

# Laser absorption in plasmas: from nano-targets to near-QED regime

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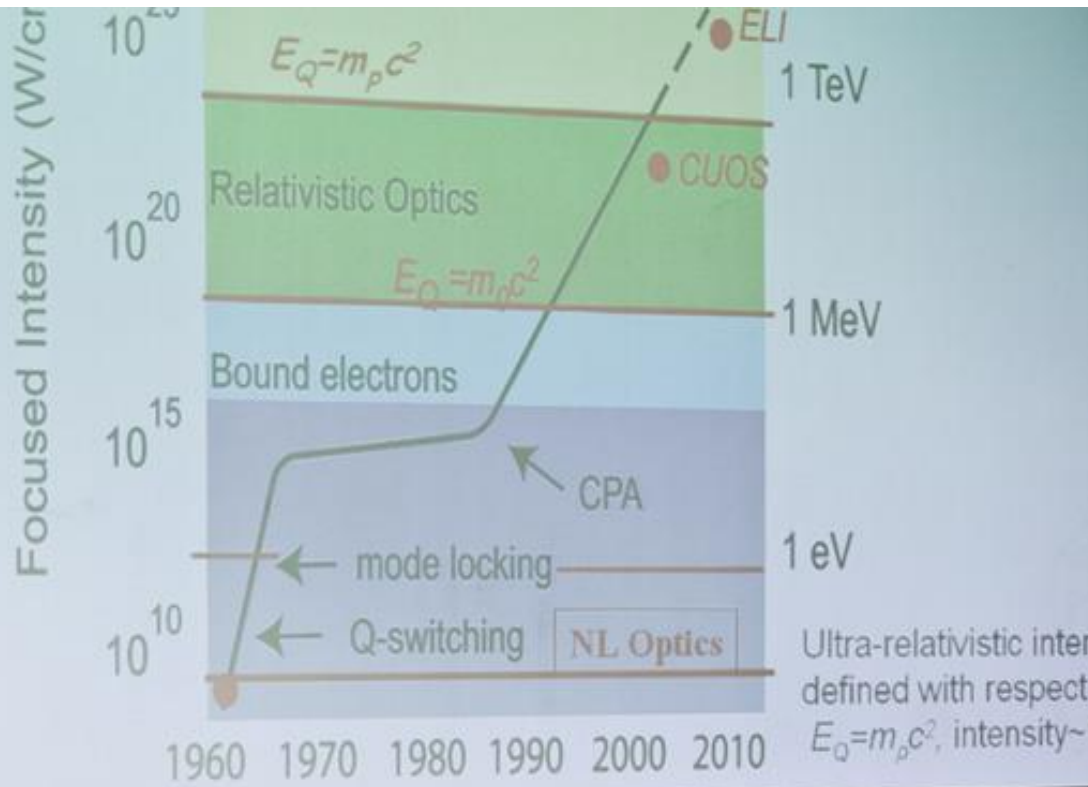
Z.M.Sheng, Jiao Tong University, China

**Nonlinear Waves 2016**

# Посвящается светлой памяти Н.Б.Нарожного

NW2008





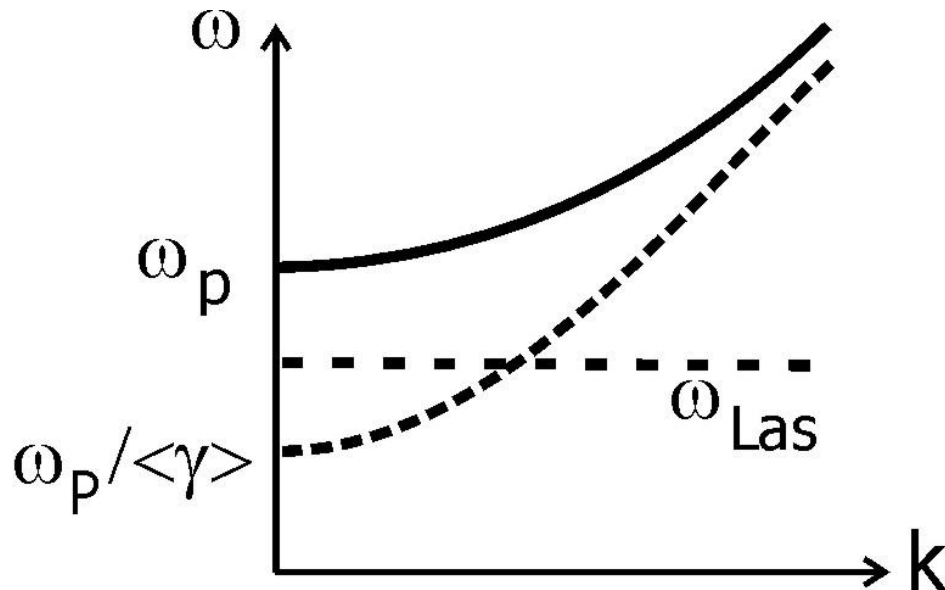


# Outline

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- **Near Critical Density (NCD) plasma**
  - **Nanostructured targets:**
    - relativistic plasma nano-photonics
  - **Ion acceleration**
  - **QED effects**
    - $\gamma$ -emission, radiation damping, pairs
  - **Energy conversion channels**
  - **Radiative trapping of electrons**
-

# Non-linear optics in relativistic plasma



Dispersion of light in plasma:

$$\omega^2 = \omega_p^2 + c^2 k^2$$

Plasma frequency:

$$\omega_p^2 = 4\pi e^2 n_e / (m \langle \gamma \rangle)$$

Relativistic factor:

$$\gamma = (1 - v^2/c^2)^{-1/2}$$

Index of refraction:

$$n_R = (1 - \omega_p^2 / \omega^2)^{1/2}$$

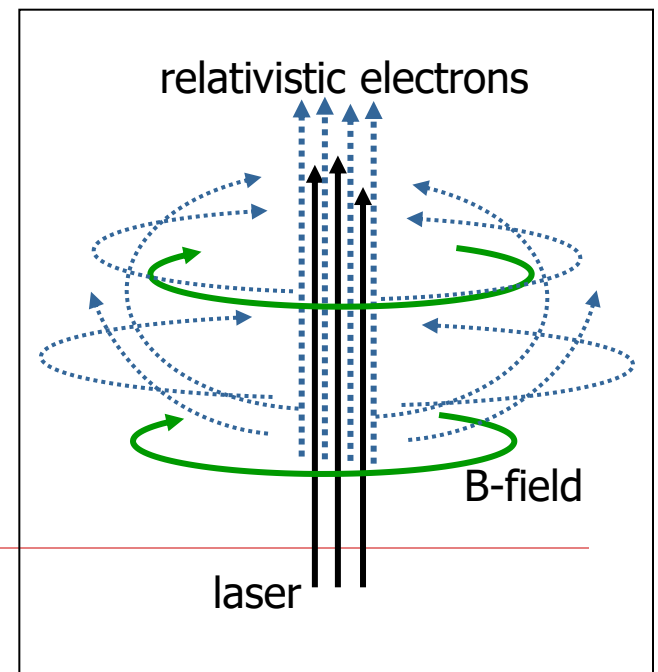
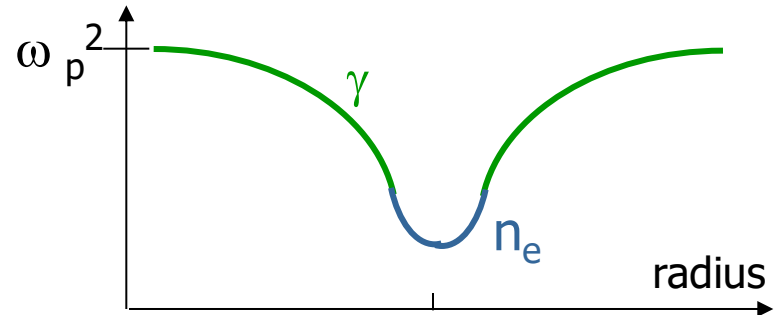


# Relativistic self-focussing of laser in plasmas

$$\omega_p^2 = 4\pi e^2 n_e / m\gamma_{\text{eff}}$$

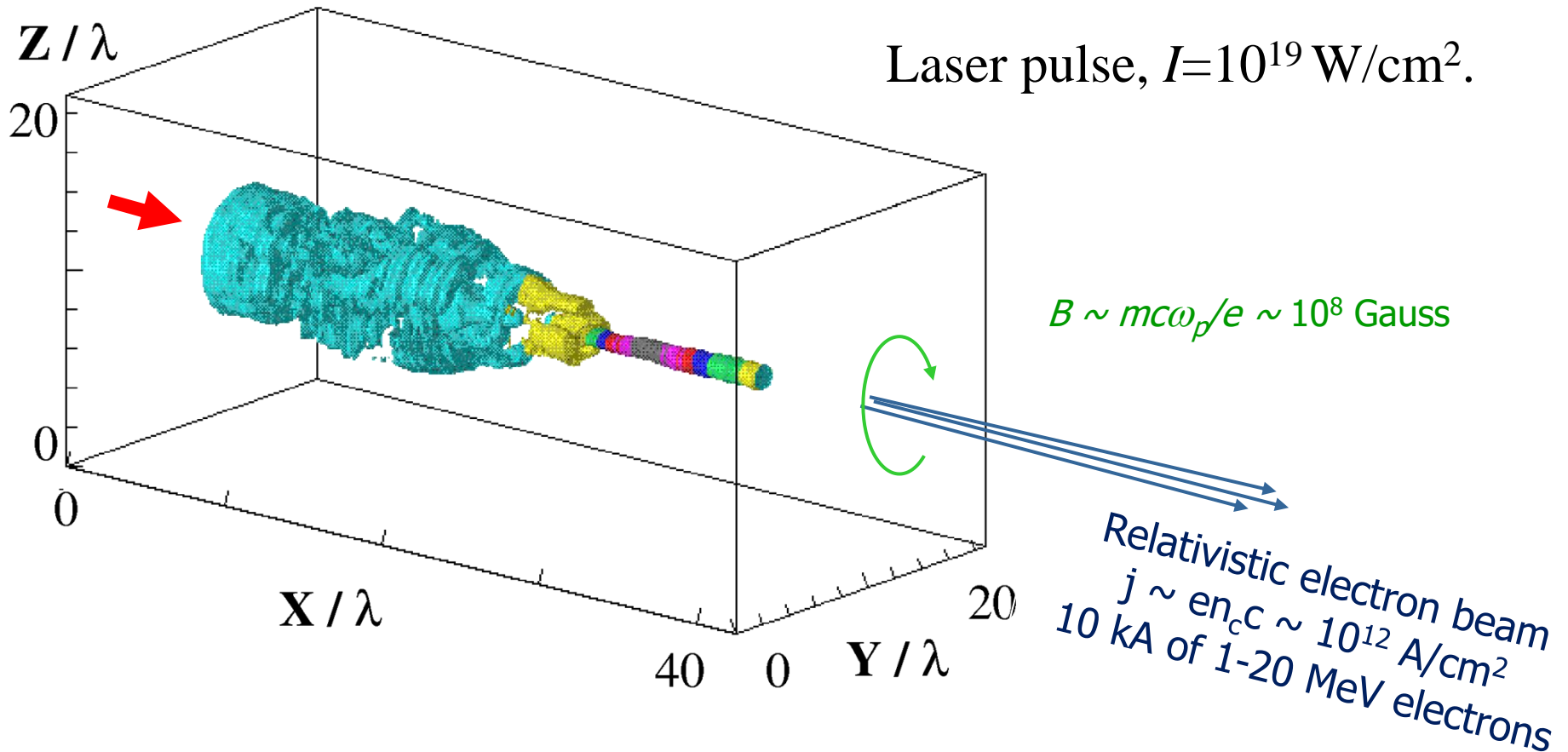
$$n = \sqrt{1 - \omega_p^2 / \omega_L^2}$$

Relativistic mass increase ( $\gamma$ )  
and electron density depletion ( $n_e$ )  
enhance index of refraction in the  
channel region, leading to self-  
focussing



# Relativistic laser self-channeling in Near Critical Density plasmas

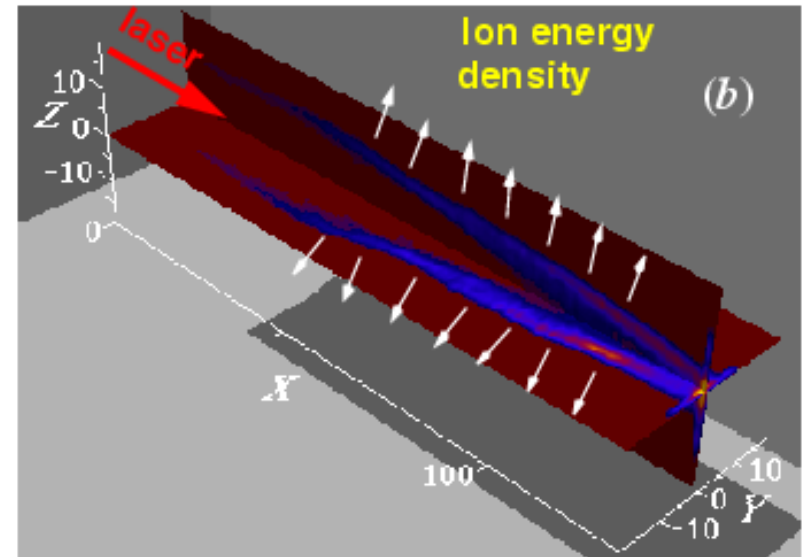
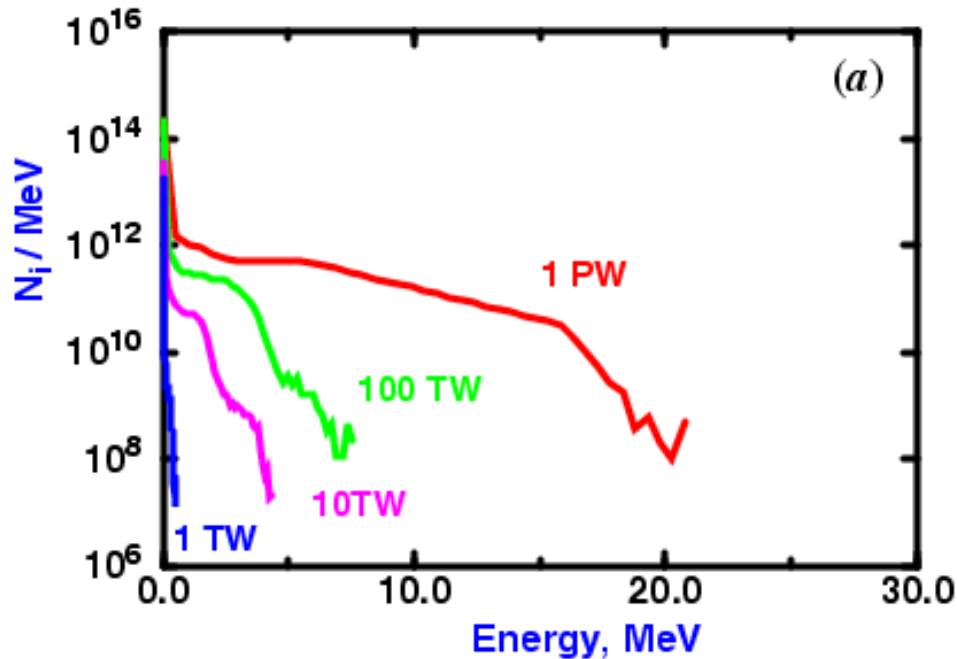
Pukhov, Meyer-ter-Vehn, PRL 76, 3975 (1996)



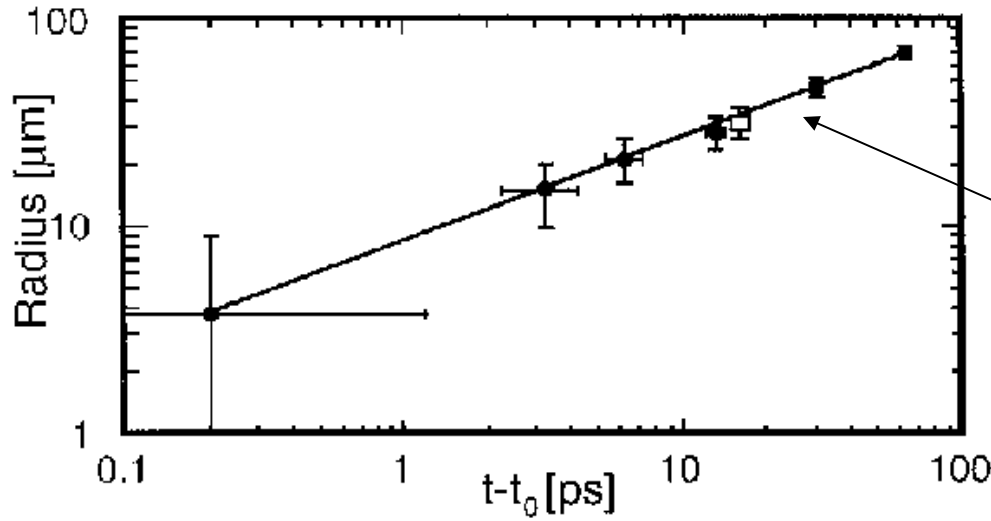


# Explosion of the ion channel

A.Pukhov et al., Phys. Plasmas 6, p.2847 (1999).

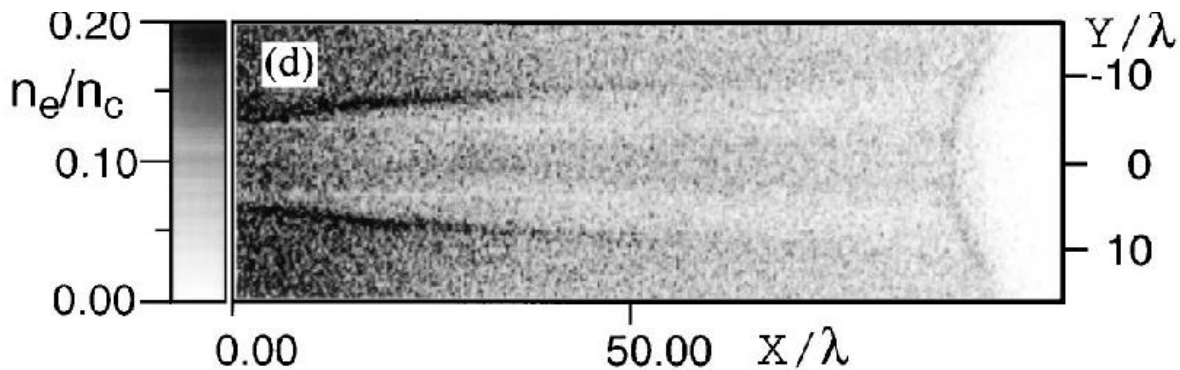


# Channel expansion: Strong cylindrical blast wave



M. Borghesi et al.  
 PRL **80**, p.5137 (1998).

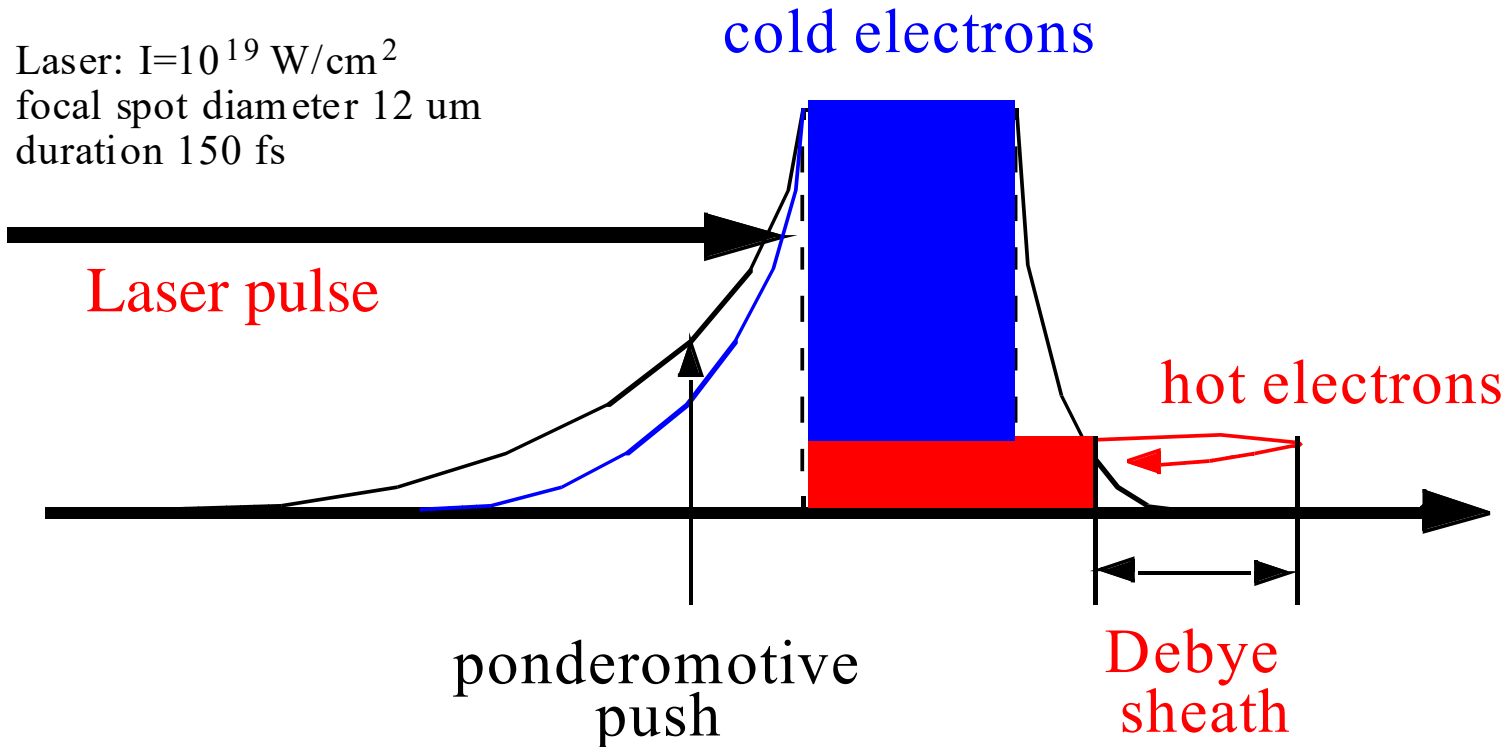
$$R \sim \sqrt{t}$$



Strong shock  
 scaling  
 cylindrical  
 blast wave

# Ion acceleration from solid targets

A.Pukhov, Phys. Rev. Lett. **86**, p.3562 (2001).

