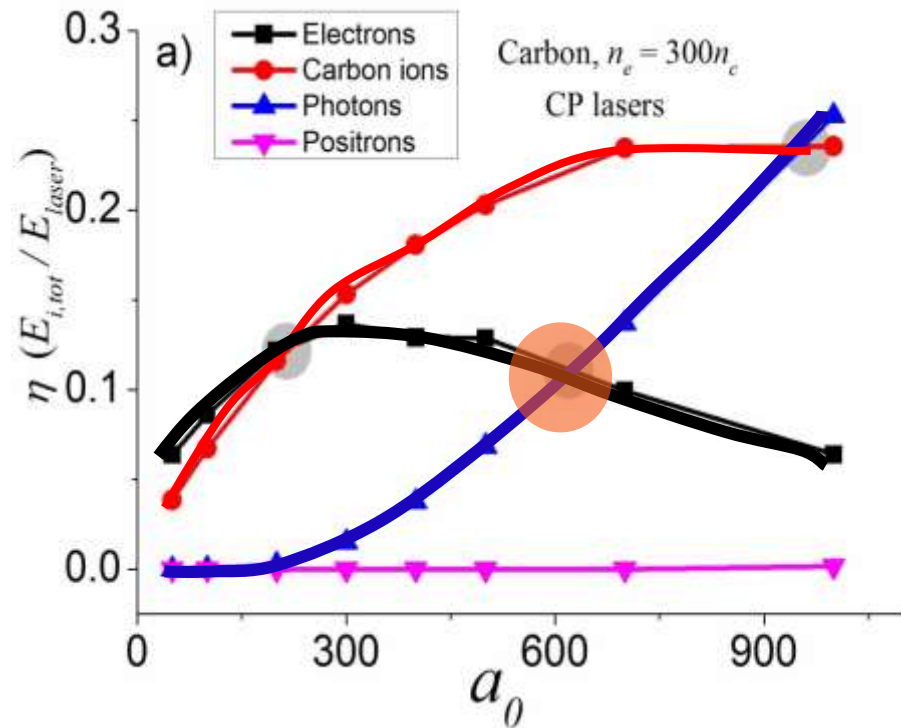
ELI, iZEST, iCAN, XCELS:

Laser-plasma interaction in the near-QED regime, $I > 10^{23}$ W/cm².

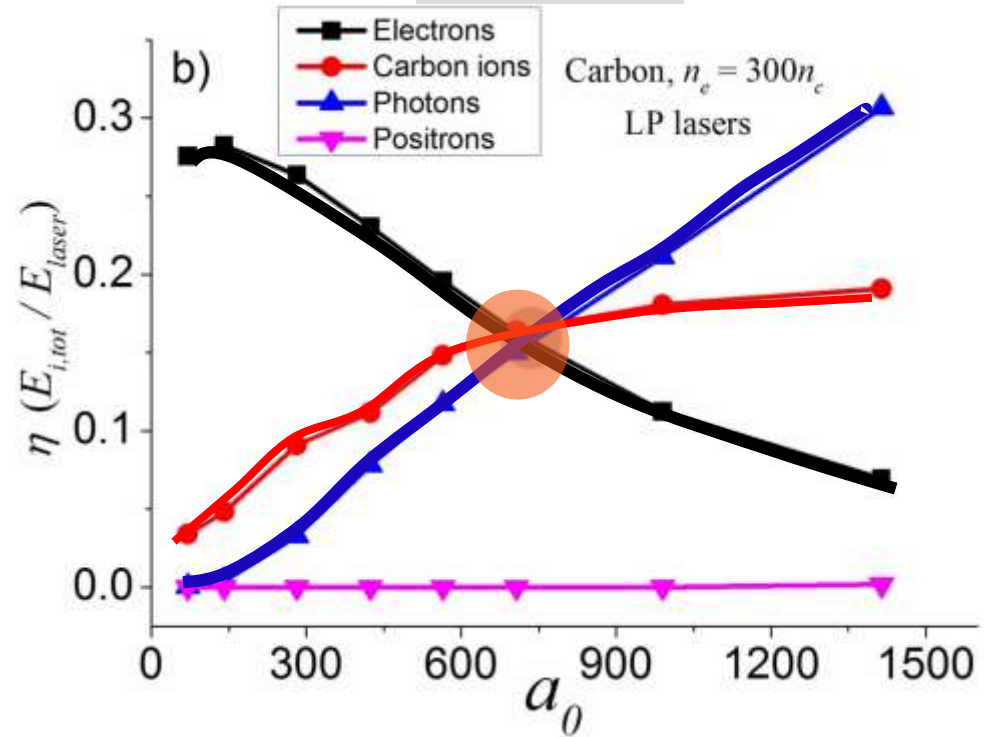


Carbon target: absorption channels

CP lasers



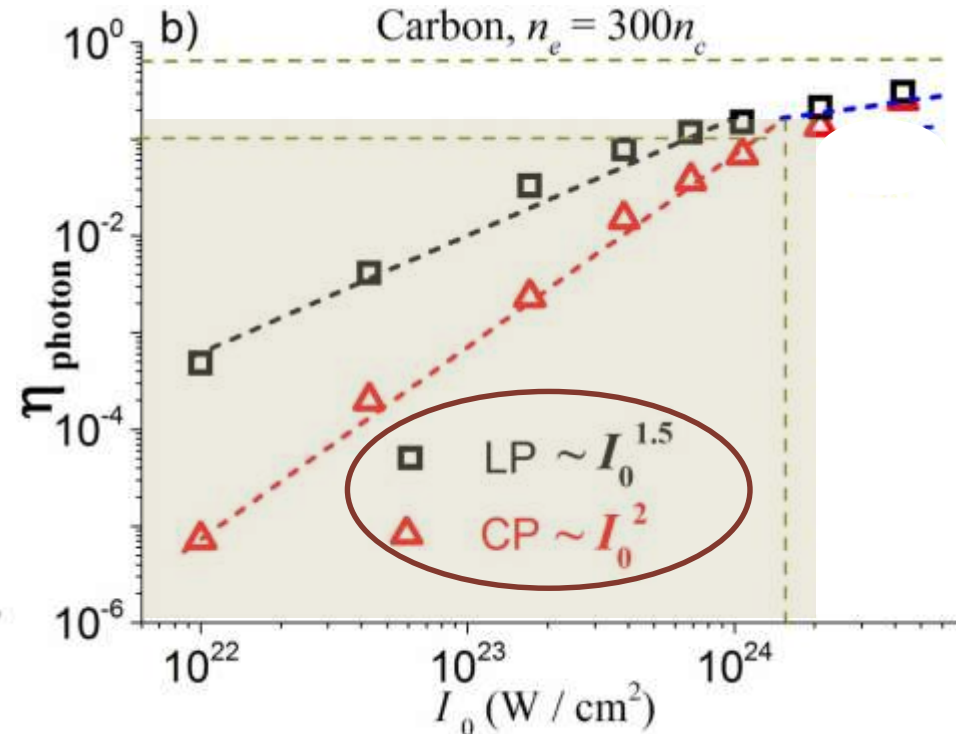
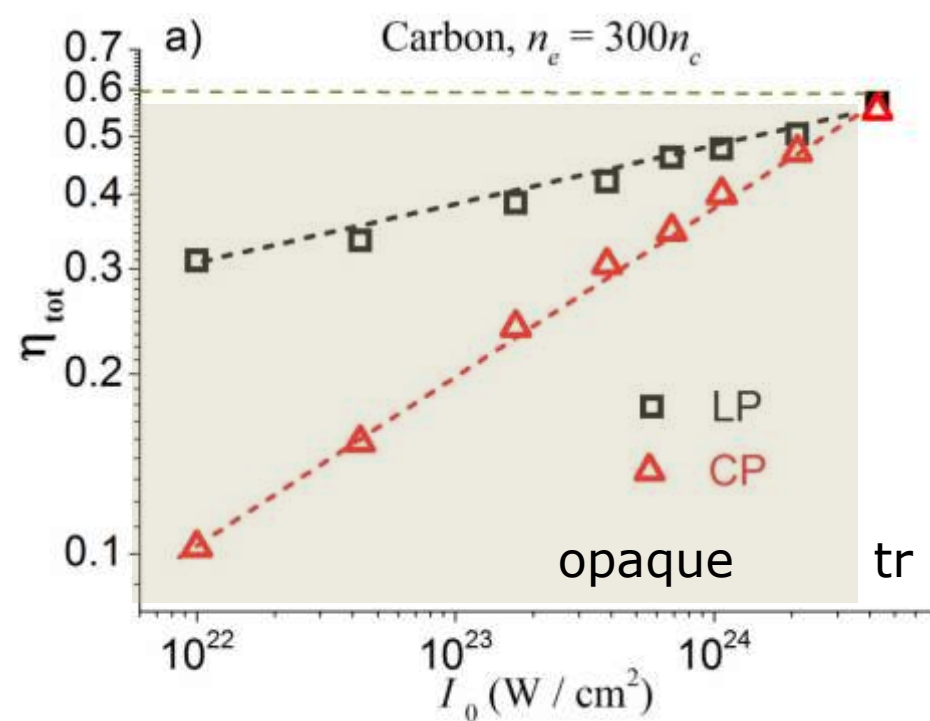
LP lasers