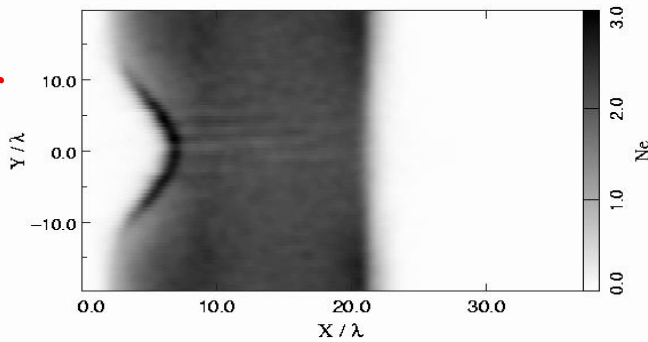


# Ion acceleration from solid targets

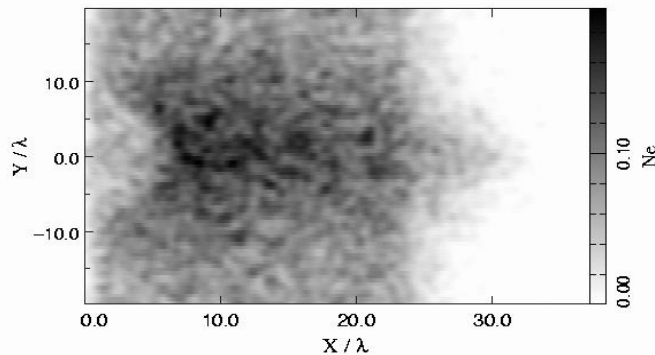
A.Pukhov, Phys. Rev. Lett. **86**, p.3562 (2001).

Cold electrons

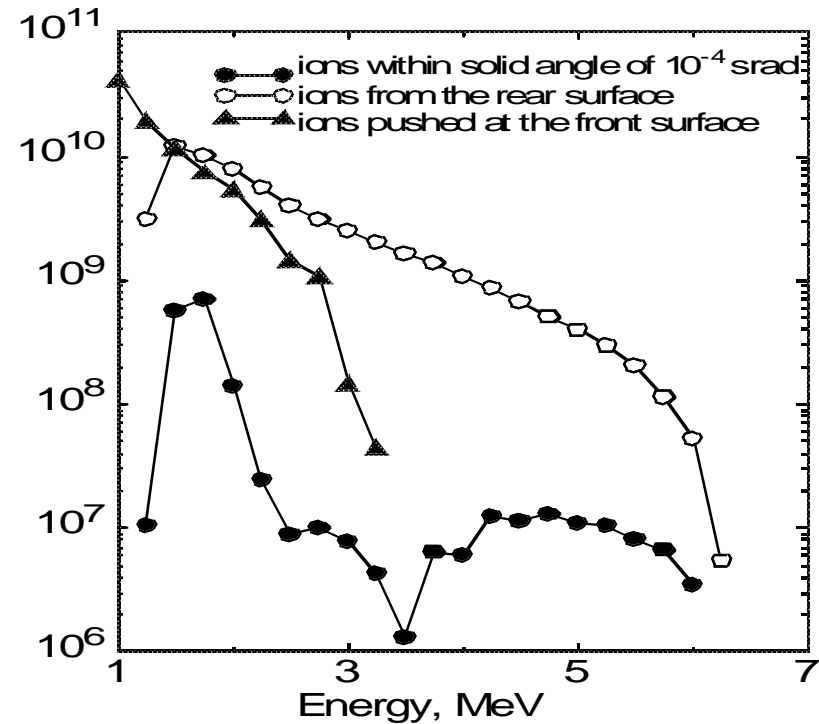
laser



Hot electrons

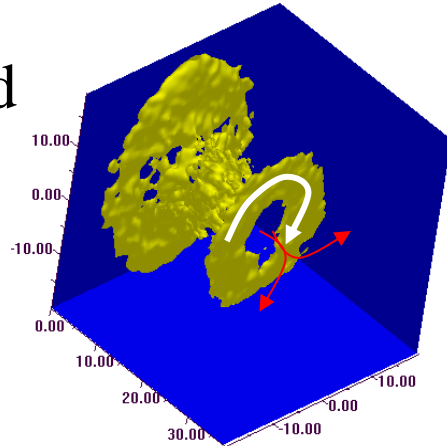


Ion energy spectrum

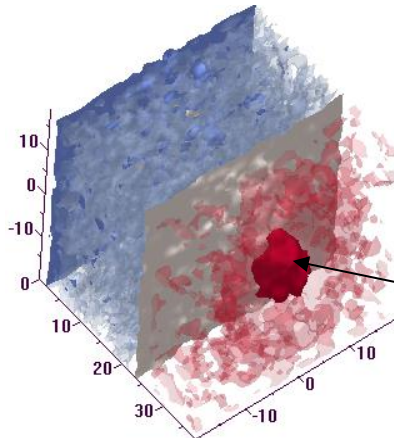


# Fields in laser-solid interaction

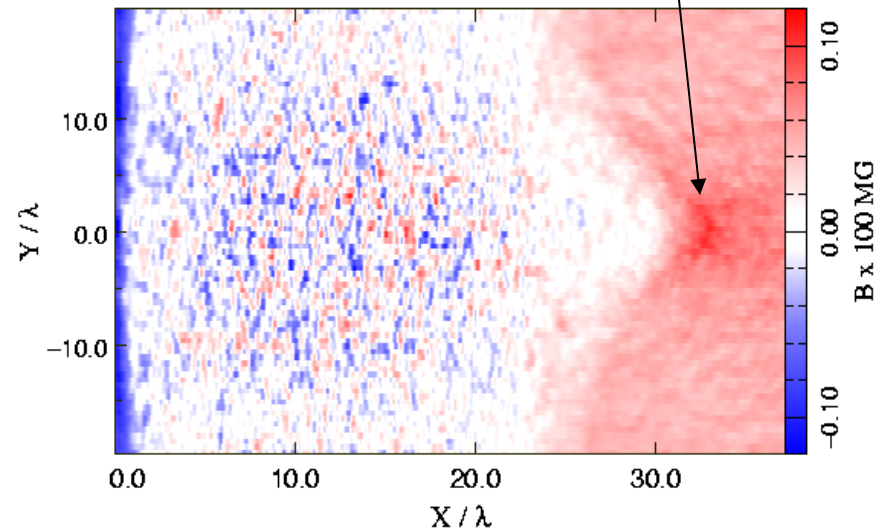
B-field



E-field



Thermal expansion



Debye sheath

# Engineering interaction: Relativistic plasma nanophotonics

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## Why structured plasmas?

1. Laser technology allows for clean relativistic pulses
2. Nanotechnology and 3D printing provide quite involved **regular** target structures at nano- and micro-scales

## What we expect?

1. Higher absorption efficiencies at higher densities
2. New non-linear physics



# Relativistic plasma nano-photonics

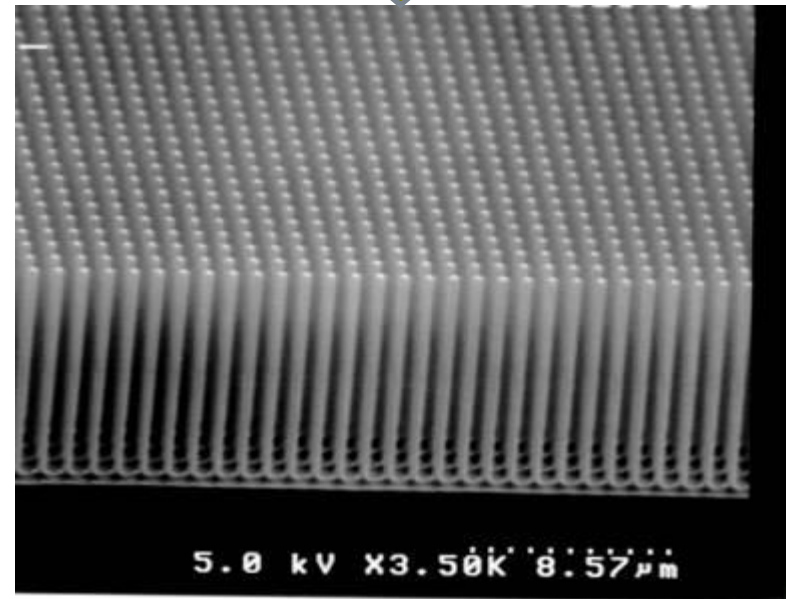
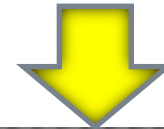
Purvis et al. *Nature Photonics* (2013)

“**Nanograss**”:  
array of nanowires.

Structured material  
of high average density

- What is the absorption mechanism?
- Is it a way to create **high density hot plasma**?
- What is the optimal structure?

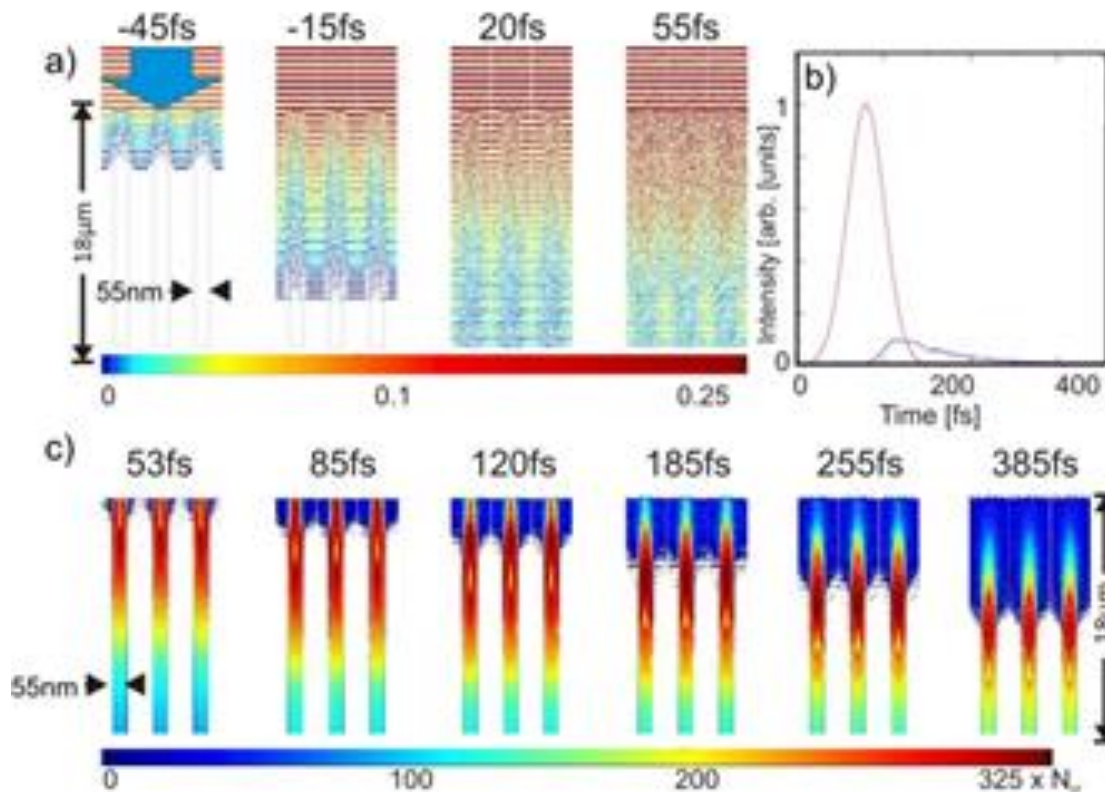
Laser,  $10^{18} \dots 10^{20} \text{ W/cm}^2$



RAC Nanotech LLC

# Isochoric heating of near solid density plasma

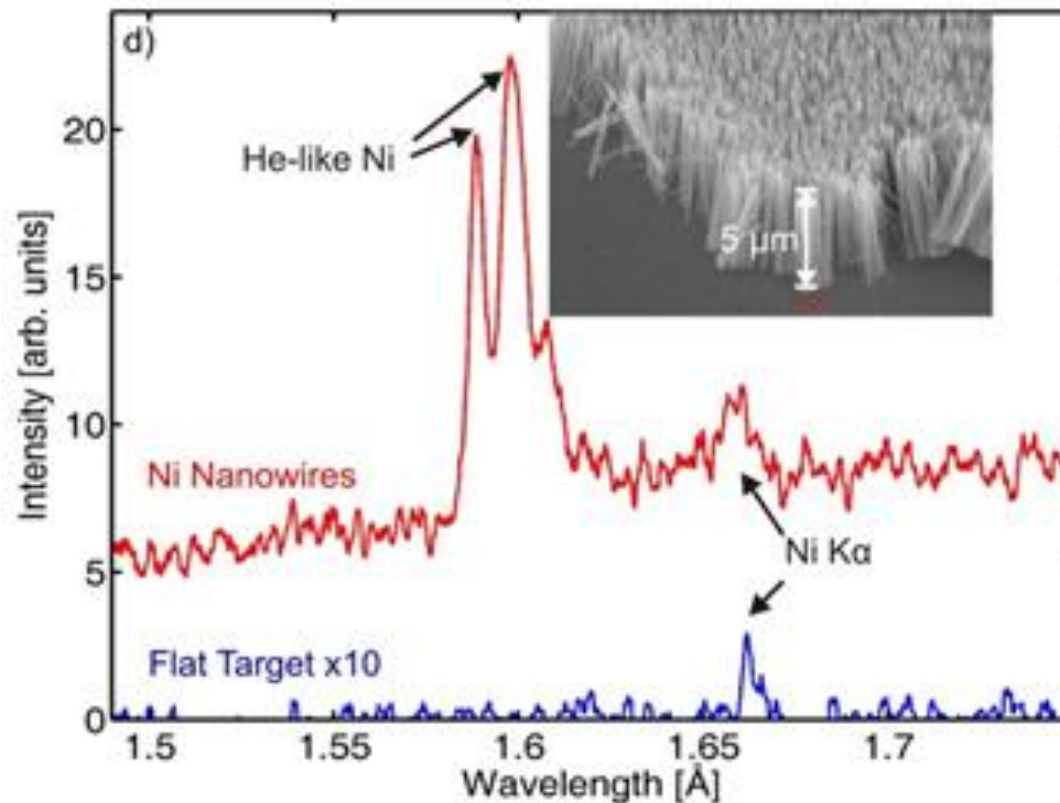
Purvis et al. *Nature Photonics* (2013)



3D PIC simulation of laser beam electric field penetration in an array of vertically aligned 55 nm diameter, 18 μm long Ni wires with an average density of 12% solid density irradiated at an intensity of  $5 \times 10^{18} \text{ W/cm}^2$  by a  $\lambda = 400 \text{ nm}$ , 50 fs laser pulse.

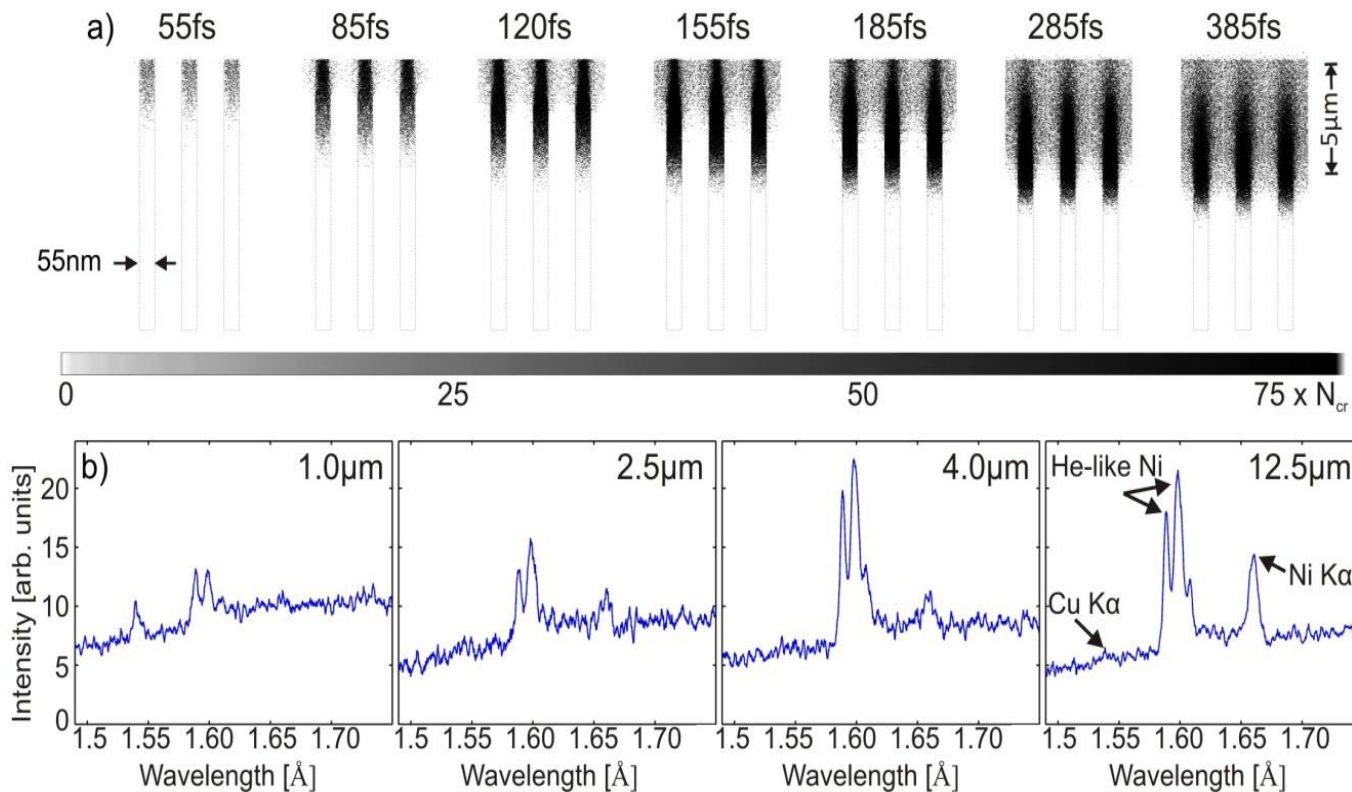
# Several orders of magnitude higher x-ray yield from nanoplasm

Purvis et al. *Nature Photonics* (2013)



# He-like Ni in 3D PIC simulations

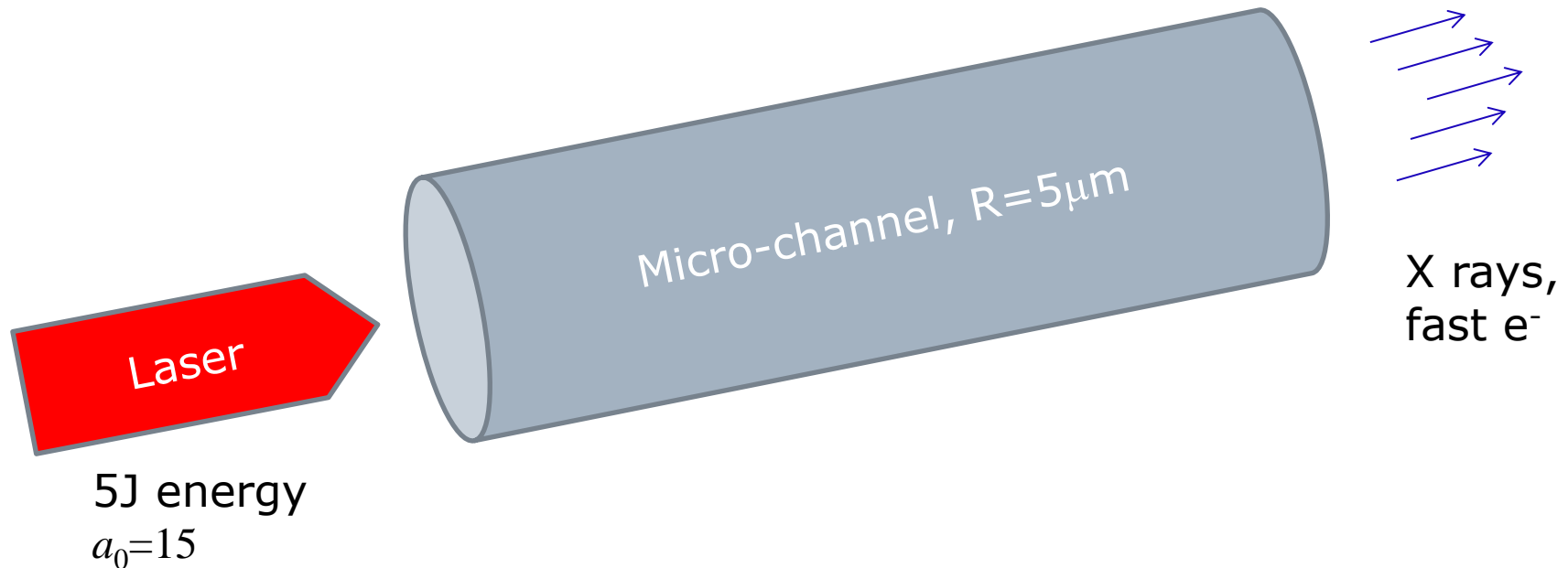
Purvis et al. *Nature Photonics* (2013)



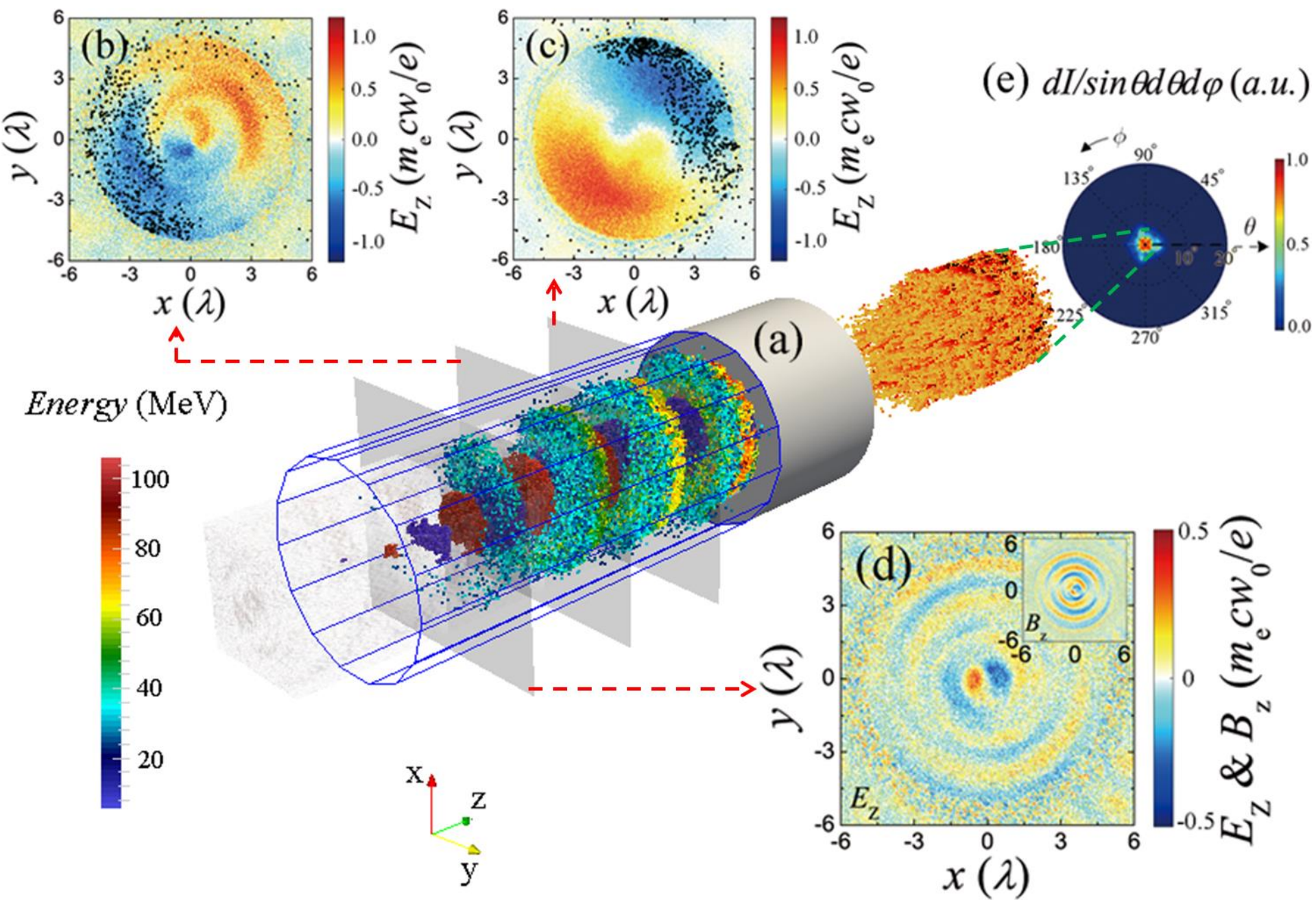
Absorption  
depth  $\sim 5 \mu\text{m}$ .

# Radiation generation in a plasma micro-channel

*Longqing Yi et al. PRL (2016), accepted*



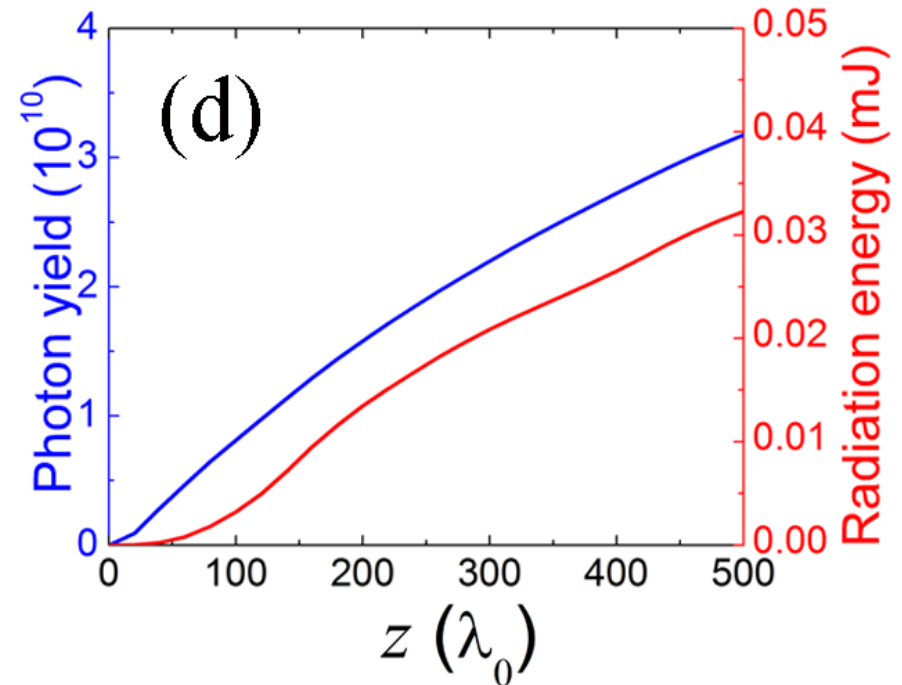
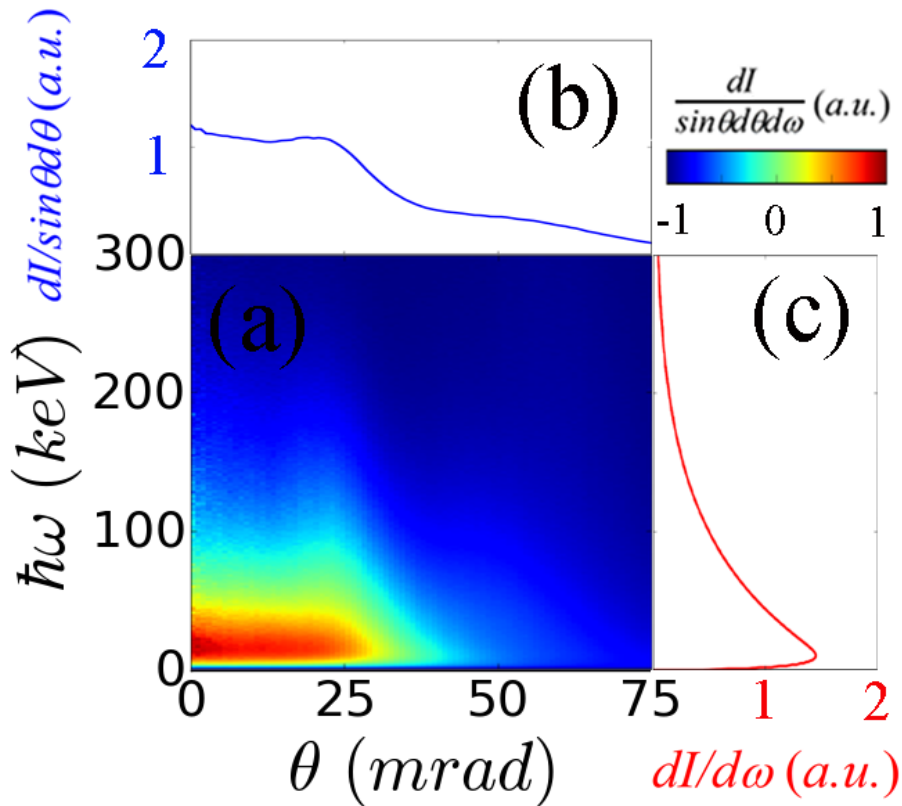






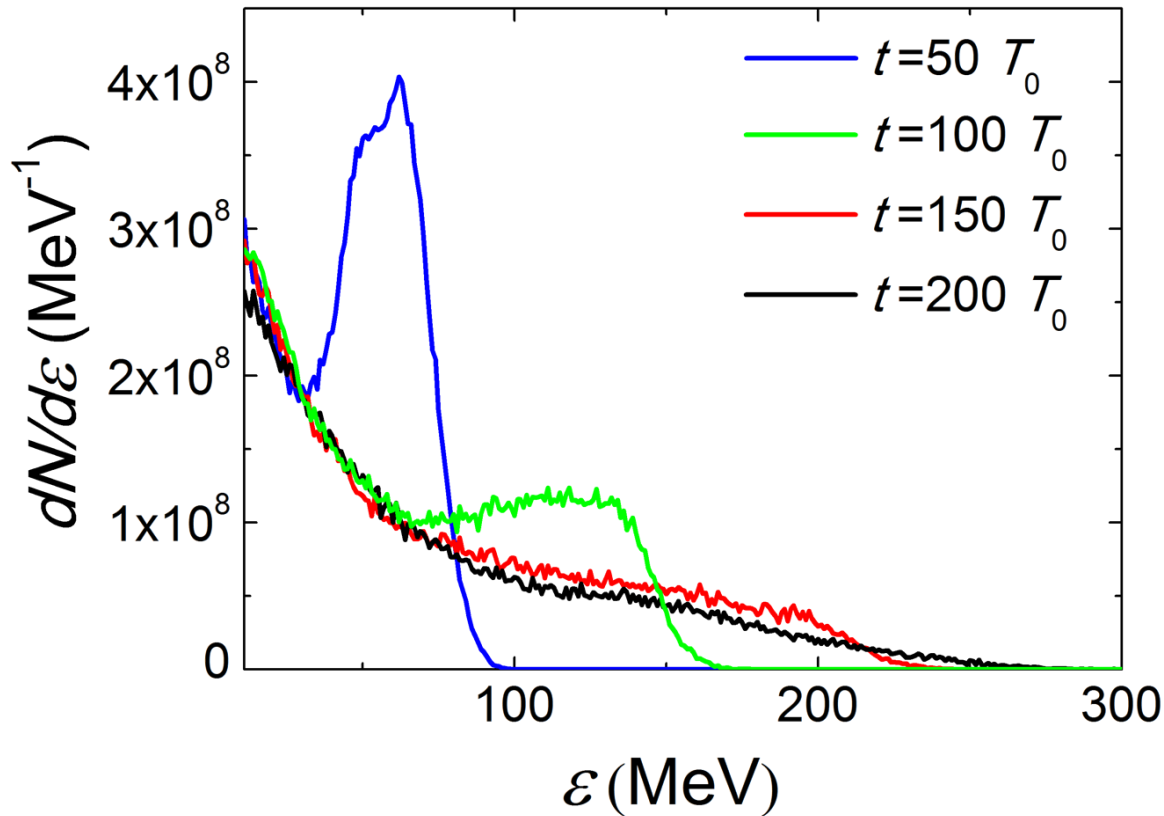
# Radiation generation in a plasma micro-channel

*Longqing Yi et al. PRL (2016), accepted*



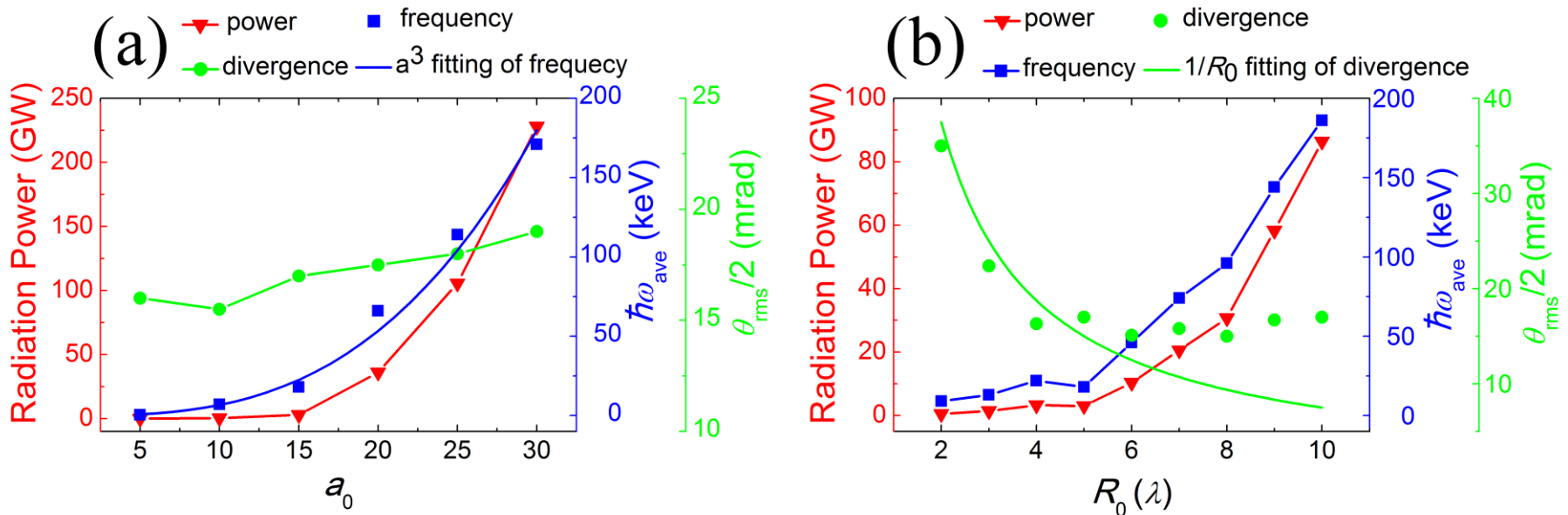
# Radiation generation in a plasma micro-channel

*Longqing Yi et al. PRL (2016), accepted*



# Radiation generation in a plasma micro-channel

*Longqing Yi et al. PRL (2016), accepted*



# Radiation generation in a plasma micro-channel

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*Longqing Yi et al.* PRL (2016), accepted

Bright photon source

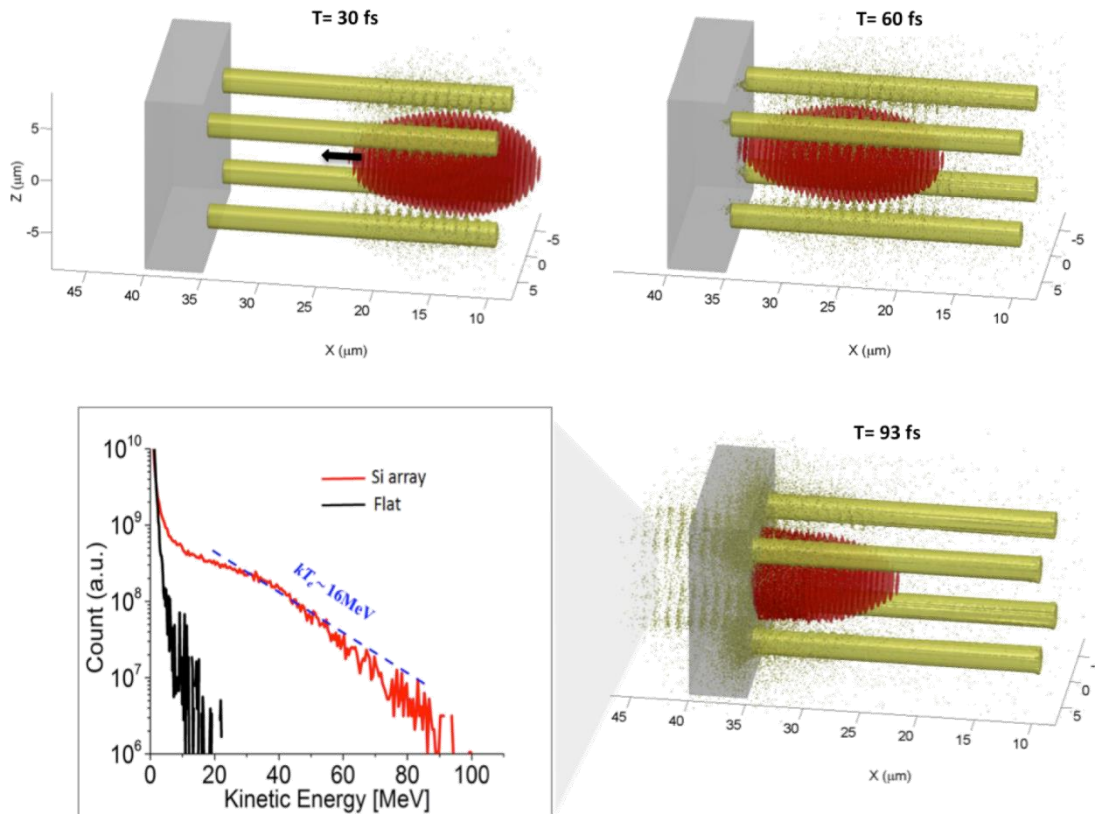
$1.2 \times 10^{10}$  photons at 20 keV in  $\Delta\theta = 50$  mrad

Peak spectral intensity of

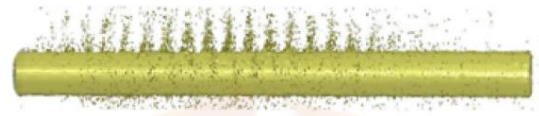
$1.8 \times 10^{17}$  photons/mrad /s/0.1% bandwidth.