Carbon target: power laws

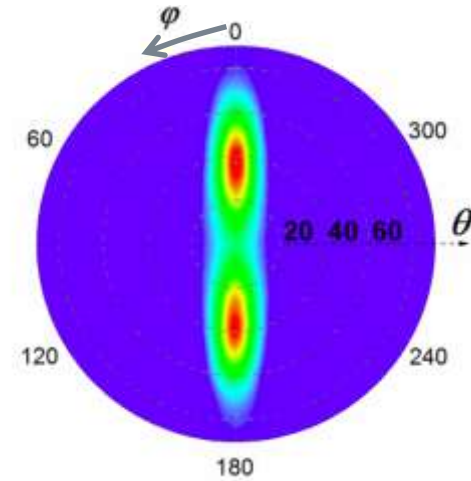
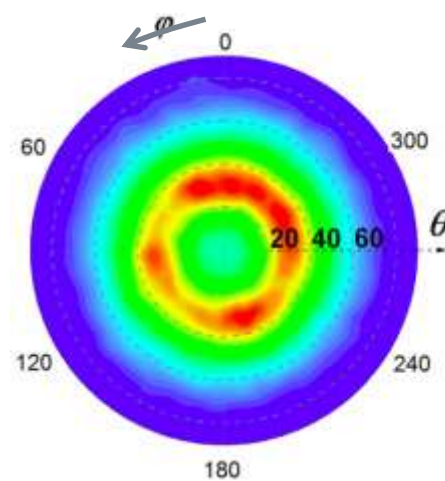
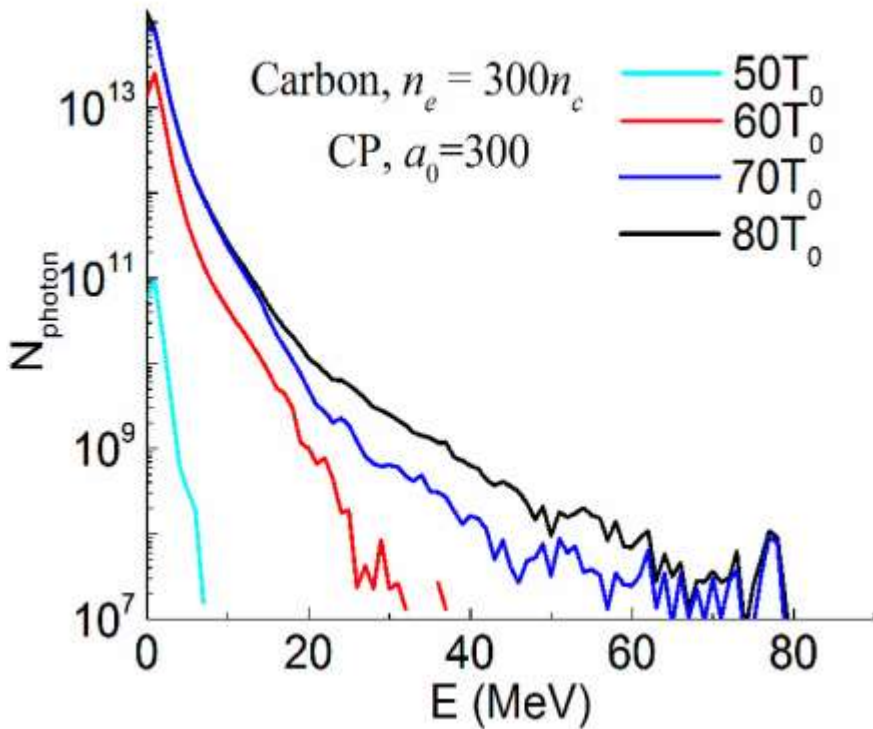
$$\eta_{tot} = \eta_{e^- + c^{6+} + \gamma + e^+}$$