# Relativistic microoptics

*Jiang et al., PRL (2016)*

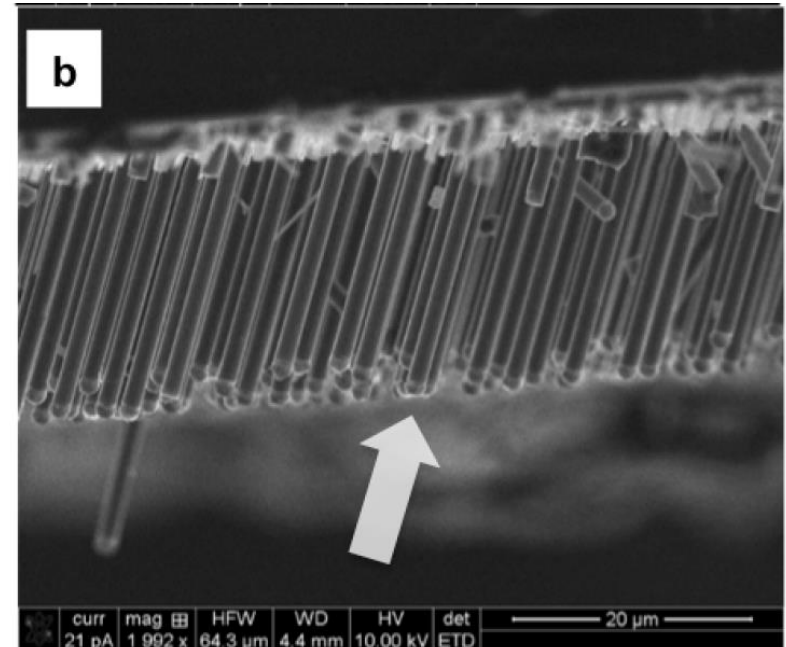
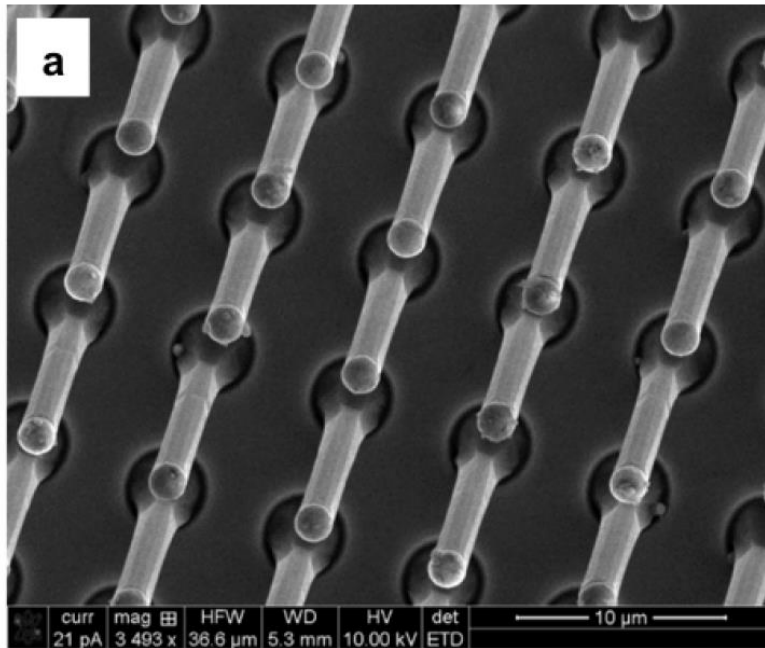


Microwire array:  
 Laser guiding, focusing  
 enhanced electron  
 heating



# Relativistic microoptics global focusing of the laser

*Jiang et al., PRL (2016)*

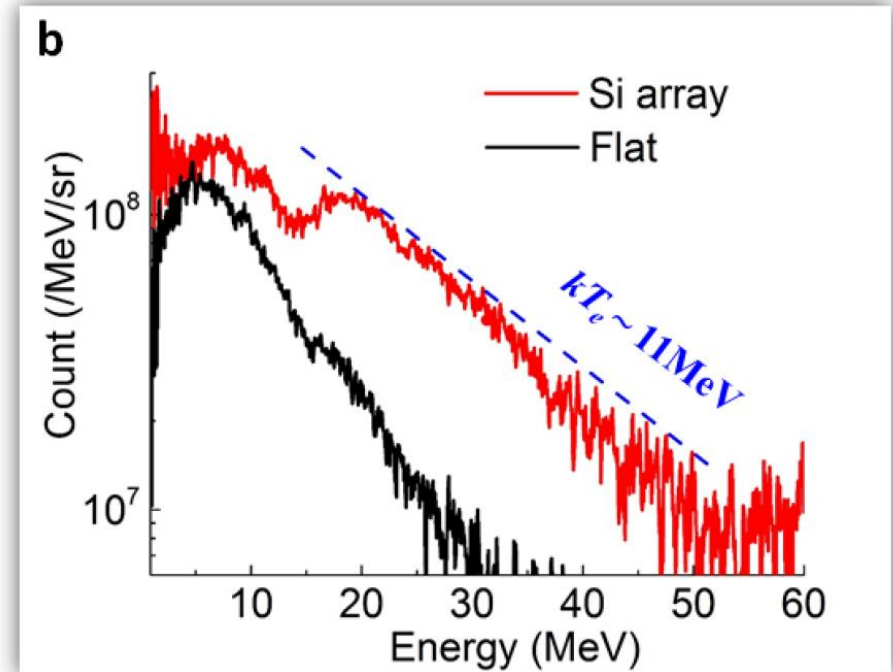
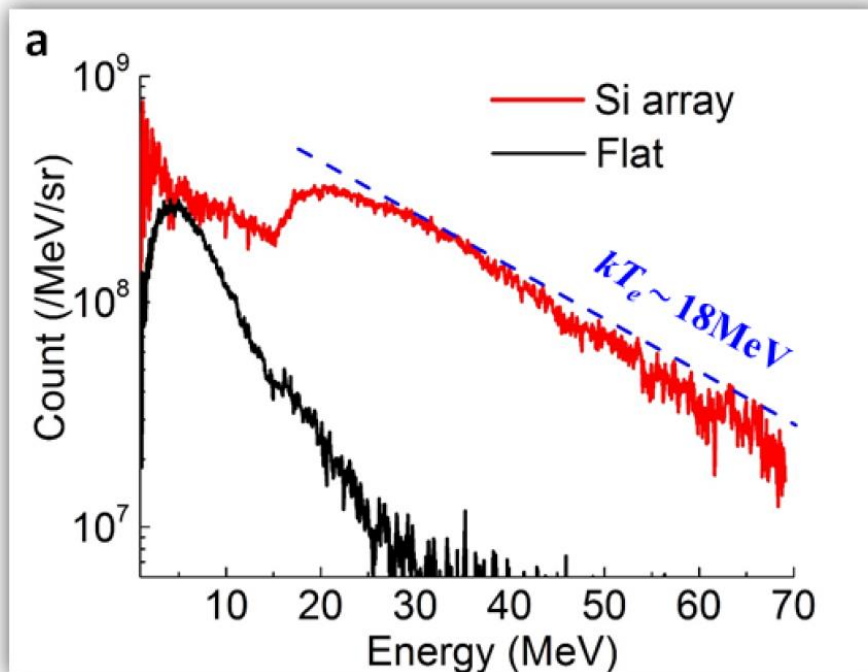


A scanning electron microscope (SEM) images of microphotronics targets:  
**a**, top view showing wire spatial distribution.  
**b**, side view showing the orientation of the wires



# Relativistic microoptics

Jiang et al., *PRL* (2016)

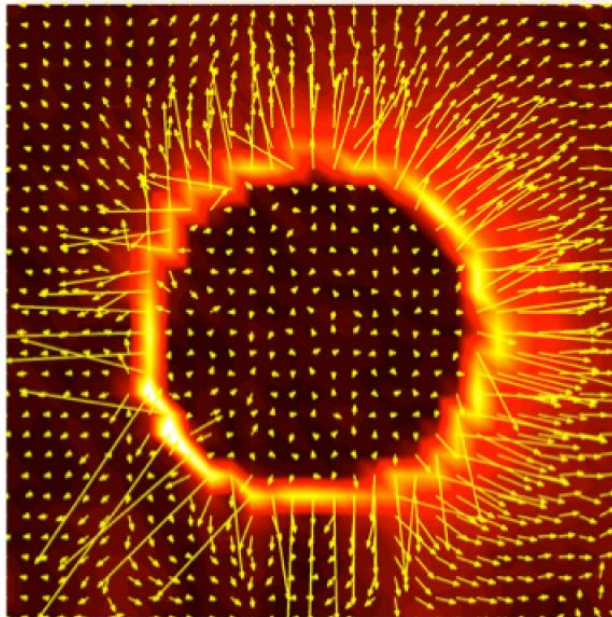
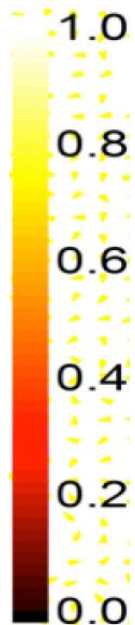


**Experimental results:** electrons spectra for 4 laser shots. Flat target spectra (blue), Si arrays spectra (green).

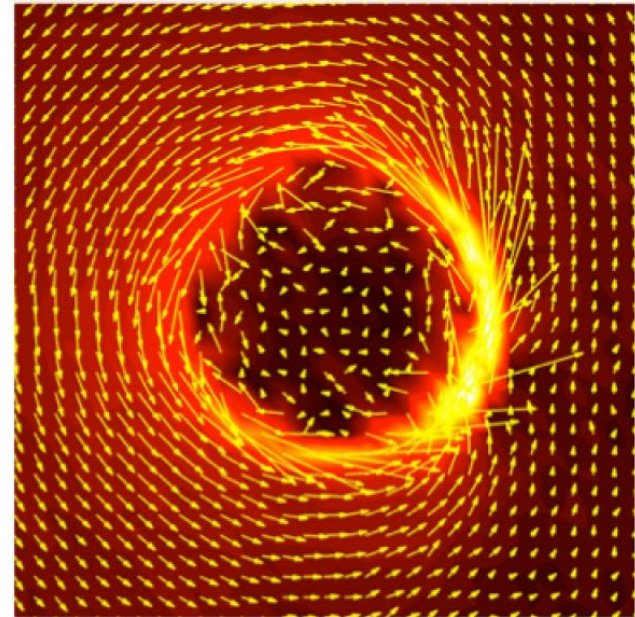
# Relativistic microoptics

*Jiang et al., PRL (2016)*

Averaged field structure around the microwire



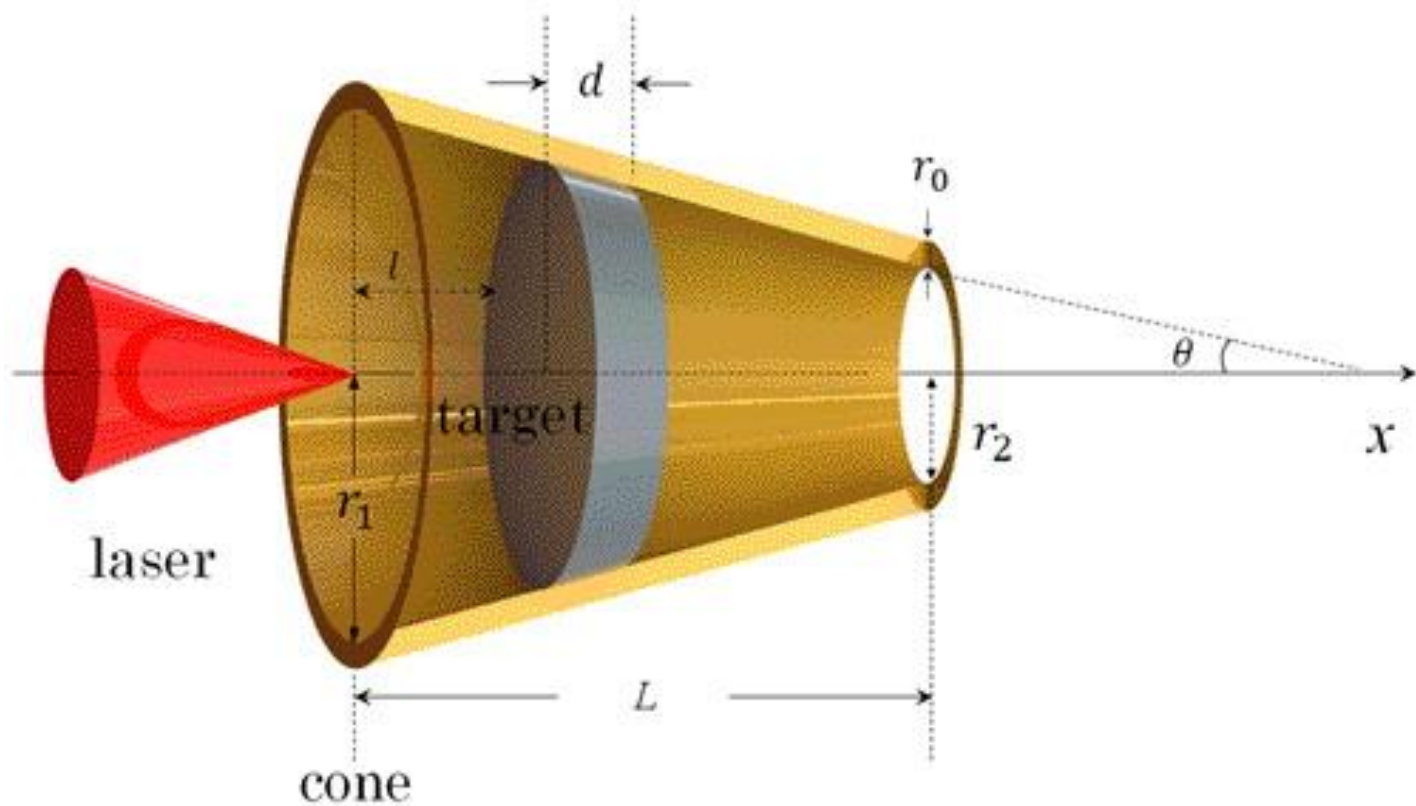
**E-field**



**B-field**

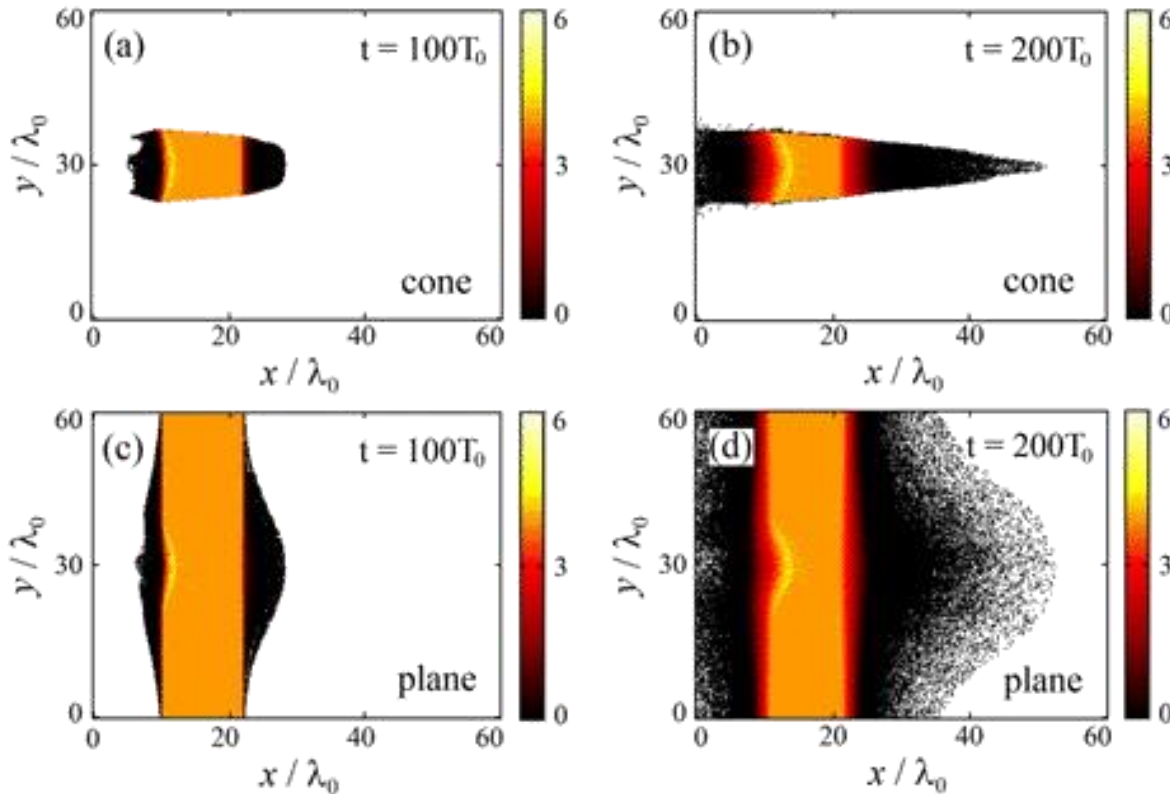
# Microcone interaction

D. Zhou et al. *Phys. Plasmas* (2015)



# Microcone interaction

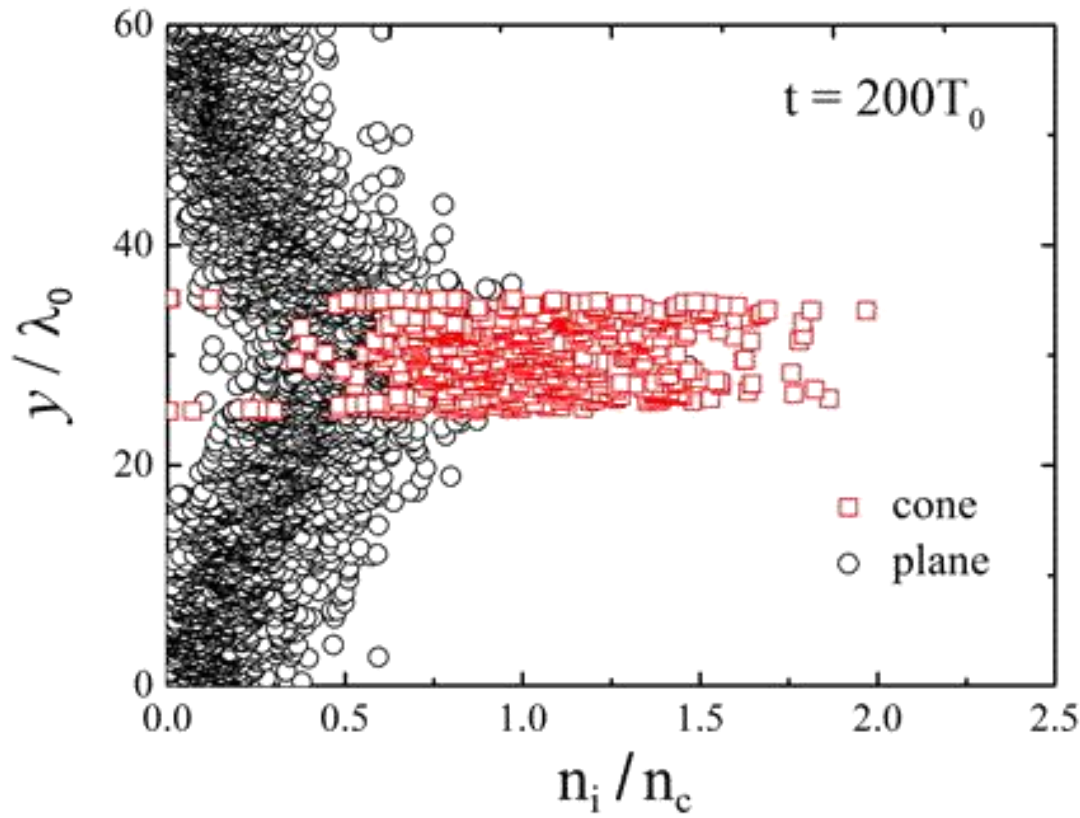
D. Zhou et al. *Phys. Plasmas* (2015)



Protons for both cone and plane targets cases at  $t = 100$  and  $200$ . Here, the density is normalized by the critical density

# Microcone interaction

D. Zhou et al. *Phys. Plasmas* (2015)

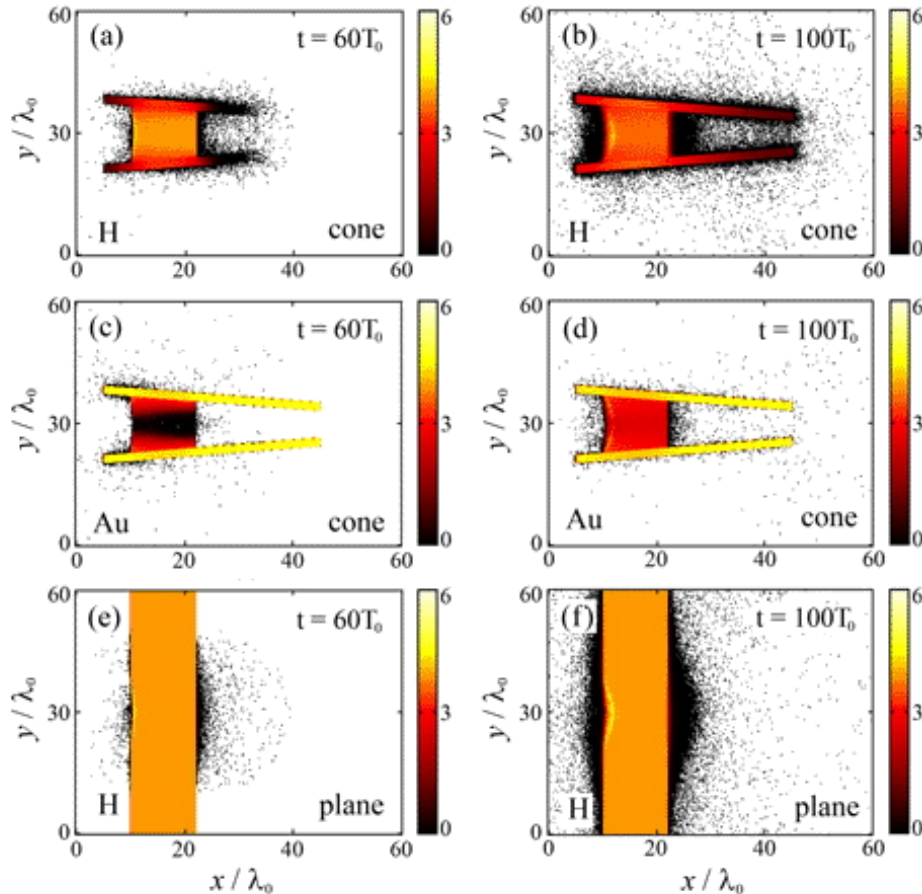


The average proton density at  $t = 200$  for the cone (red squares) and plane (black circles) target cases.



# Microcone interaction

D. Zhou et al. *Phys. Plasmas* (2015)



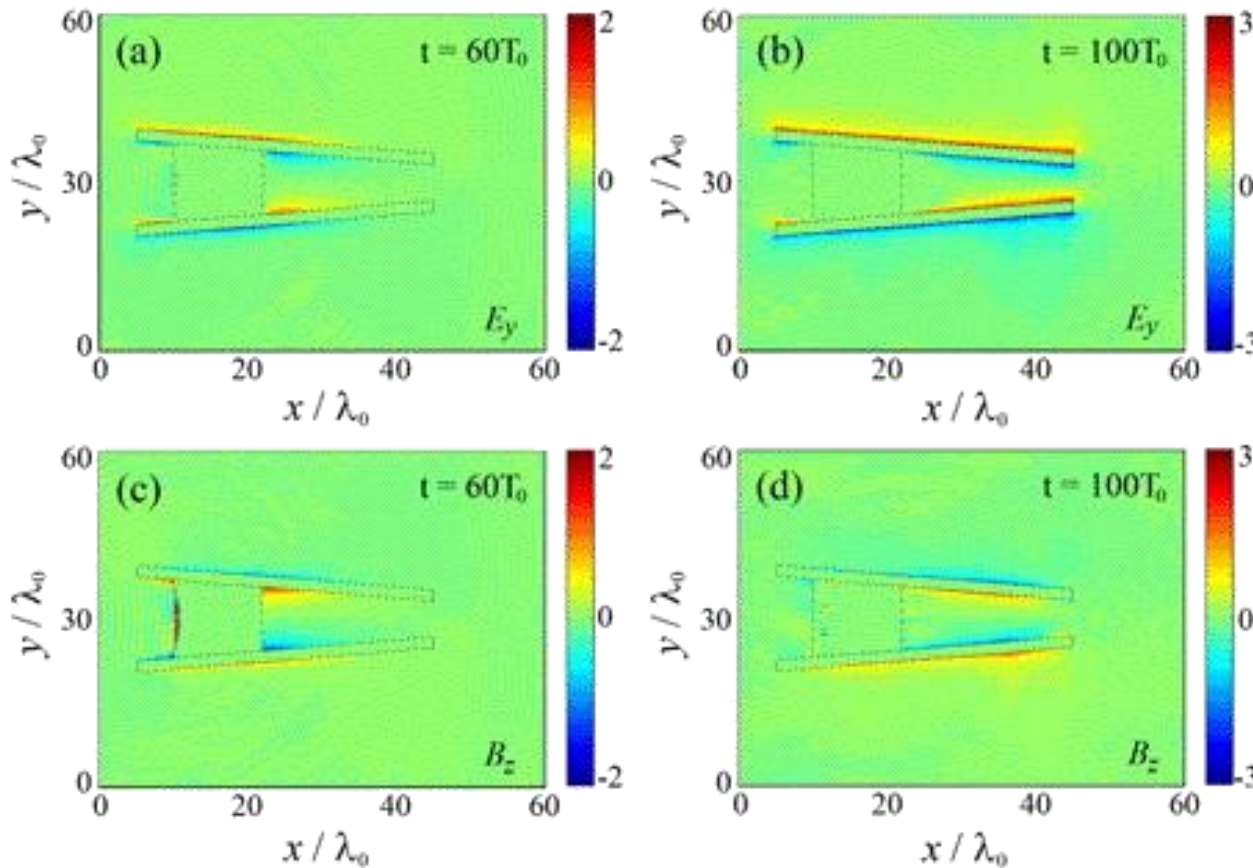
The electron density distribution of the solid target [(a) and (b)] and the guiding cone [(c) and (d)] for cone target case at  $t = 60$  and  $t = 100$ .

For comparison, the electron density distribution for the plane target case is presented in (e) and (f).



# Microcone interaction

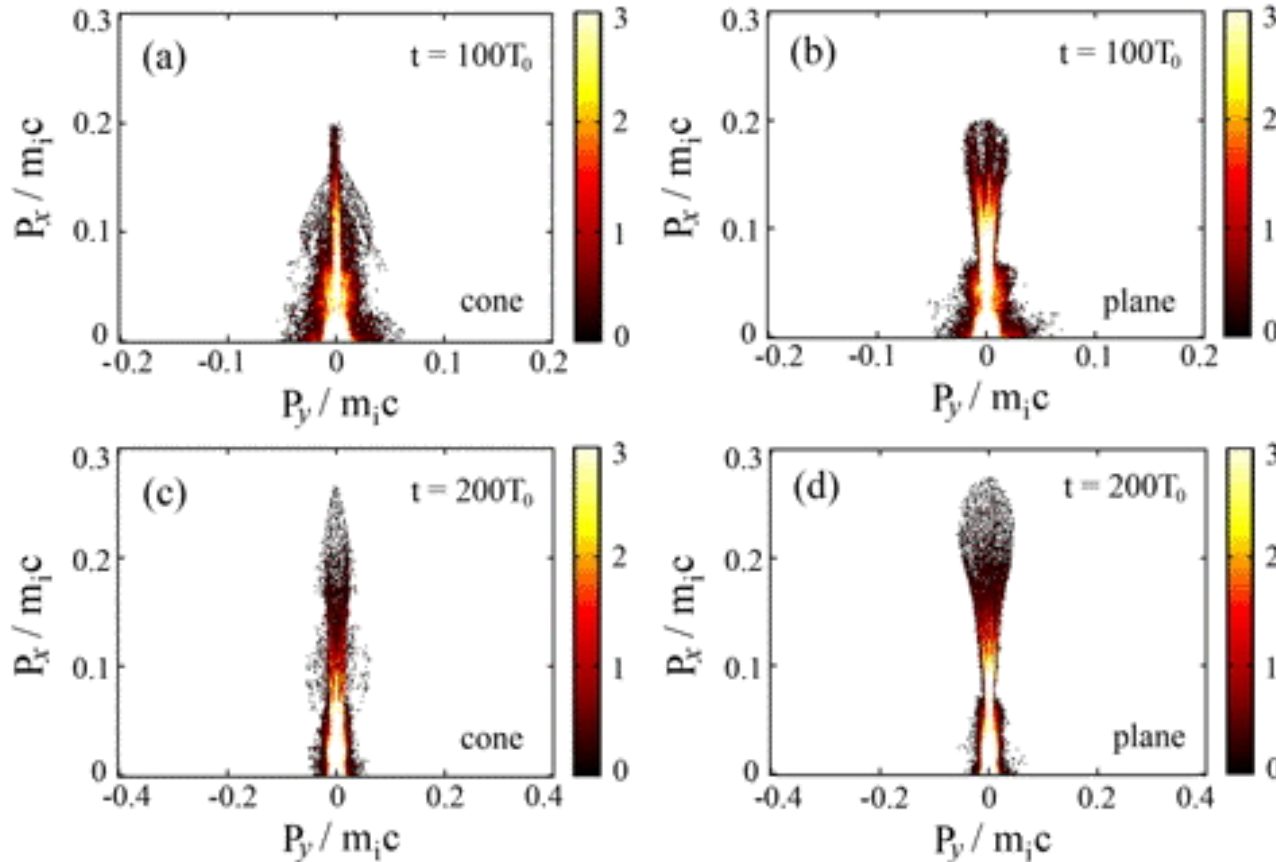
D. Zhou et al. *Phys. Plasmas* (2015)



Quasi-static fields  
 $E_y$  [(a) and (b)]  
 $B_z$  [(c) and (d)]  
 for the cone target

# Microcone interaction

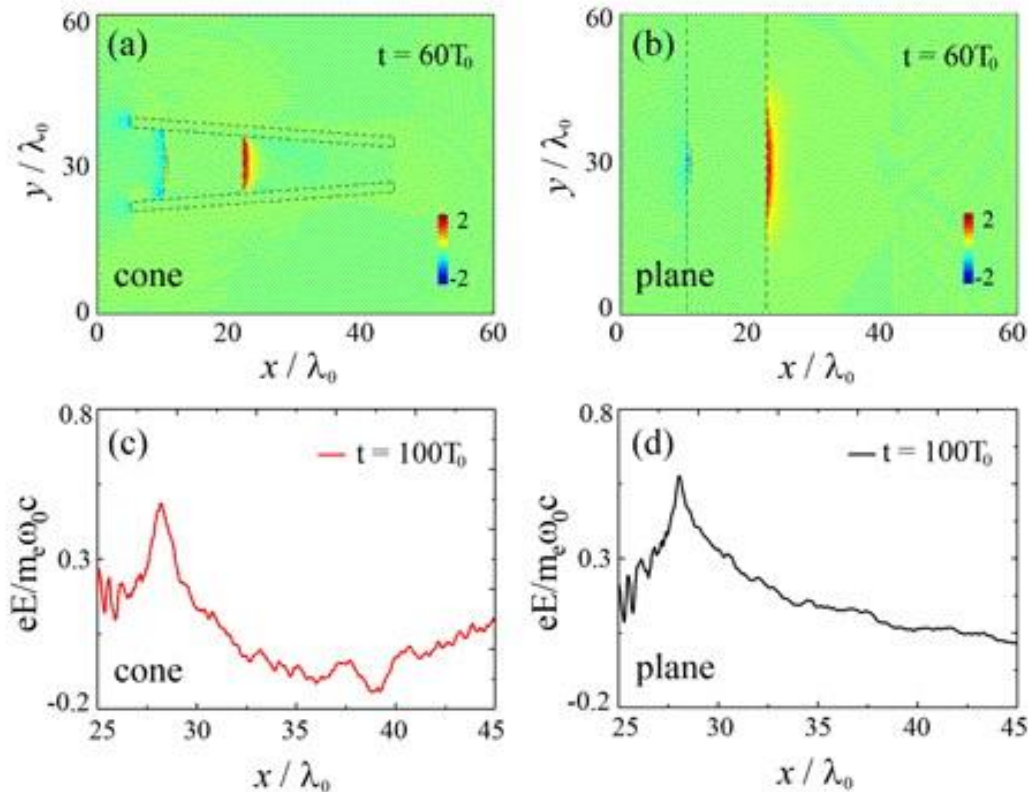
D. Zhou et al. *Phys. Plasmas* (2015)



Proton momentum  
 for the cases of  
 cone [(a) and (c)]  
 plane [(b) and (d)]  
 at  $t = 100$   
 and  $t = 200$

# Microcone interaction

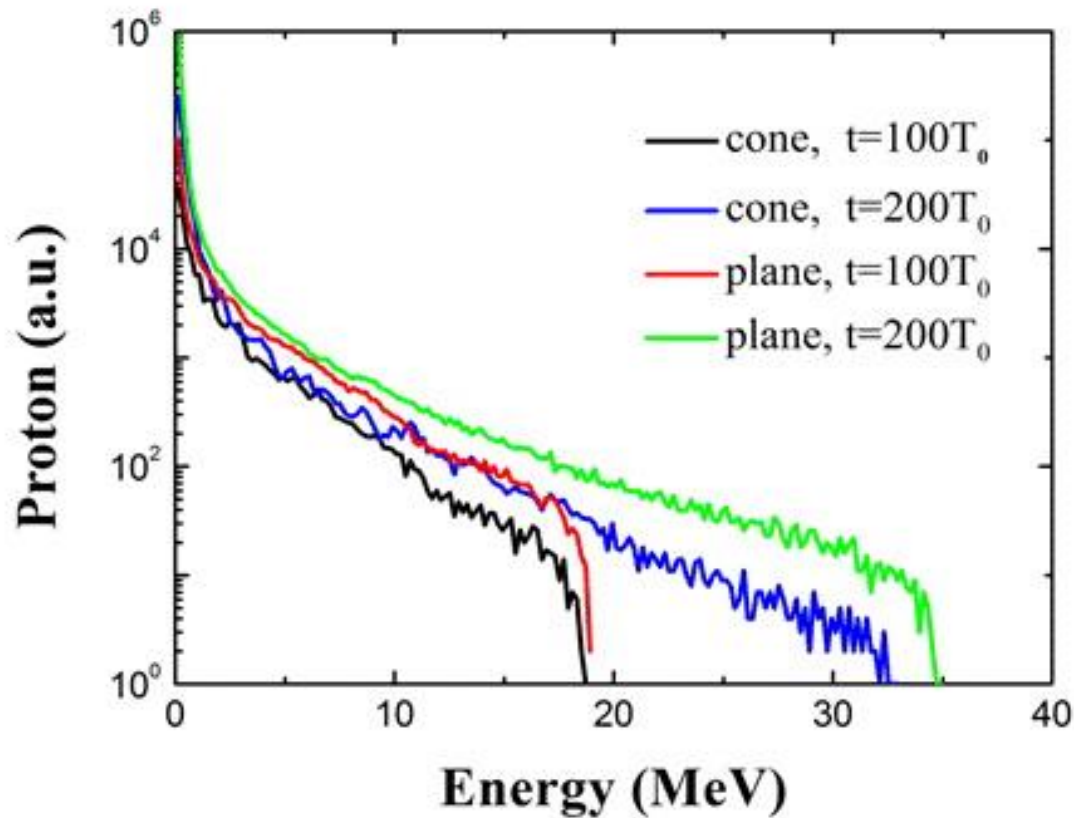
D. Zhou et al. *Phys. Plasmas* (2015)



Longitudinal field  $E_x$   
and the axial profiles  
along the laser axis  
for the cone [(a) and (c)]  
and plane [(b) and (d)]  
at  $t = 60$  and  $t = 100$

# Microcone interaction

D. Zhou et al. *Phys. Plasmas* (2015)



Proton energy spectra

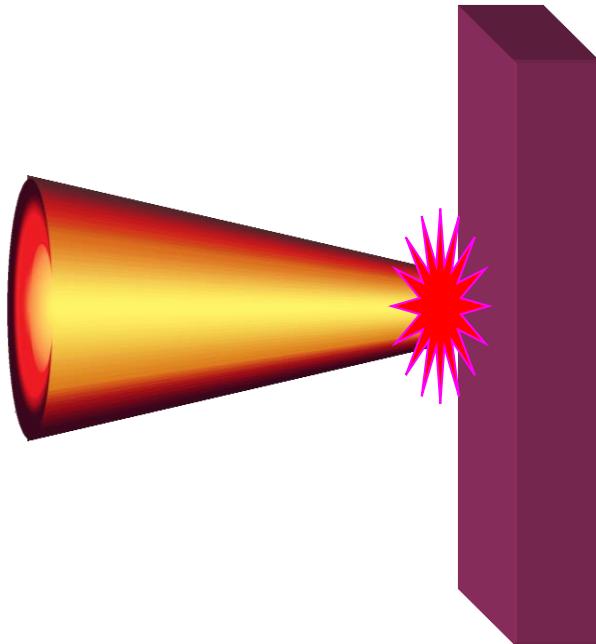
# Ion acceleration: Sailing on the light





# Ion acceleration from nanofoils Light Sail Regime

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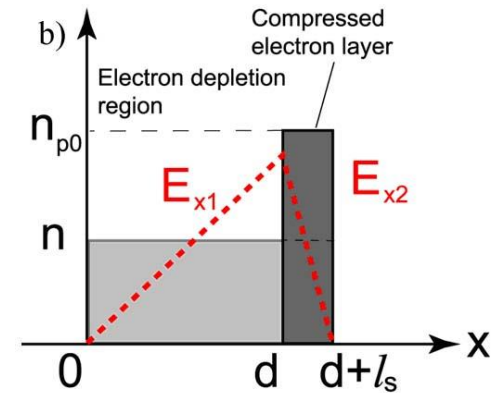
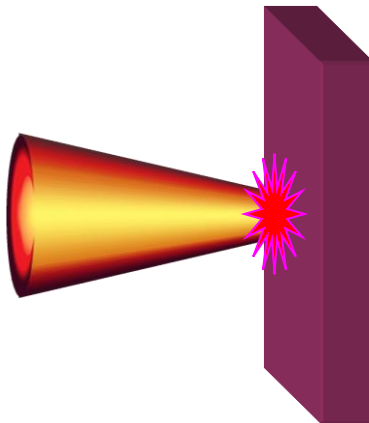
**Light pressure:**

$$P = \frac{I}{c} \approx 3.3 \text{ GBar for } I = 10^{19} \text{ W/cm}^2.$$

**Thin nanofoils can be accelerated  
to relativistic velocities by the laser pressure  
in the “Light Sail Regime”**

# Thin foils: light sail regime circularly polarized laser pulse

Zhang, et al., (2007), Robinson, et al., (2008); Klimo, et al., (2008); Yan, et al., (2008).