Power-laws converge at $I_0 > 10^{24} \text{ W/cm}^2$



Near-QED regime: plasma is an efficient γ -ray source

$\eta_{\gamma, \max} \sim 35\%$

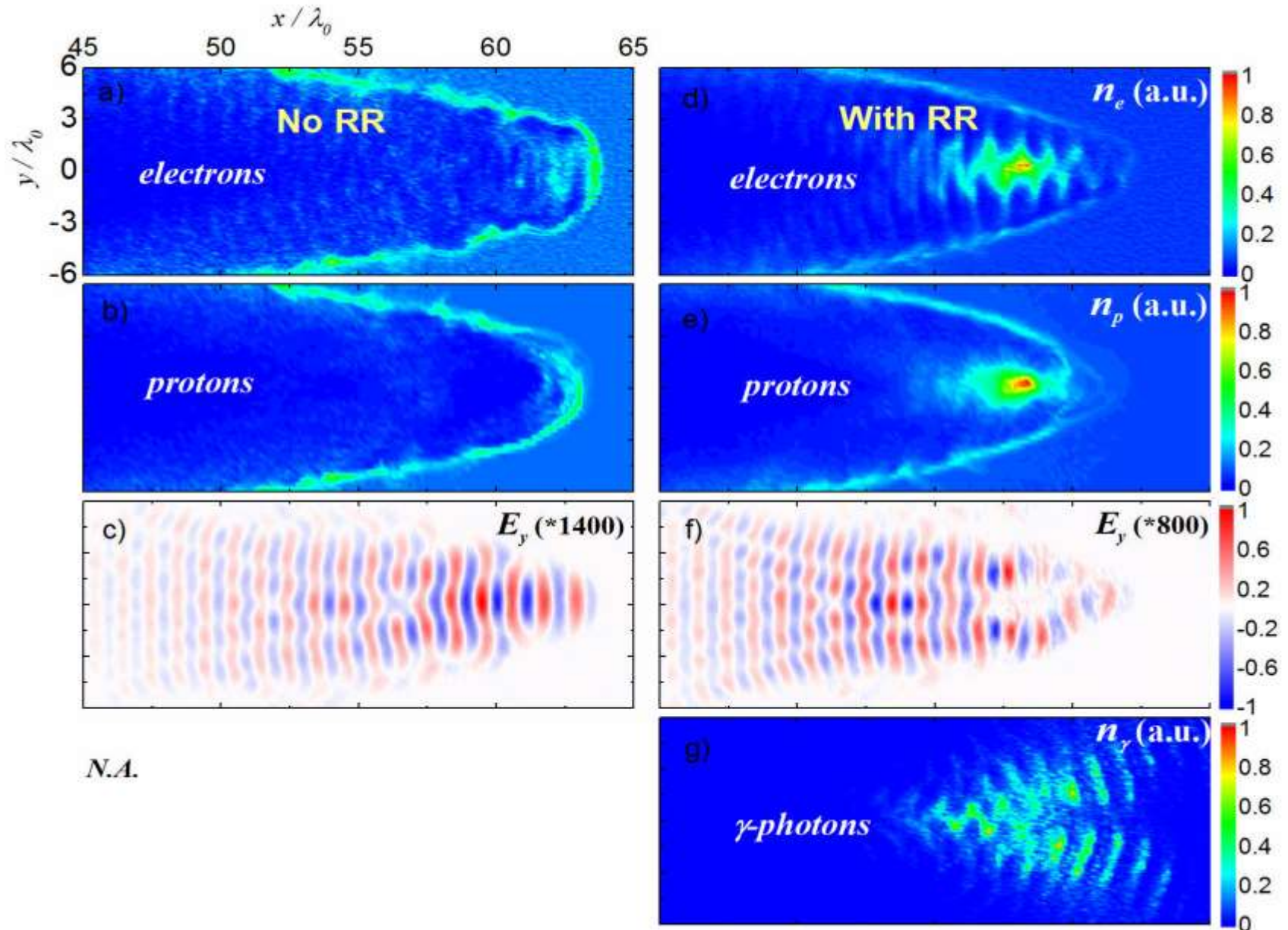


Radiative trapping

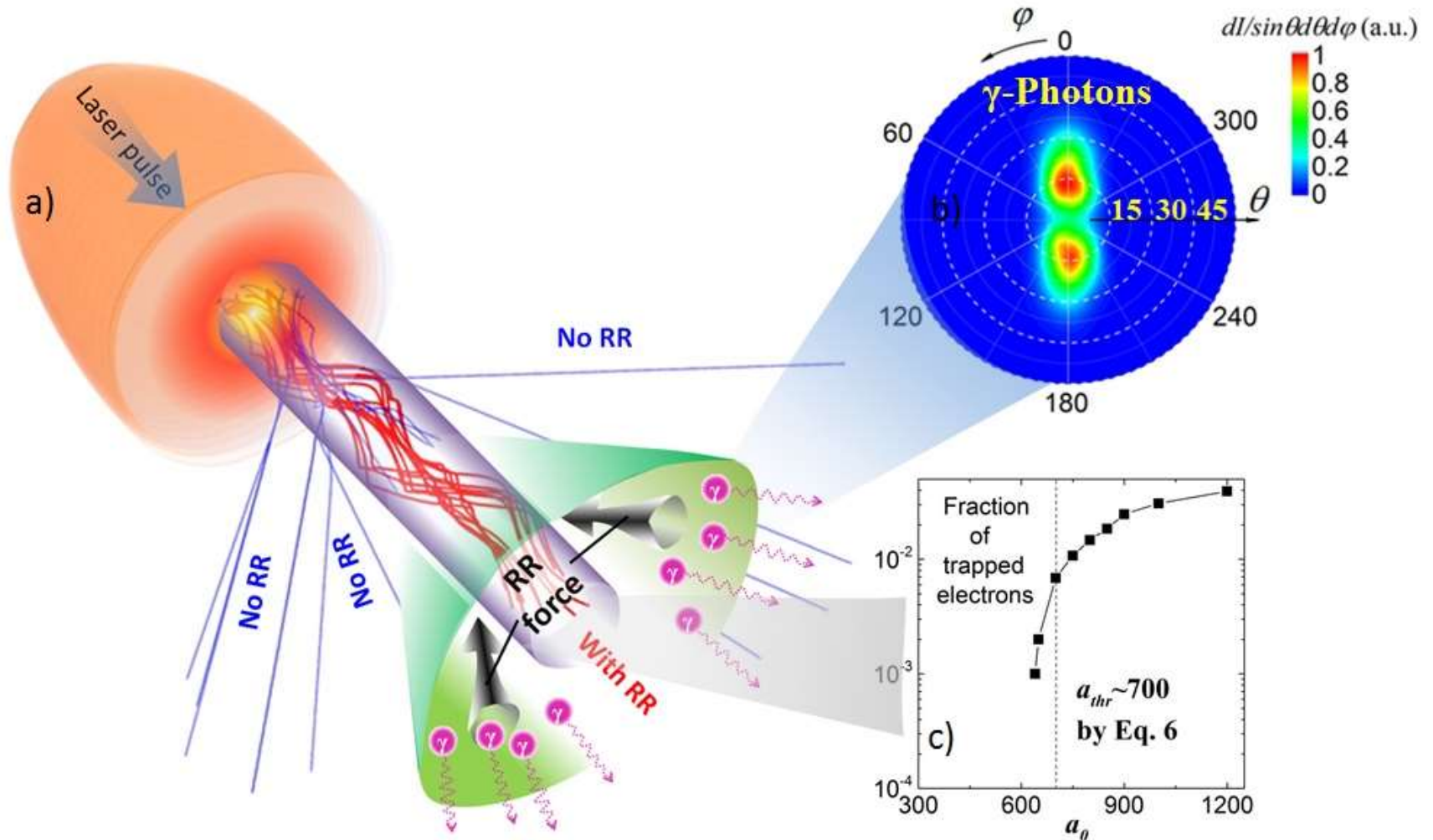
L. Ji et al, PRL **112**, 145003 (2014)

Unexpected:
radiative trapping
in a plasma channel

Radiative trapping in a channel



Physics of radiative trapping



$$I > 10^{36} \text{ W/cm}^2$$

Beyond QED

$$\chi > 1600$$

Path beyond QED

Non-perturbative strong field QED:

QED is in excellent agreement with experiment in the perturbative regime $\chi \ll 1$ due to the smallness of the fine structure constant $\alpha = 1/137$

According to Nikishov & Ritus (1972), the actual smallness parameter is $\alpha\chi^{2/3}$

No theory exists so far for

$$\alpha\chi^{2/3} > 1$$

This translates to $\chi > 1600$ – the NpQED threshold

Path beyond QED

Non-perturbative strong field QED:

QED is in excellent agreement with experiment in the perturbative regime $\chi \ll 1$ due to the smallness of the fine structure constant $\alpha = 1/137$

The smallness parameter is $\alpha\chi^{2/3}$

$$\begin{aligned}
 \frac{M}{m} = & \underbrace{\text{Diagram 1}}_{\simeq \alpha\chi^{2/3} \text{ (Ritus, 1970 [11])}} + \underbrace{\text{Diagram 2}}_{\simeq \alpha^2\chi \log \chi \text{ (Ritus, 1972 [18])}} + \underbrace{\text{Diagram 3}}_{\simeq \alpha^2\chi^{2/3} \log \chi \text{ (Morozov\&Ritus, 1975 [19])}} + \underbrace{\text{Diagram 4}}_{\simeq \alpha^2\chi^{2/3} \log \chi \text{ (?)}} \\
 + & \underbrace{\text{Diagram 5}}_{\simeq \alpha^3\chi^{2/3} \log^2 \chi \text{ (Narozhny, 1979 [8])}} + \underbrace{\text{Diagram 6}}_{\simeq \alpha^3\chi^{4/3} \text{ (Narozhny, 1979 [8])}} + \underbrace{\text{Diagram 7}}_{\simeq \alpha^3\chi \log^2 \chi \text{ (Narozhny, 1980 [9])}} + \underbrace{\text{Diagram 8}}_{\simeq \alpha^3\chi^{5/3} \text{ (Narozhny, 1980 [9])}} \\
 + & \underbrace{\text{Diagram 9}}_{\simeq \alpha^3\chi^{2/3} \log^2 \chi \text{ (?)}} + \underbrace{\text{Diagram 10}}_{\simeq \alpha^3\chi^{2/3} \log^2 \chi \text{ (?)}} + \dots
 \end{aligned}$$

A. Fedotov 2017 J. Phys.: Conf. Ser. 826, 012027.

Path beyond standard QED

Non-perturbative strong field QED:

According to Nikishov & Ritus (1972), the actual smallness parameter is $\alpha\chi^{2/3}$

No theory exists so far for $\chi > 1600$

$\chi > 1600$ corresponds to fields of a laser with intensity
 $I > 10^{35} \text{ W/cm}^2$

Fortunately, there is a Lorentz boost:

$$\chi = \gamma E / E_{crit}$$

Particles with high γ may see $\chi > 1600$
with reasonable lasers

Is NpQED reachable experimentally?

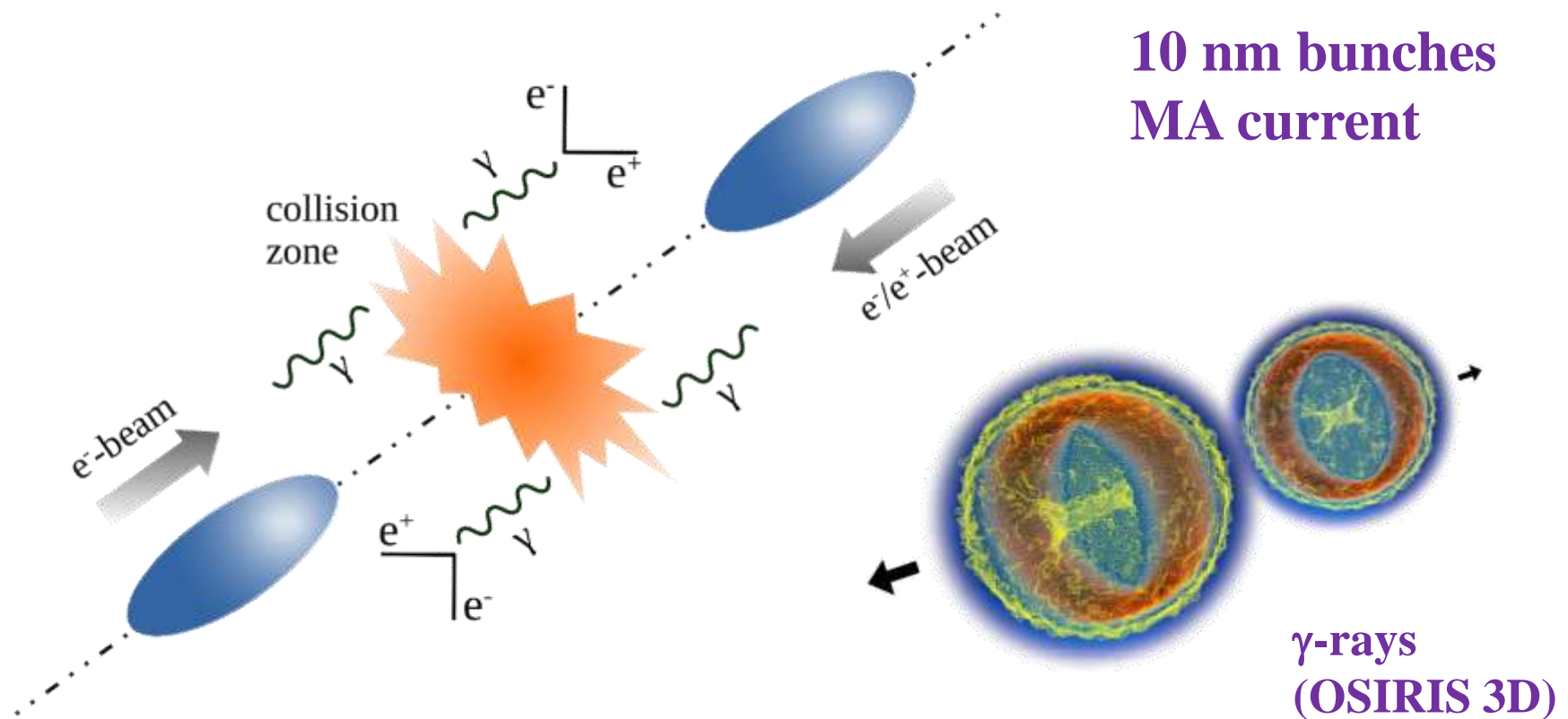
The huge $\chi = \frac{\gamma E}{E_s} \sim 1600$ can be achieved only using highly relativistic electrons with $\gamma \gg 1$