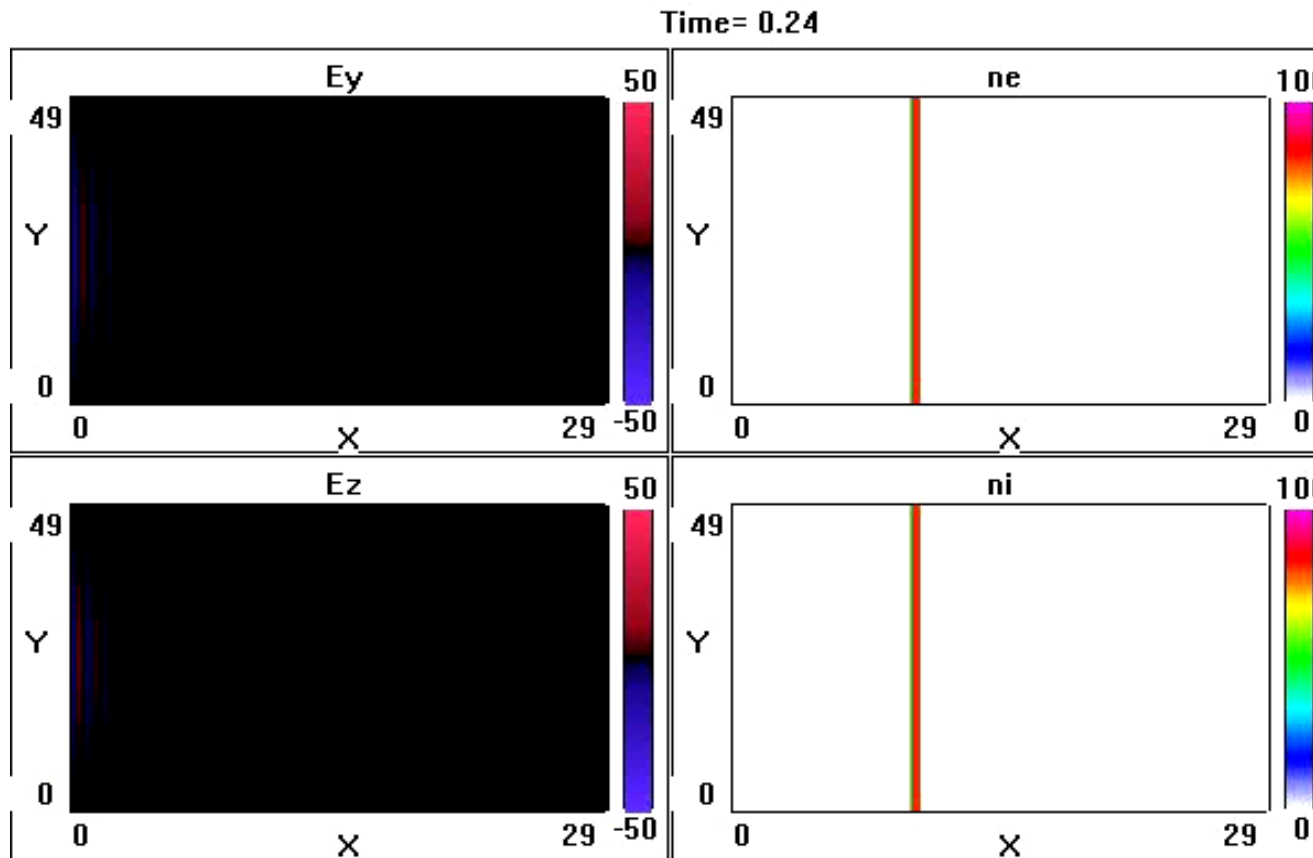
$$a_L(1 + \eta)^{1/2} \sim (n_0/n_c)(D/\lambda_L).$$

To be sure the CP ponderomotive force is balanced by the charge separation field and all the ions in the target can be accelerated.

$$a_L < (n_0/n_c)(2\pi D/\lambda_L).$$

To be sure the electrons and ions are not completely separated.

# 3D regime of light sail: Gaussian pulse



$a=50$   
 $\tau=26 T_L$   
 $\sigma_r=5\lambda$   
 $n/n_c=80$   
 $L=0.5\lambda,$



# Shaped foil target (SFT)

In the regime of RPA, the foil motion equation:

$$\frac{d\beta}{dt} = \frac{E_L^2}{2\pi\rho c} (1-\beta)^2 \sqrt{1-\beta^2}, \quad p = mnlv = \rho v, \quad \rho = mnL \quad \text{Foil area mass density}$$

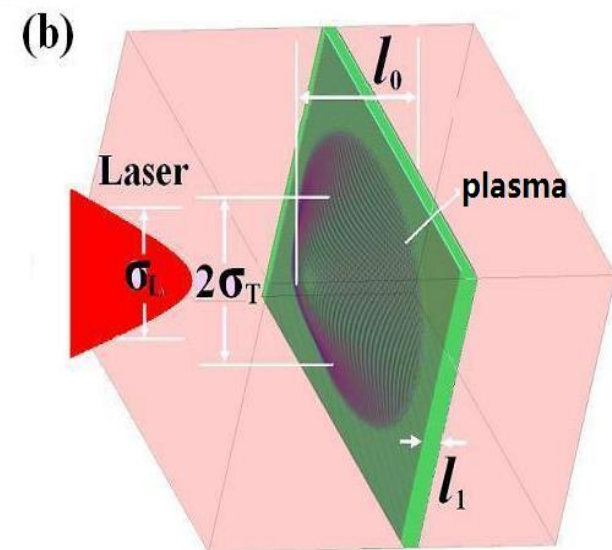
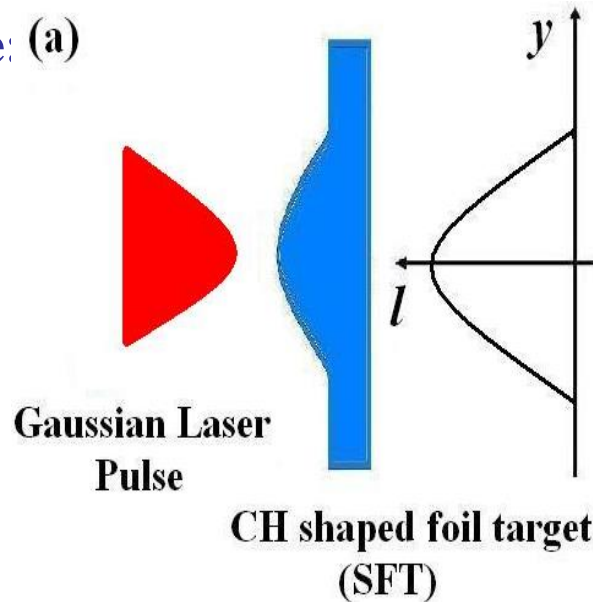
For Gaussian Laser pulse: (a)

$$E_L^2 \propto \rho \propto nmL$$

$$E_L = E_0 e^{(-r^2/\sigma_L^2)}$$

$$L = L_0 e^{(-r^2/\sigma_T^2)}$$

$$\sigma_L \approx \sqrt{2}\sigma_T$$



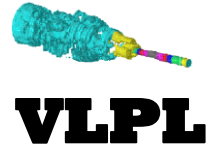
See references here:

*M. Chen et al., PRL 103, 024801 (2009)*

*T.P. Yu et al., Laser Part. Beams 27, 611 (2009)*

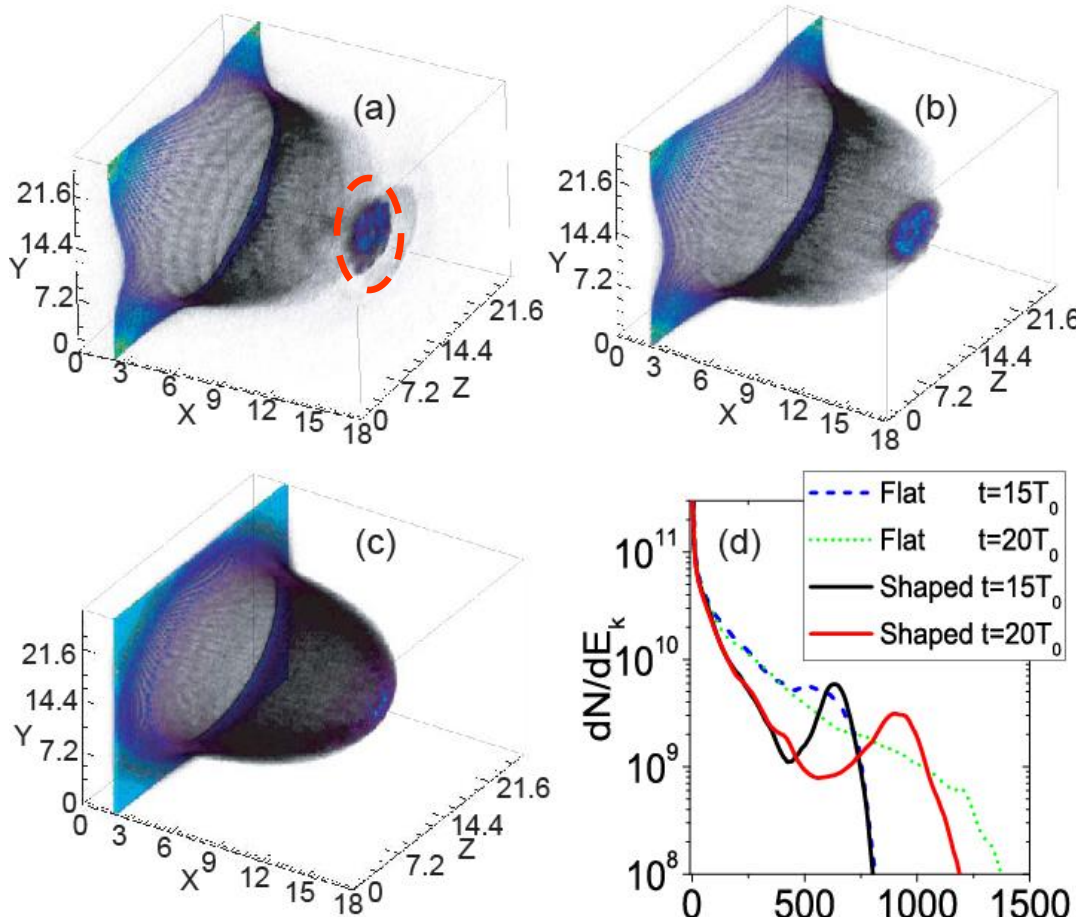
*M. Chen et al., New J. Phys. 12, 045004 (2010)*

# 3D Simulation Results



## Shaped target

Chen, Yu, Pukhov, Sheng *PRL* (2009)



$t=20T_0$   
3D simulation:  
 $N_e$  and  $N_i$

**Well-defined  
proton bunch  
for the shaped  
foil target**

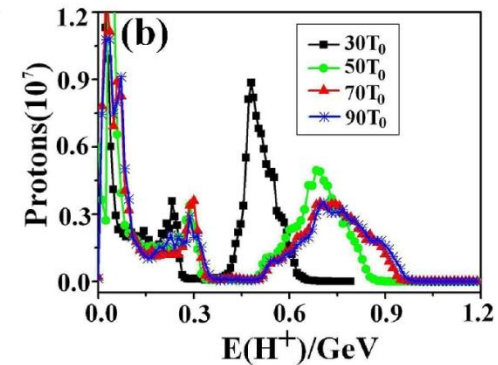
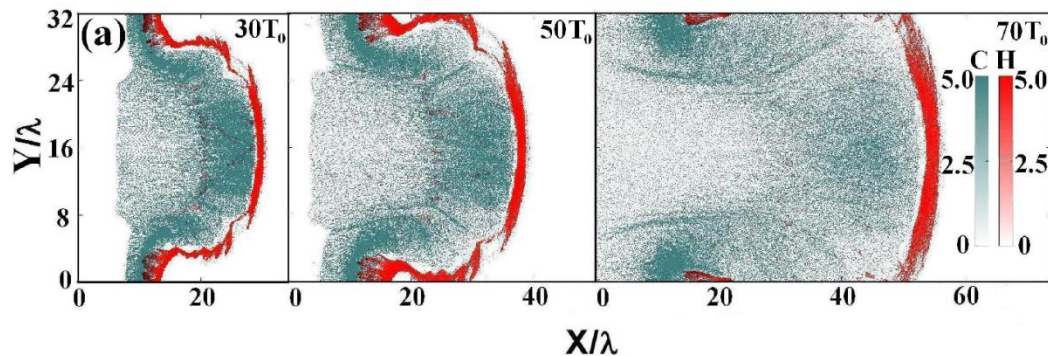
**Flat foil**

# Two-specie targets. CH foil

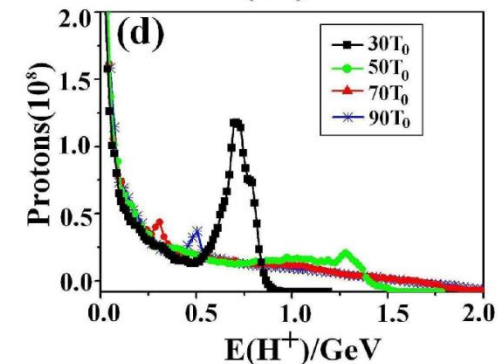
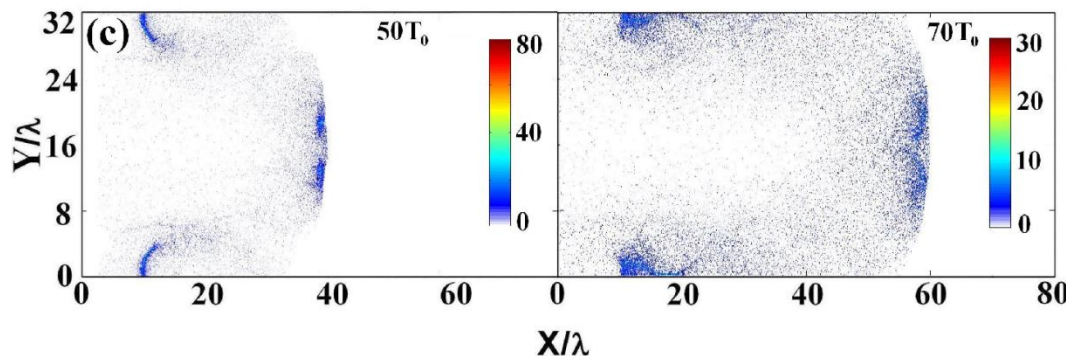
Yu, Pukhov, Shvets, et al. *PRL* **105**, 065002 (2010)

Protons are quickly separated from carbons

Protons build up a dense layer on top of heated carbon cloud



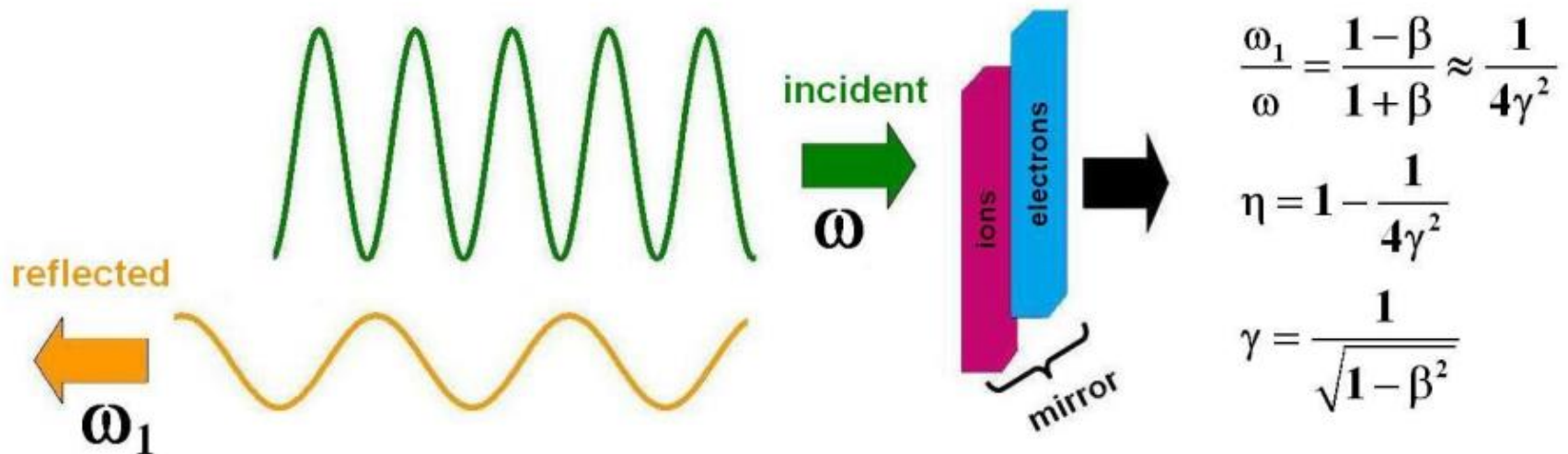
CH foil



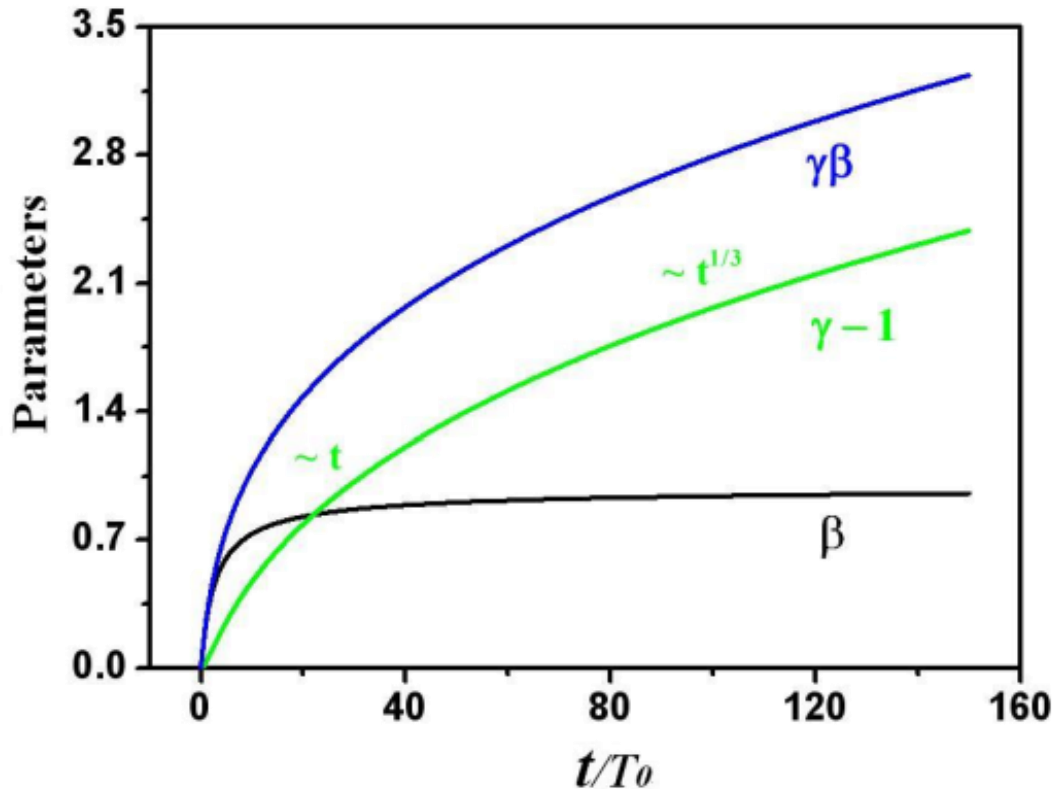
Pure  
H target

# Limit of light sail acceleration: GeV/u

$$\rho \frac{d(\gamma\beta)}{dt} = \frac{E_l^2}{2\pi c} \frac{1-\beta}{1+\beta} \quad \rho = \sum_i m_i n_i l \text{ -- foil area mass density}$$



# Limit of light sail acceleration: GeV/u



$$\rho \frac{d(\gamma\beta)}{dt} = \frac{E_l^2}{2\pi c} \frac{1-\beta}{1+\beta}$$

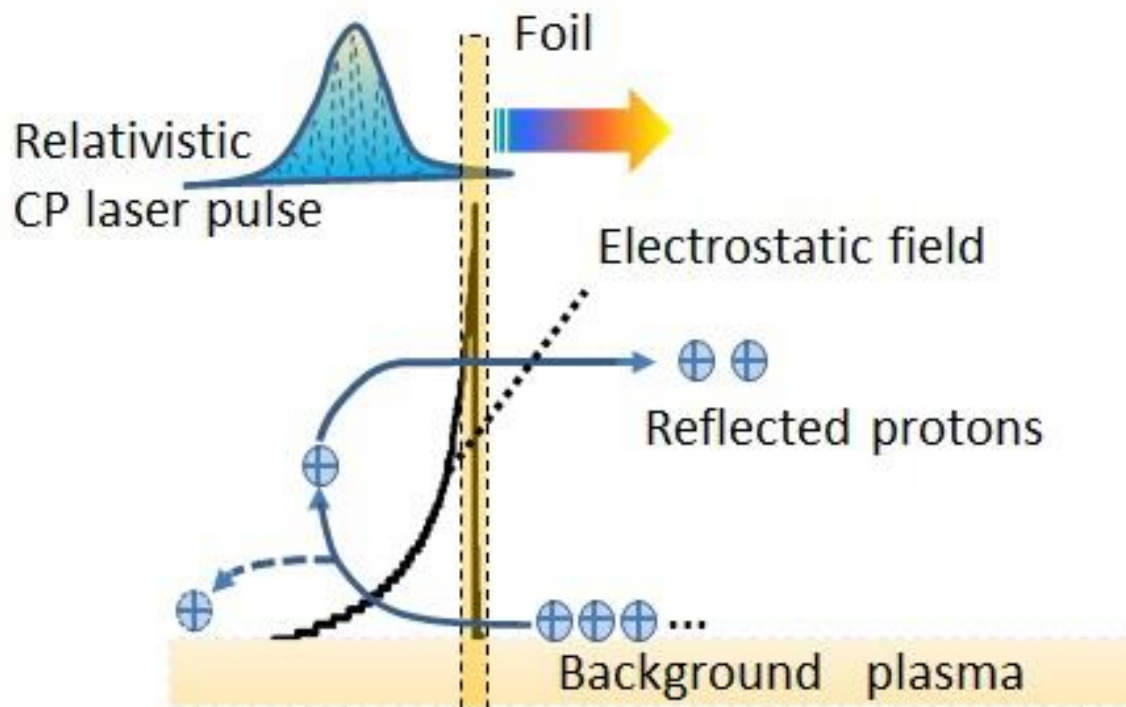
$$p + \frac{2}{3}(p^3 + \gamma^3) = 2a^2 \omega t + \frac{2}{3}$$

Required laser power  
scales as  $\gamma^3$  when  $\gamma \gg 1$   
Light Sail Acceleration  
does not work  
for highly relativistic ions



# Light Sail Drag Field Acceleration

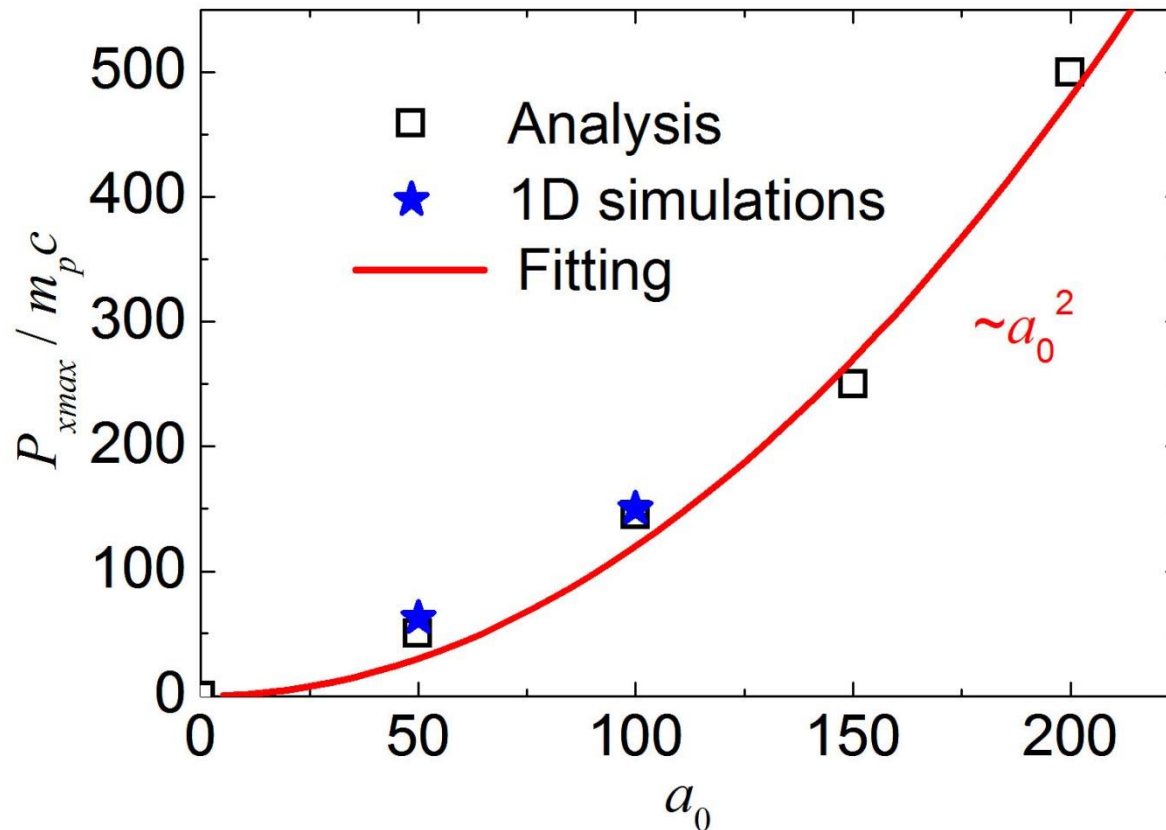
Ji, Pukhov, Shen, *New Journal of Physics* **16**, 063047 (2014)



**Lorentz boost**  
Reflected ions have  
 $4\gamma$  more energy  
than the foil ions

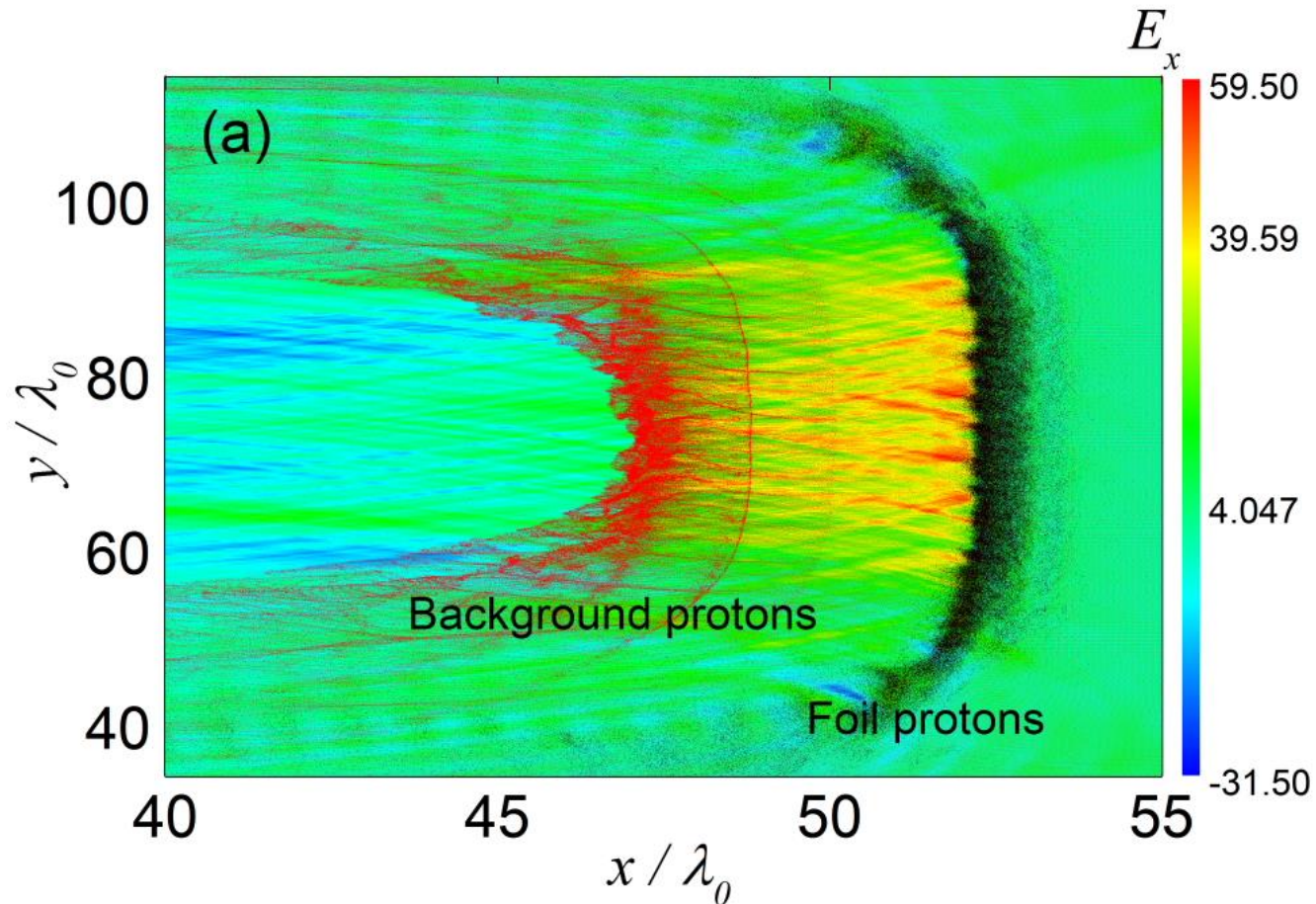
# Light Sail Drag Field Acceleration

Ji, Pukhov, Shen, *New Journal of Physics* **16**, 063047 (2014)



# Light Sail Drag Field Acceleration

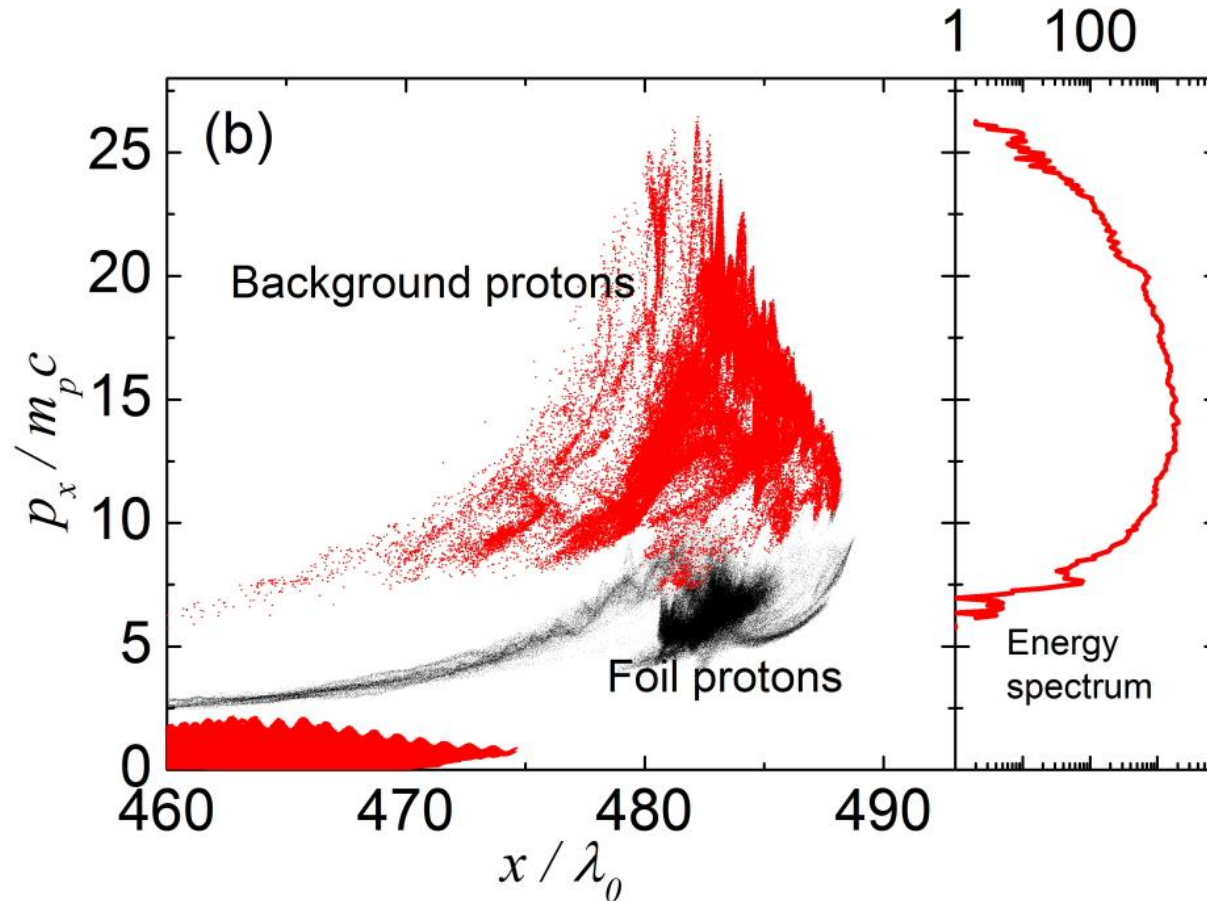
Ji, Pukhov, Shen, *New Journal of Physics* **16**, 063047 (2014)





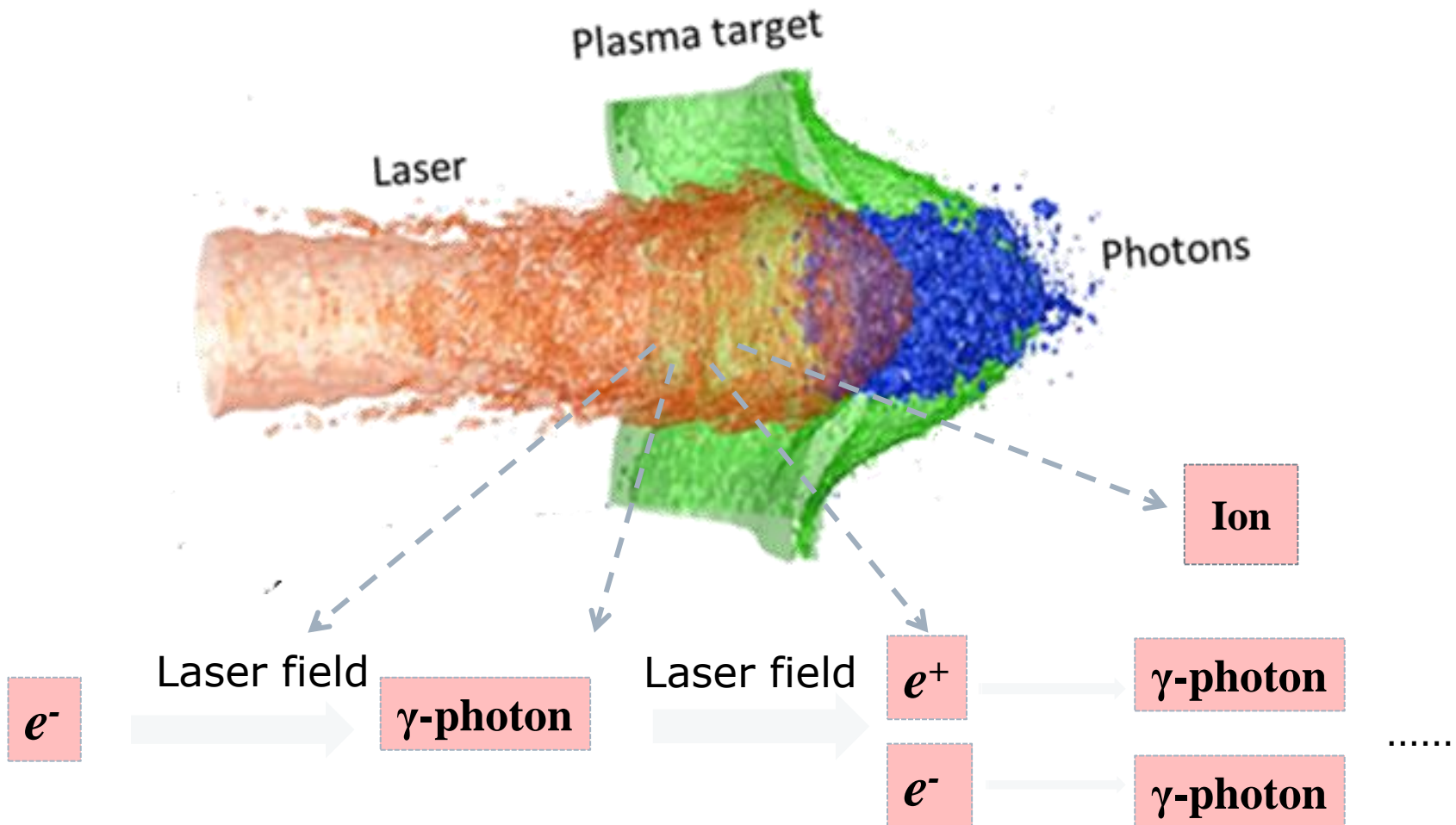
# Light Sail Drag Field Acceleration

Ji, Pukhov, Shen, *New Journal of Physics* **16**, 063047 (2014)



# ELI, iZEST, iCAN, XCELS:

## Laser-plasma interaction in the near-QED regime, $I > 10^{23}$ W/cm<sup>2</sup>.



# Relativistic Bremsstrahlung

## Classical Radiation Damping

The radiation reaction force  $\mathbf{F}_R$   
 nearly equals Lorentz force  $\mathbf{F}_L$  for  $a_0 \sim 300$

$$\mathbf{F} = e \left( \mathbf{E} + \frac{1}{c} \mathbf{v} \times \mathbf{B} \right) + \mathbf{F}_R = \mathbf{F}_L + \mathbf{F}_R$$

$$\mathbf{F}_R = -\frac{2e^4}{3m^2c^4} \gamma^2 \frac{\mathbf{v}}{c} \left[ \left( \mathbf{E} + \frac{1}{c} \mathbf{v} \times \mathbf{B} \right)^2 - \frac{1}{c^2} (\mathbf{E}\mathbf{v})^2 \right]$$

$$\left| \frac{\mathbf{F}_R}{\mathbf{F}_L} \right| = \frac{2}{3} k_0 r_e \gamma^2 \beta a_0$$

# Quantum Radiation Damping

---

The classical description fails when the photon energy becomes comparable with the electron energy

$$\frac{3}{2} a \gamma^2 h \omega_0 > \gamma m c^2$$

$$\chi = \frac{\gamma E \sin \theta}{E_{crit}}$$

This happens for  $a_0 > 400$

The maximum photon energy is limited at about  $0.2 \gamma m c^2$ .

- The energy distribution of the probability rate for photon emission by relativistic charged particles in an electromagnetic field:

$$\frac{dW_{rad}(\varepsilon_\gamma)}{d\varepsilon_\gamma} = -\frac{\alpha m^2 c^4}{\hbar \varepsilon_e^2} \left\{ \int_x^\infty Ai(\xi) d\xi + \left( \frac{2}{x} + \chi_\gamma \sqrt{x} \right) Ai'(x) \right\}$$

$$x = \left( \frac{\chi_\gamma}{\chi_e \chi_e'} \right)^{2/3} ; \chi_e' = \chi_e - \chi_\gamma \quad (0 < \chi_\gamma < \chi_e)$$

$$W_{rad} \approx 1.46 \frac{\alpha m^2 c^4}{\hbar \varepsilon_e} \chi_e^{2/3} \quad \chi_e \gg 1$$

- The energy distribution of the probability rate for direct pair creation by hard photons:

$$\frac{dW_{cr}(\varepsilon_e)}{d\varepsilon_e} = \frac{\alpha m^2 c^4}{\hbar \varepsilon_\gamma^2} \left\{ \int_x^\infty Ai(\xi) d\xi + \left( \frac{2}{x} - \chi_\gamma \sqrt{x} \right) Ai'(x) \right\}$$

$$\chi_e' = \chi_\gamma - \chi_e \quad (0 < \chi_e < \chi_\gamma)$$

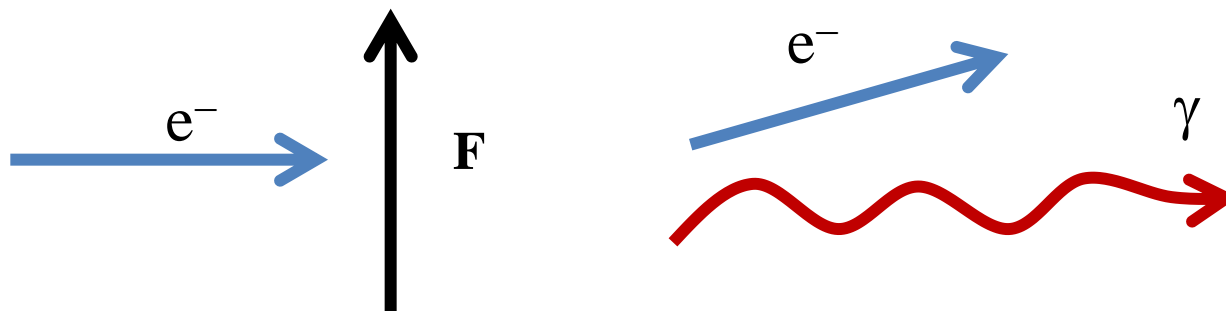
$$W_{cr} \approx 0.38 \frac{\alpha m^2 c^4}{\hbar \varepsilon_\gamma} \chi_\gamma^{2/3} \quad \chi_\gamma \gg 1$$

$$W_{cr} \propto \exp\left(-\frac{8}{3\chi_\gamma}\right) \quad \chi_\gamma \ll 1$$

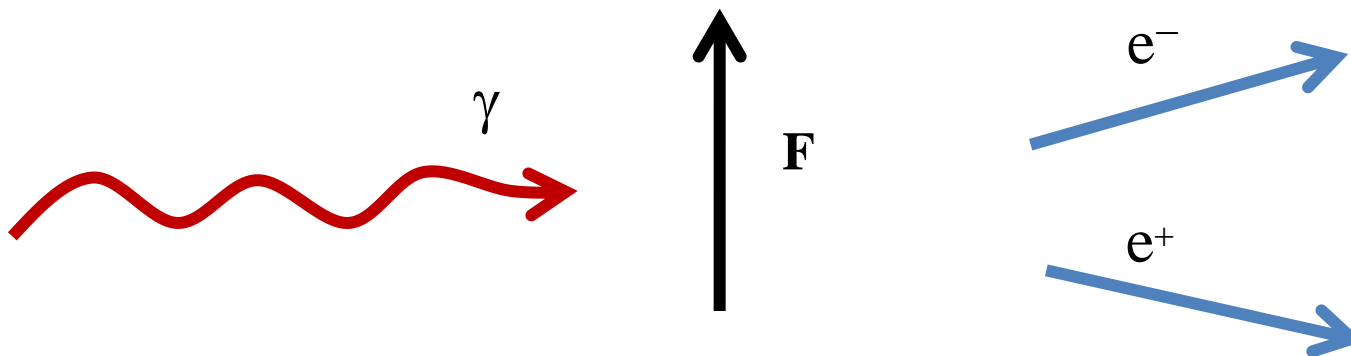
# QED in PIC: Monte-Carlo method

Two processes are included.