The relativistic electron however radiates and loses its energy during the time $\tau \sim \frac{\gamma \tau_c}{\alpha \chi^{2/3}}$,

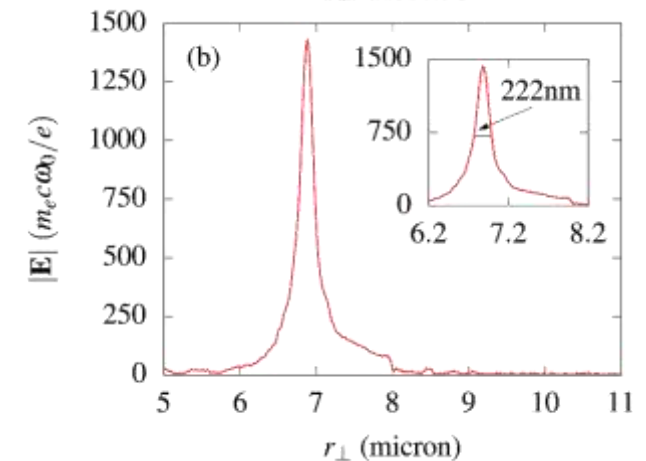
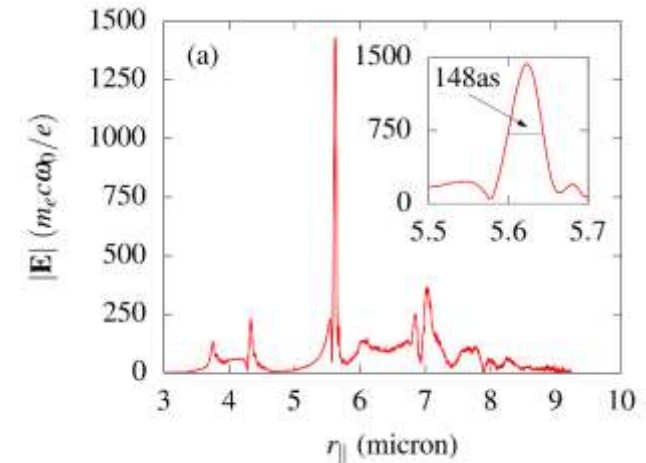
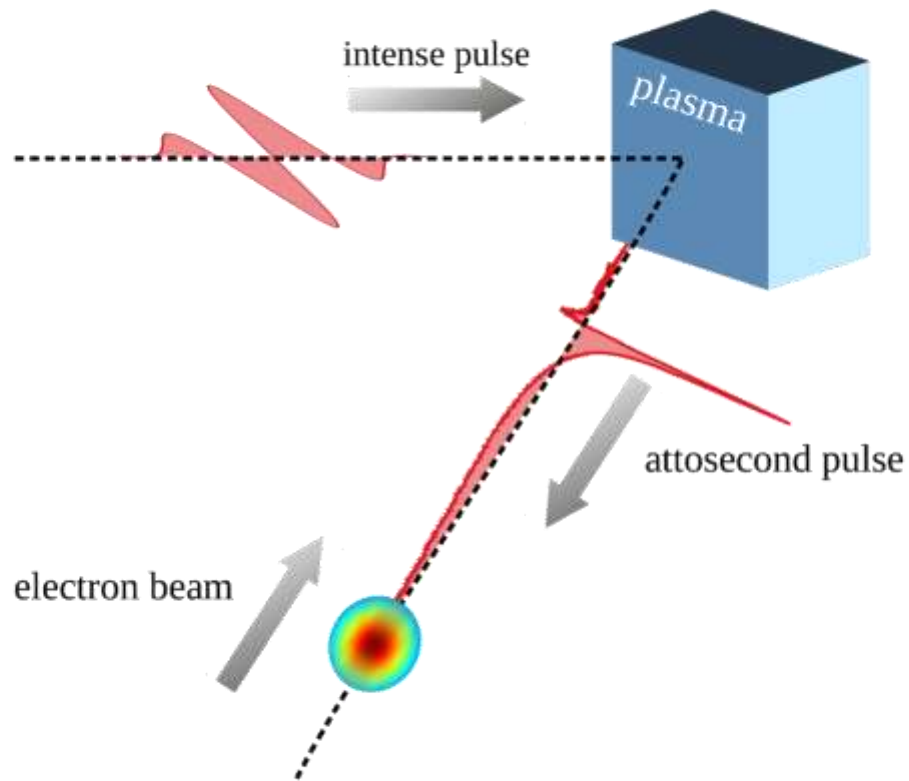
where $\tau_c = \frac{\lambda_c}{c} = 1.3 \cdot 10^{-21} \text{ s}$ is the Compton time

For a characteristic laser time of 3 fs, multi-TeV electrons would be required

Possible realization at FACET-2 150 GeV e^-e^+ bunches



Laser-generated attosecond pulse and 150 GeV electron bunch

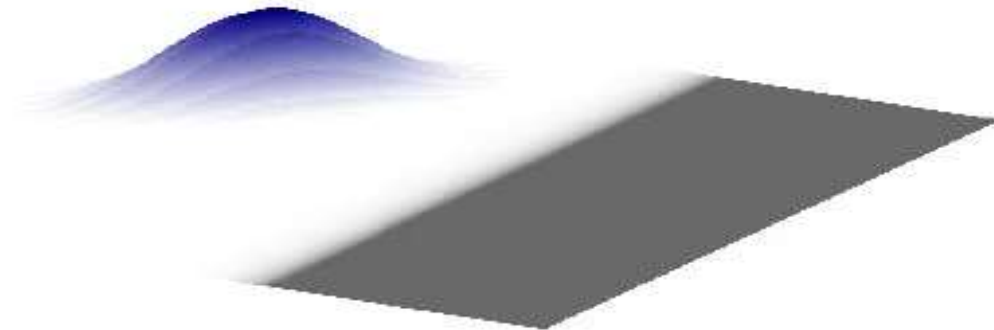


Laser-generated attosecond pulse and 150 GeV electron bunch

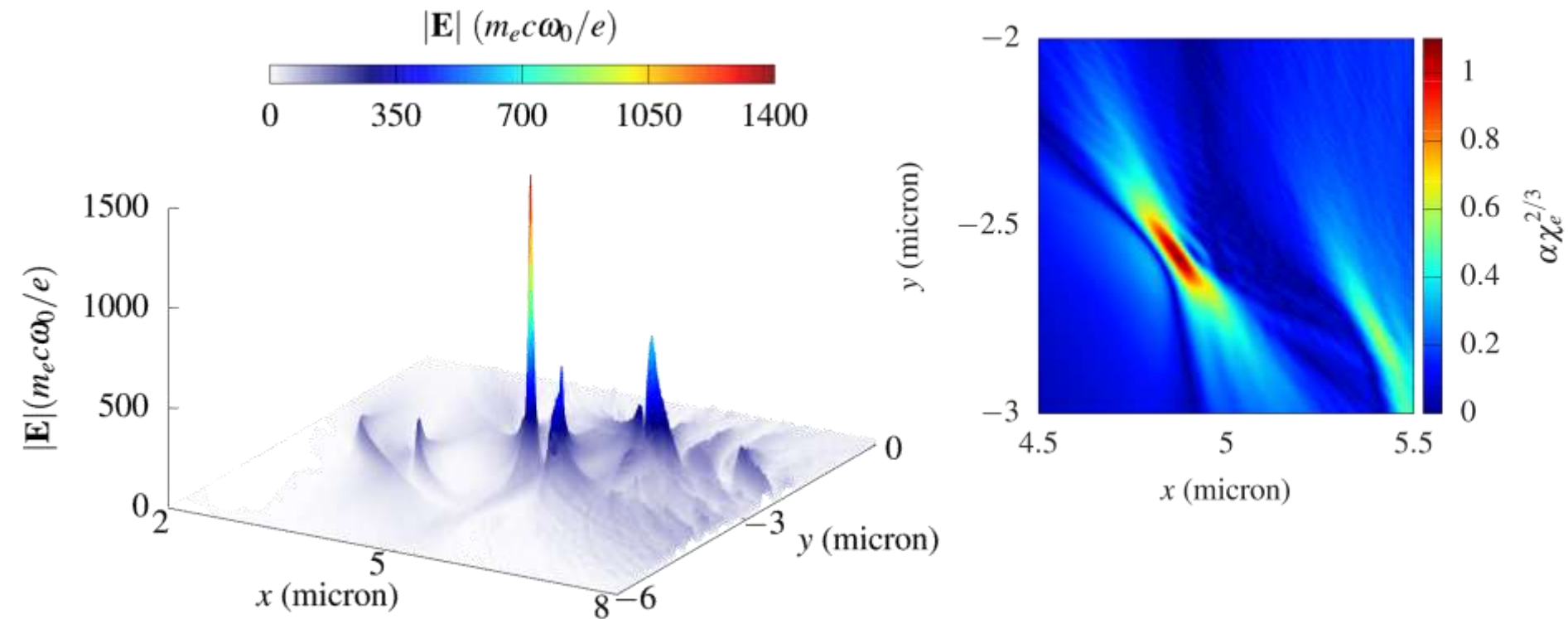
Single cycle laser

$$a_0=350$$

$$I=2 \times 10^{23} \text{ W/cm}^2$$

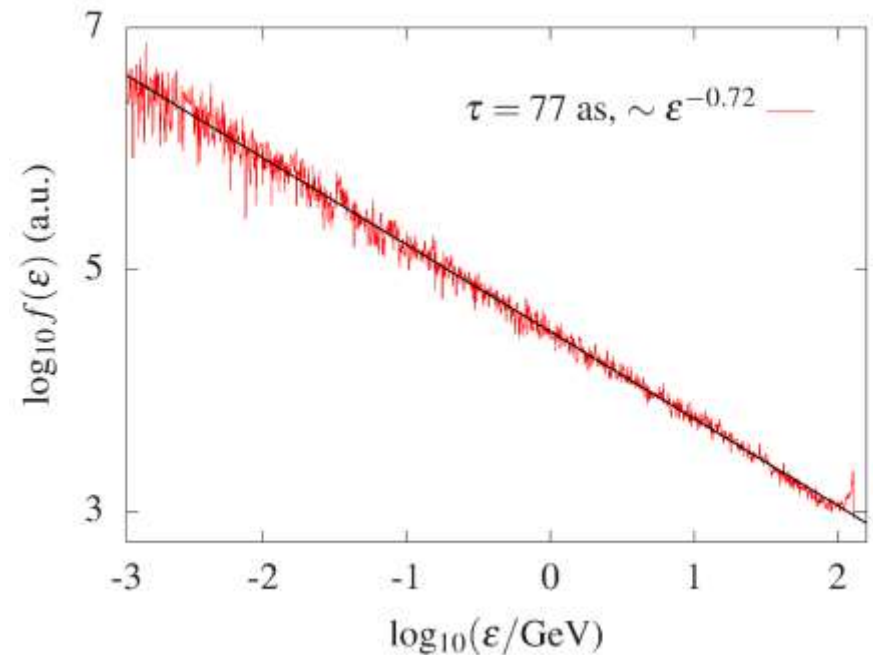
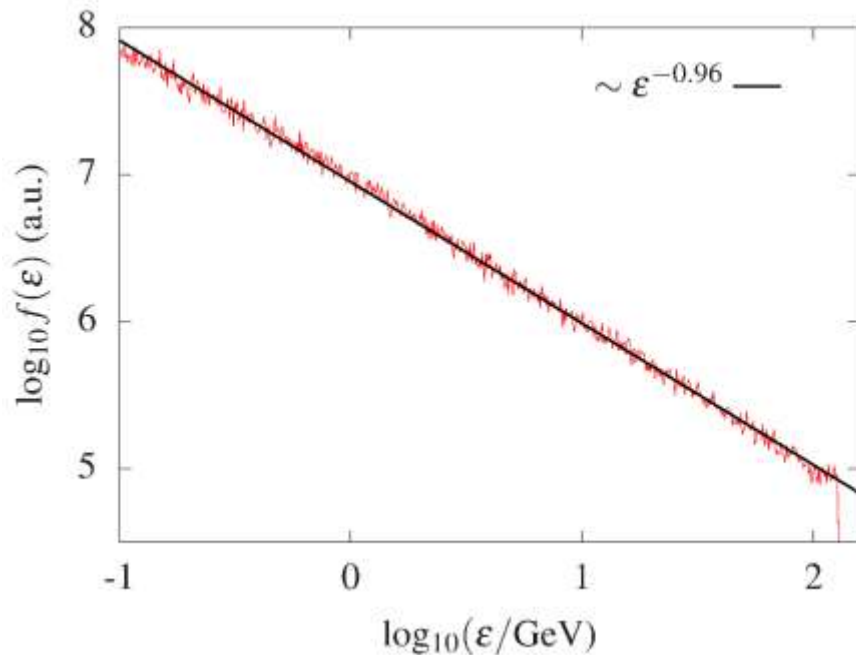


2d pulse structure and the extreme χ values

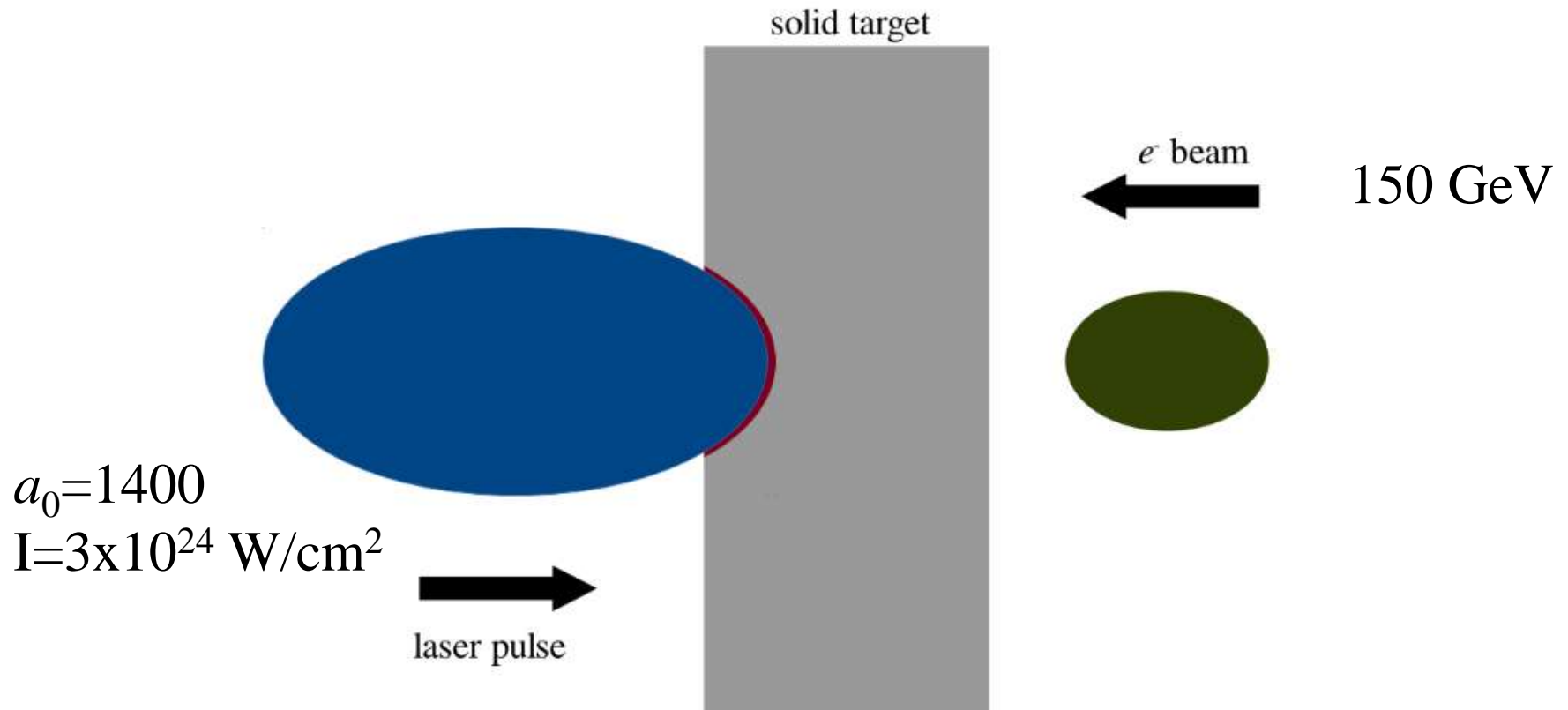


γ -ray spectrum

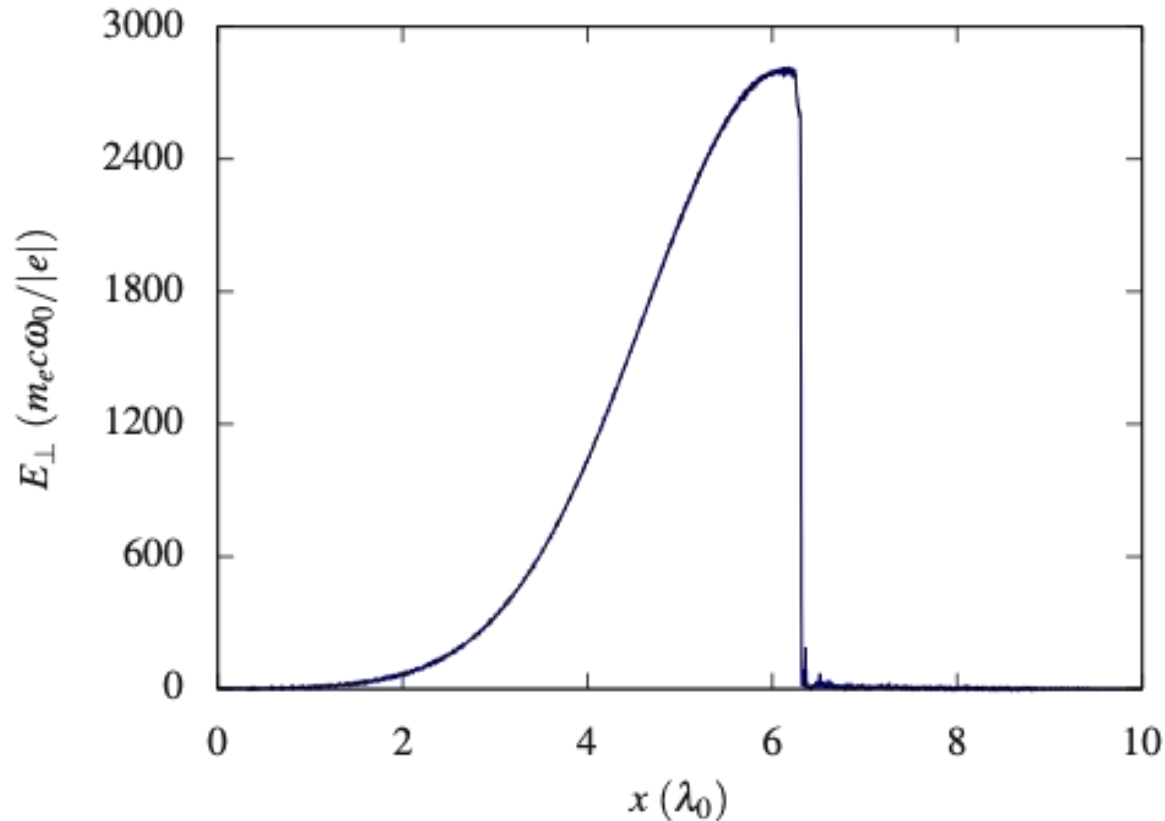
Existing theory predicts power-law exponent $-2/3$



Alternative approach: Skin on solid state target



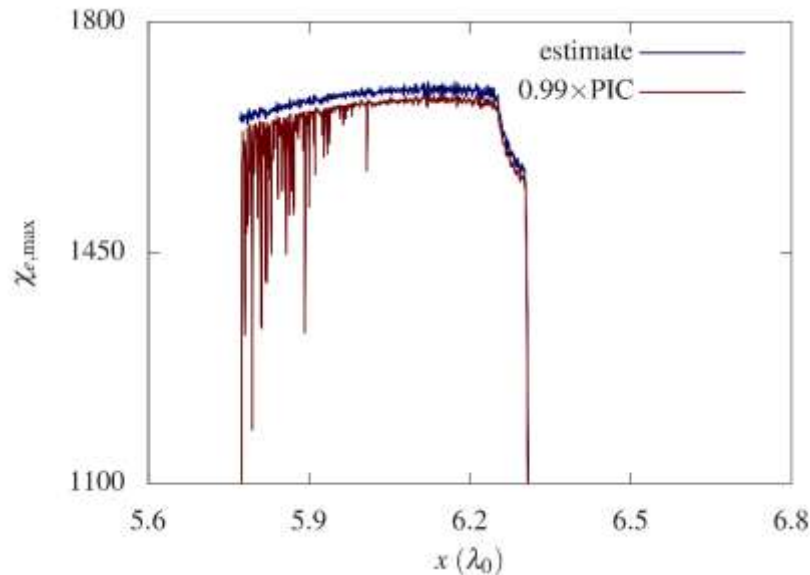
Field structure on solid state target: skin effect



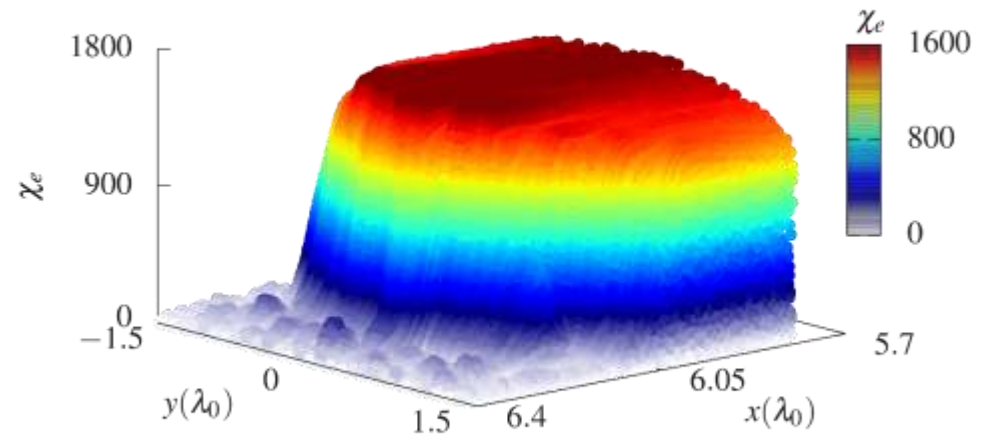
➔ Sharp interface (≈ 20 nm) separating field-free from intense-field region

Field structure on solid state target: skin effect

One-dimensional results:



Two-dimensional results:



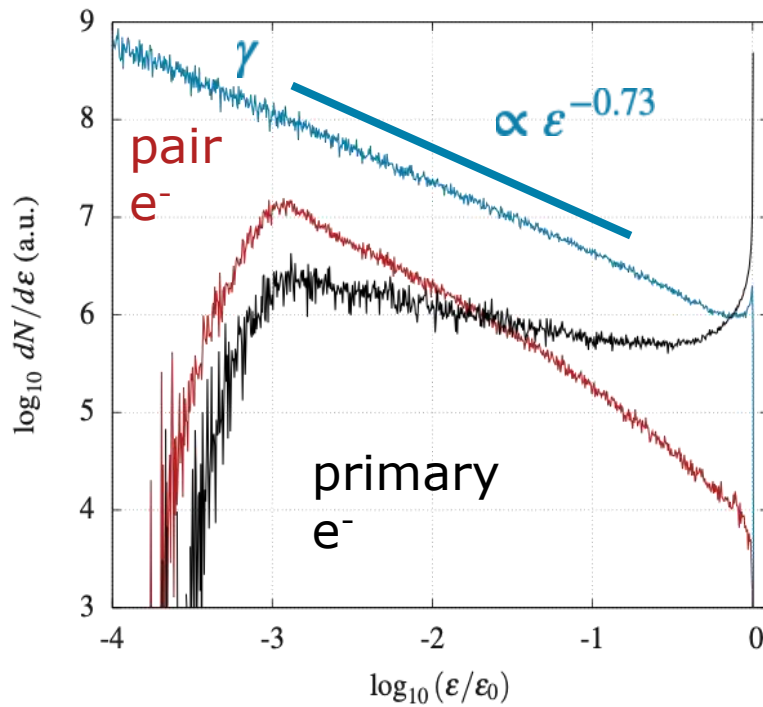
$$\text{Estimate} = \frac{\epsilon}{m_e c^2} \frac{E_{\perp}}{E_{\text{QED}}}$$

What are the observables of NP-QED ?

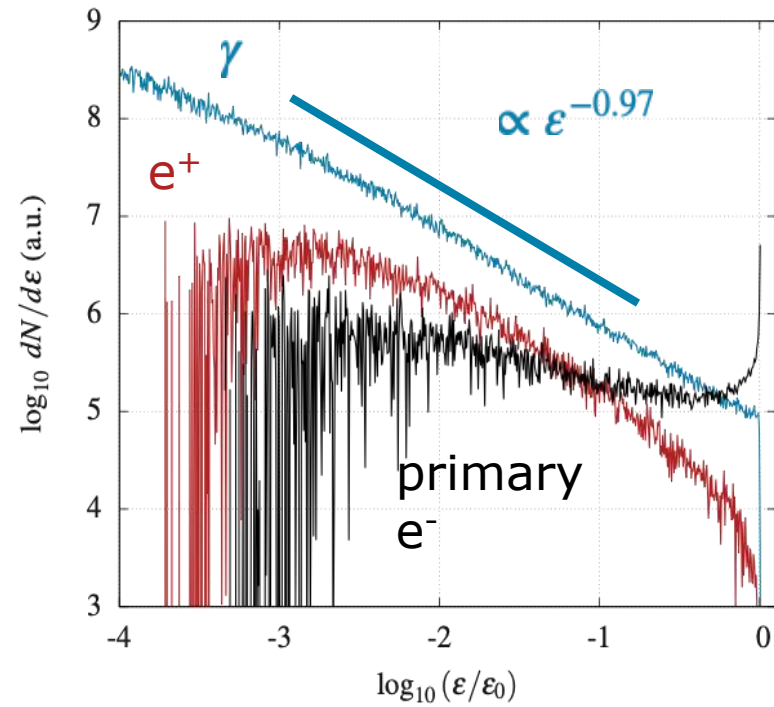


Power-law particle spectra

npQED collider:



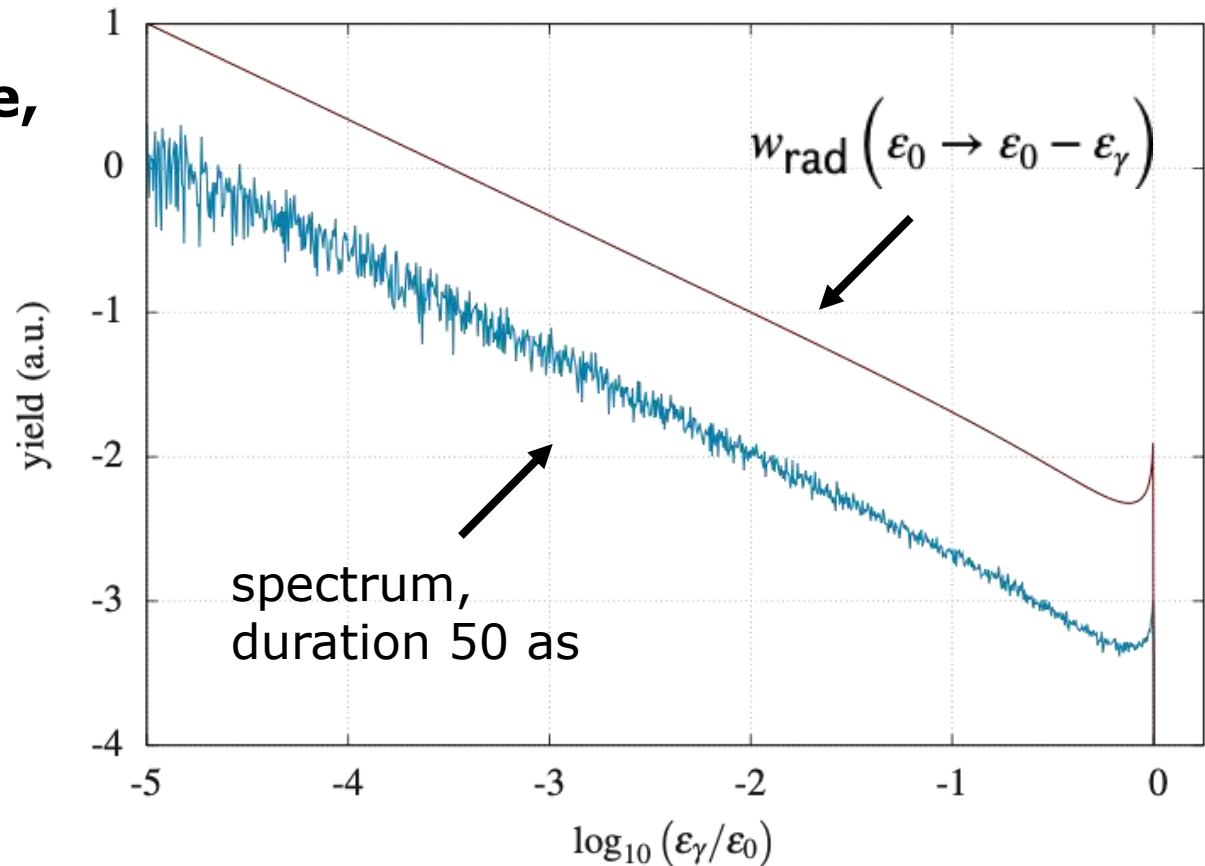
attosecond setup:



Differential photon emission rate

Attosecond pulse,

$$\tau \ll t_{\text{rad}}$$



Power law in first order

For secondary particles with $1 \ll \chi \ll \chi_0$ rate is given by

$$w_{\text{rad}}(\varepsilon_0 \rightarrow \varepsilon) \simeq \frac{\nu}{\varepsilon_0^{4/3}} \frac{1 + \eta^2}{\eta^{1/3} (1 - \eta)^{2/3}} \left(\frac{H}{H_{\text{crit}}} \right)^{2/3}, \quad \eta = \frac{\varepsilon}{\varepsilon_0}$$

E. N. Nerush *et al.*, Phys. Plasmas **18**, 083107 (2011)

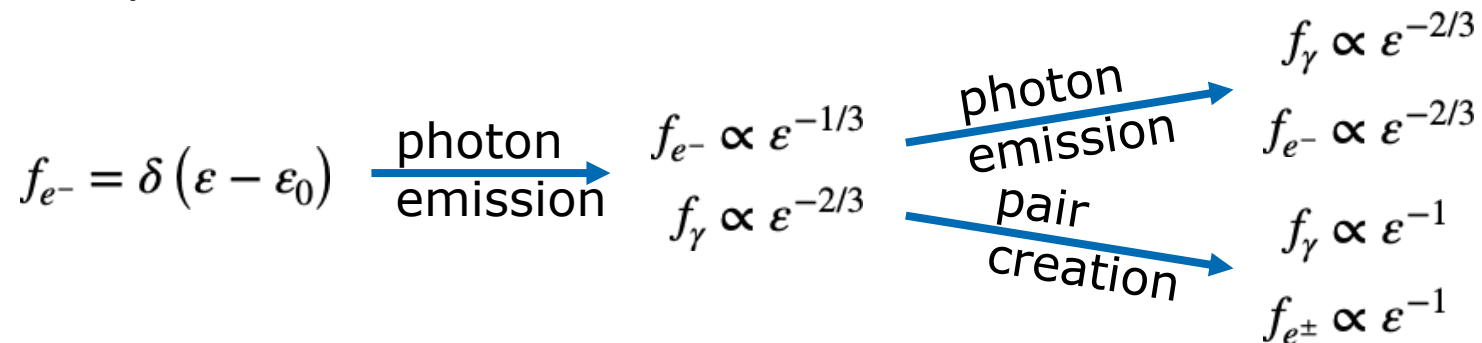
Power law spectra in first order

$$f_{\gamma}^{(1)}(\varepsilon) \propto \varepsilon^{-2/3}, \quad f_{e^-}^{(1)}(\varepsilon) \propto \varepsilon^{-1/3}$$

Spectra in the second order

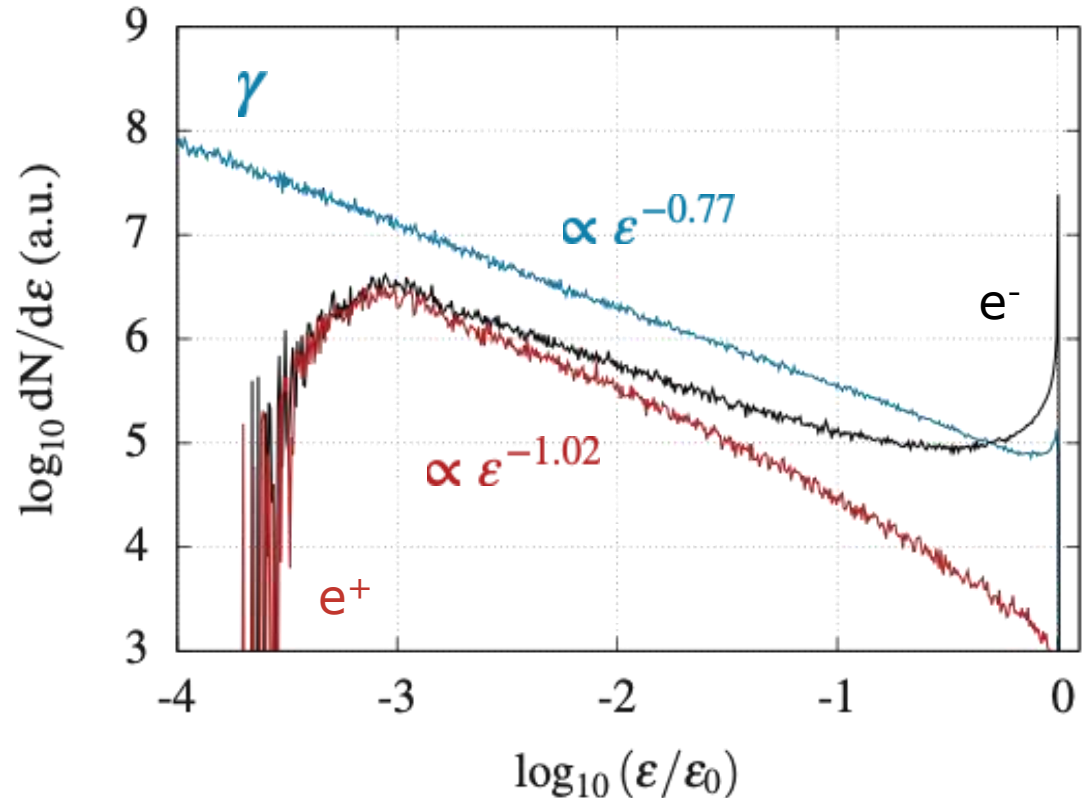
Power-law $f^{(i)}(\varepsilon) \propto \varepsilon^s$ gives again power-law $f^{(i+1)}(\varepsilon) \propto \varepsilon^{s-1/3}$ in next order perturbation theory

For example:



2nd order spectra

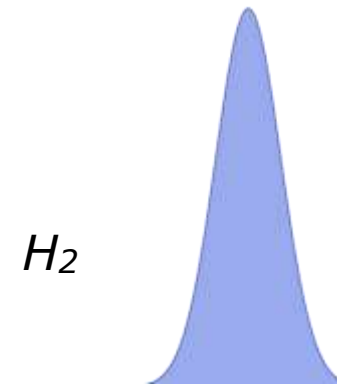
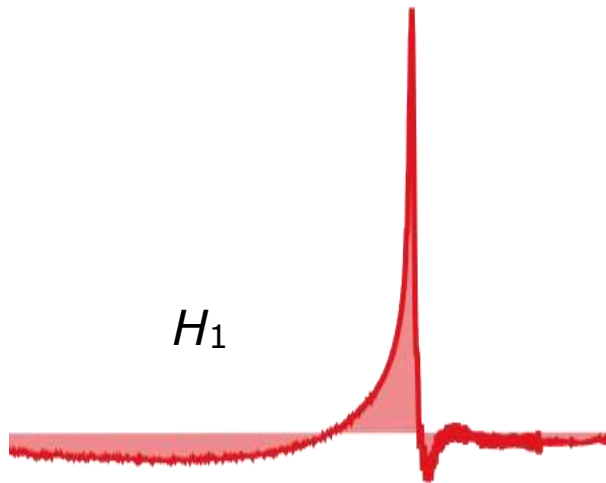
125 GeV electrons
interaction time is 150 as
2nd order model
in reasonable agreement,
especially for positrons



C. Baumann, E. N. Nerush, A. Pukhov, and I. Yu. Kostyukov, Sci. Rep. **9**, 9407 (2019)

$H^{2/3}$ -correspondence

Consider electrons in two systems 1 and 2 interacting with different fields



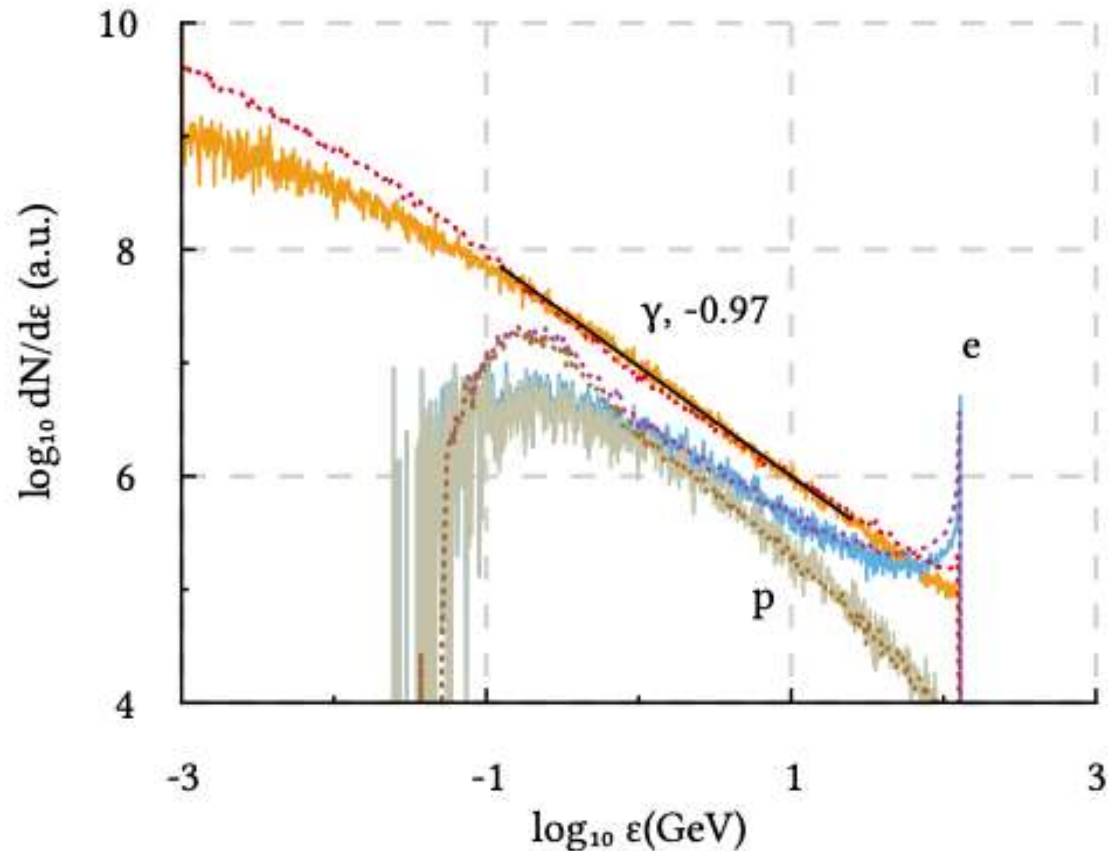
Spectra will be the same if

$$\int_0^t H_1^{2/3}(t') dt' = \int_0^t H_2^{2/3}(t') dt'$$

Applying $H^{2/3}$ -correspondence

Attosecond pulse setup (solid)
vs
clean EM pulse
of 350 as duration (dotted)

Failure of $H^{2/3}$ -correspondence
might identify break of theory



C. Baumann, E. N. Nerush, A. Pukhov, and I. Yu. Kostyukov, Sci. Rep. **9**, 9407 (2019)

Summary

- **Novel interaction physics in engineered targets**
 - relativistic nanophotonics
 - relativistic nano-pinch
 - path to Ultra-High Energy Density
- **Structured laser pulses:**
 - electron bunches with orbital momentum
- **Near-QED interaction:**
 - power-law scalings for absorption
 - very high efficiency of laser energy conversion into x- and γ -rays
 - Radiative trapping of electrons is revealed.
- **Non-perturbative strong field QED could be achieved experimentally**
 - FACET-2 electron-positron collider
 - ultra-intense attosecond laser-produced pulses
 - skin interaction with solid targets