1.  $\gamma$ -photons emission in strong fields

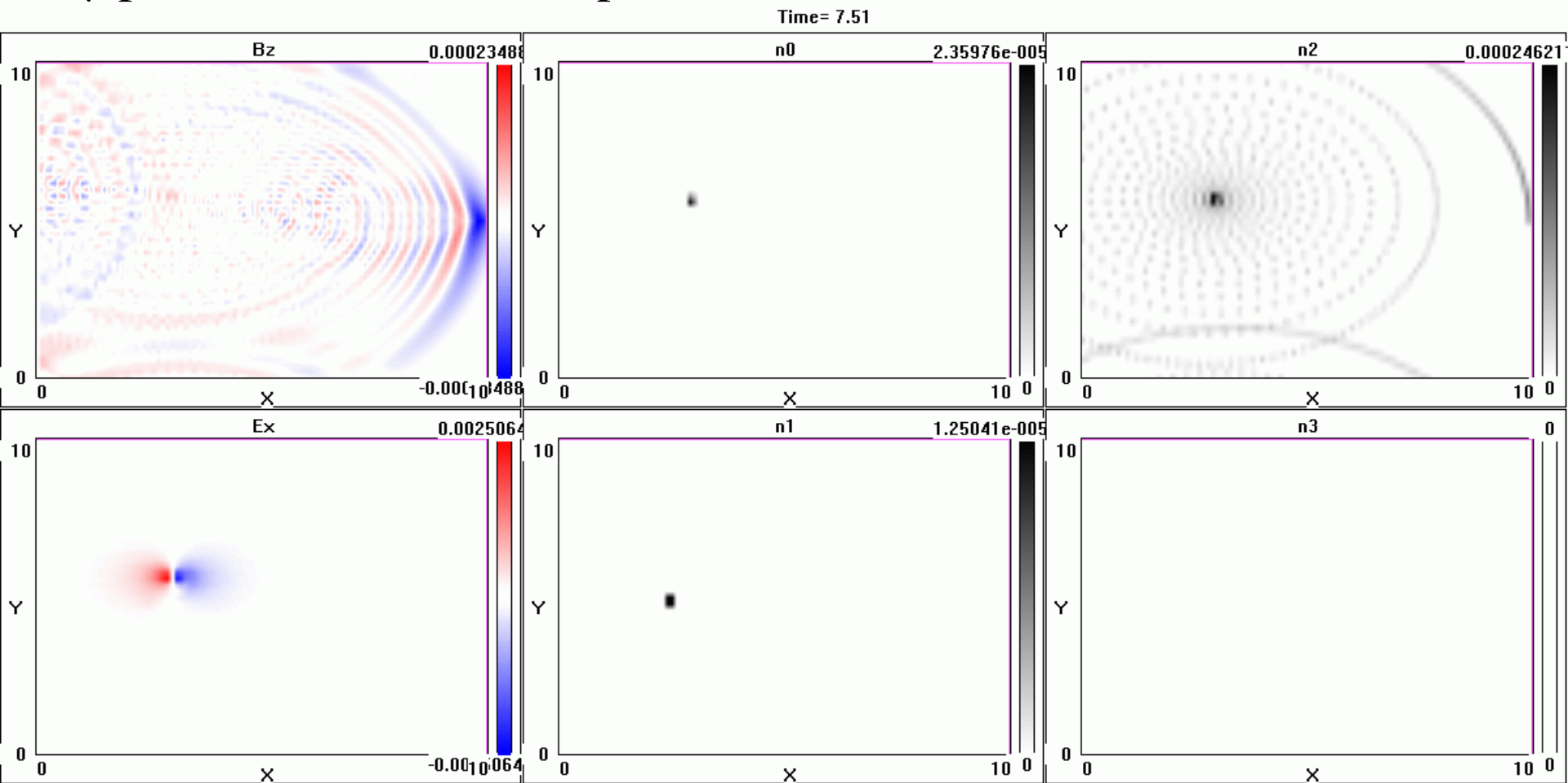


2.  $\gamma$ -photons decay in strong fields



# QED in VLPL: Monte-Carlo method

Example: GeV electron in  $5 \cdot 10^4$  T magnetic field  
 $\gamma$ -photons are tracked as particles in PIC





# Questions about near QED regime

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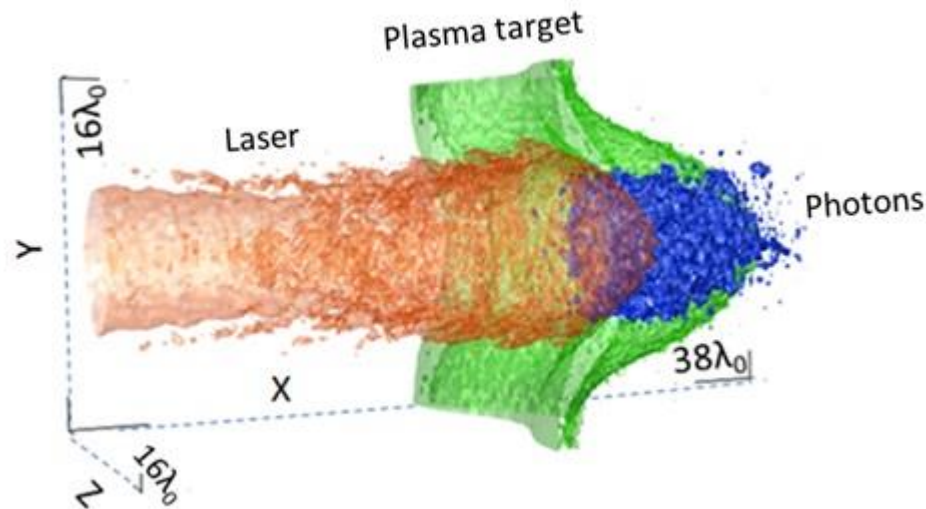
- How much energy goes to photons and positrons?
- With radiation reaction effect, how is the laser energy distributed between different species?
- Any unexpected phenomena?

# Simulation set up and parameters

---

Laser pulse duration: 54 fs, spot size:  $r_0 = 4 \mu\text{m}$

Intensity:  $3 \times 10^{21} - 4 \times 10^{24} \text{ W/cm}^2$ , linearly or circularly polarized



Bulk target: carbon (high density) or frozen hydrogen (low dense)

# Energy absorption channels

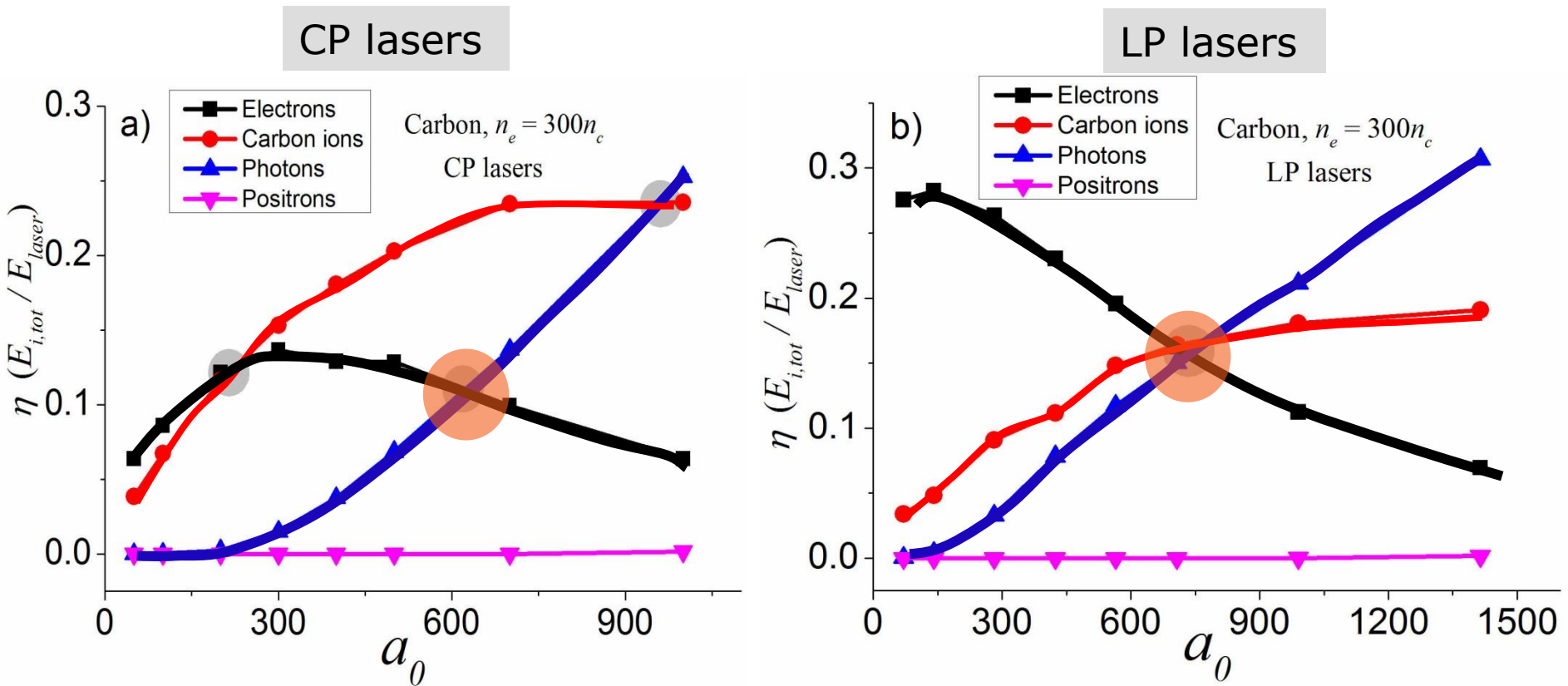
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Conversion efficiency for each plasma species  
as a function of laser intensity

- Electrons
- $\gamma$ -photons
- Ions (protons or C)
- Positrons
- Total absorption efficiency

$$\eta_i \equiv E_{i,tot} / E_{Laser}$$

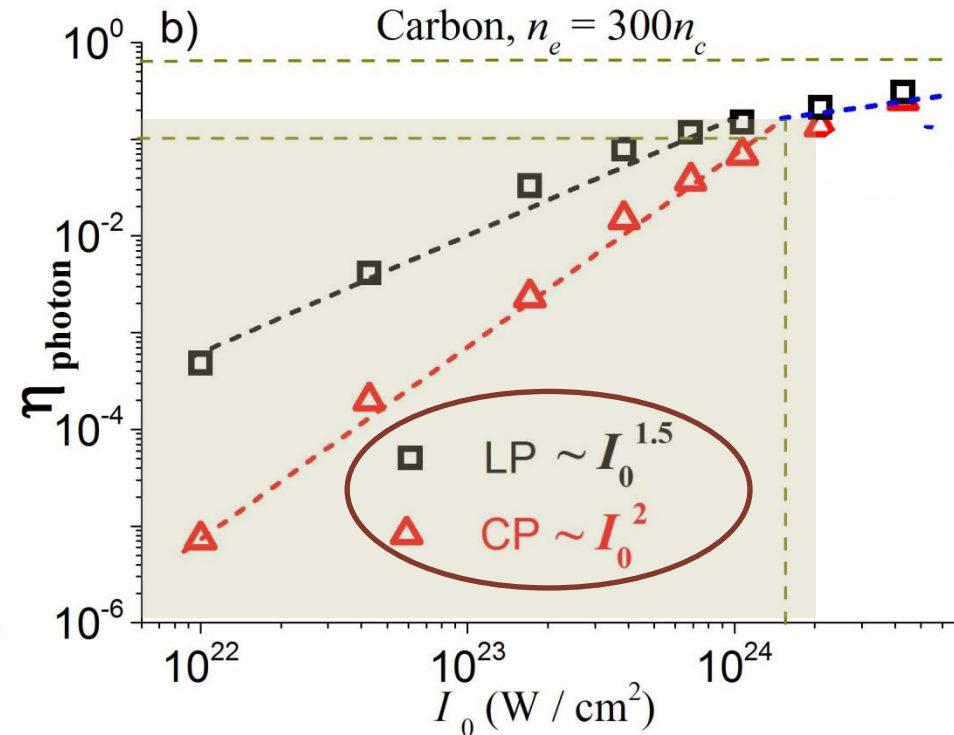
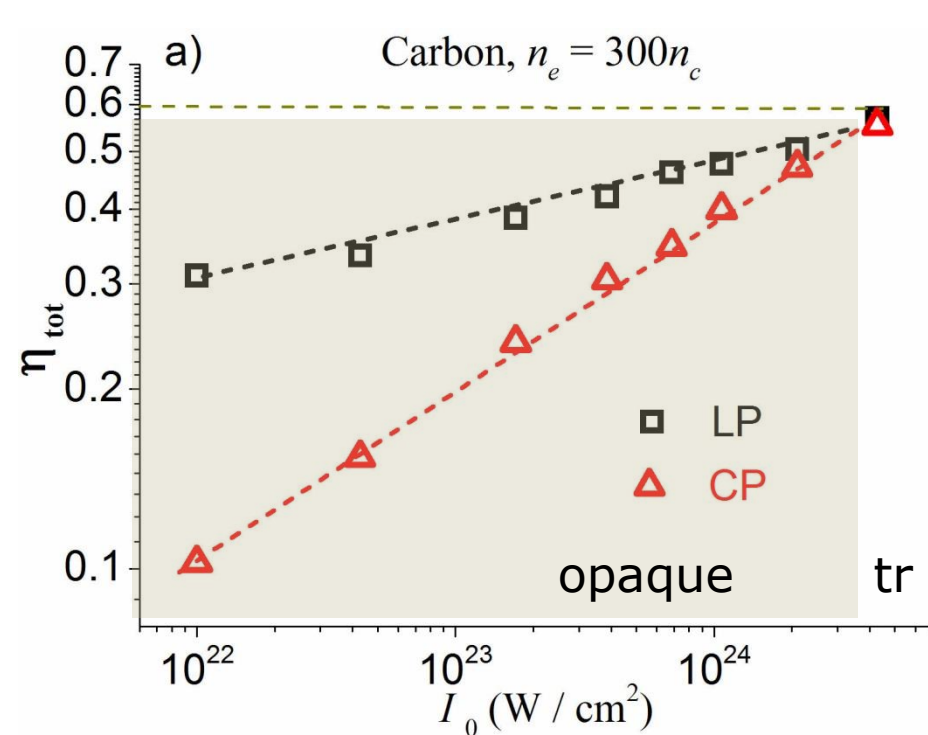
# Carbon target: absorption channels



# Carbon target: power laws

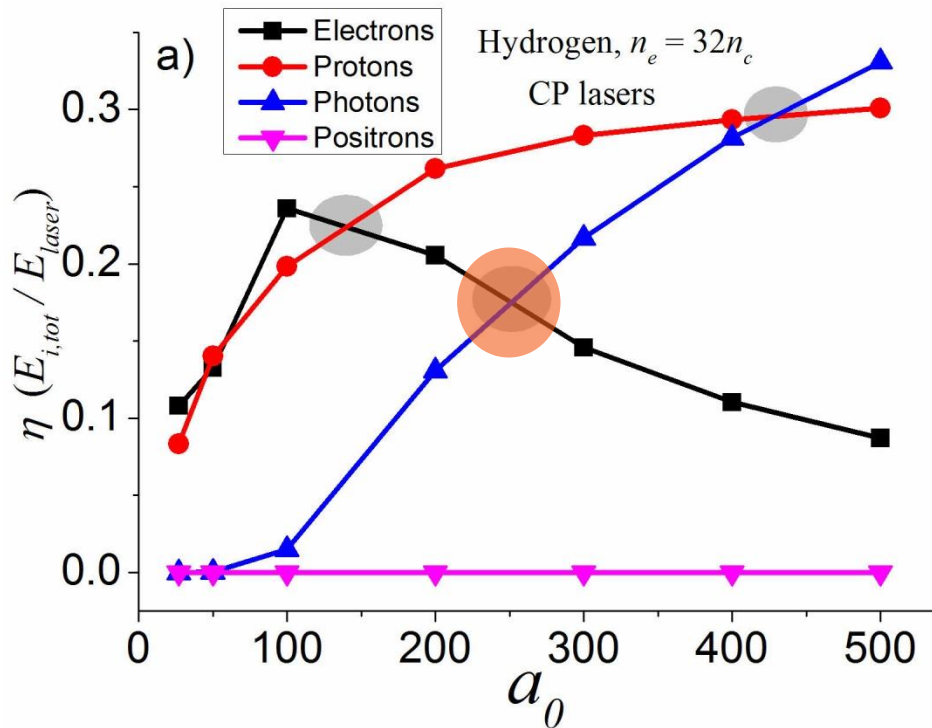
$$\eta_{tot} = \eta_{e^- + c^{6+} + \gamma + e^+}$$

Power-laws converge at  $I_0 > 10^{24} \text{ W/cm}^2$

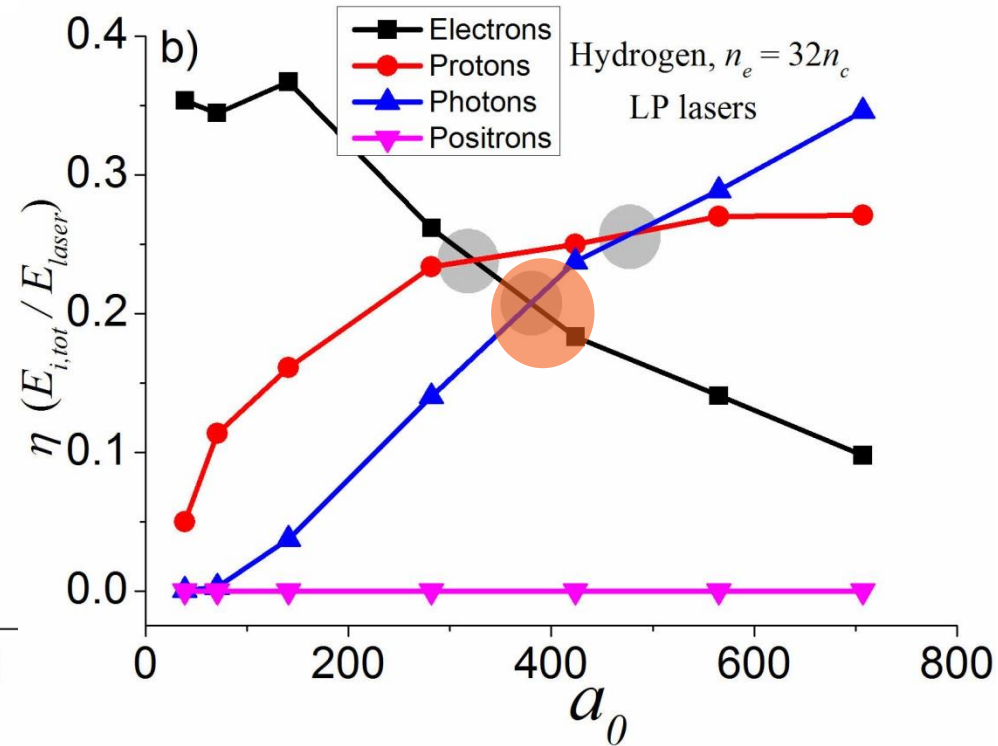


# Solid hydrogen target: energy absorption channels

CP lasers



LP lasers

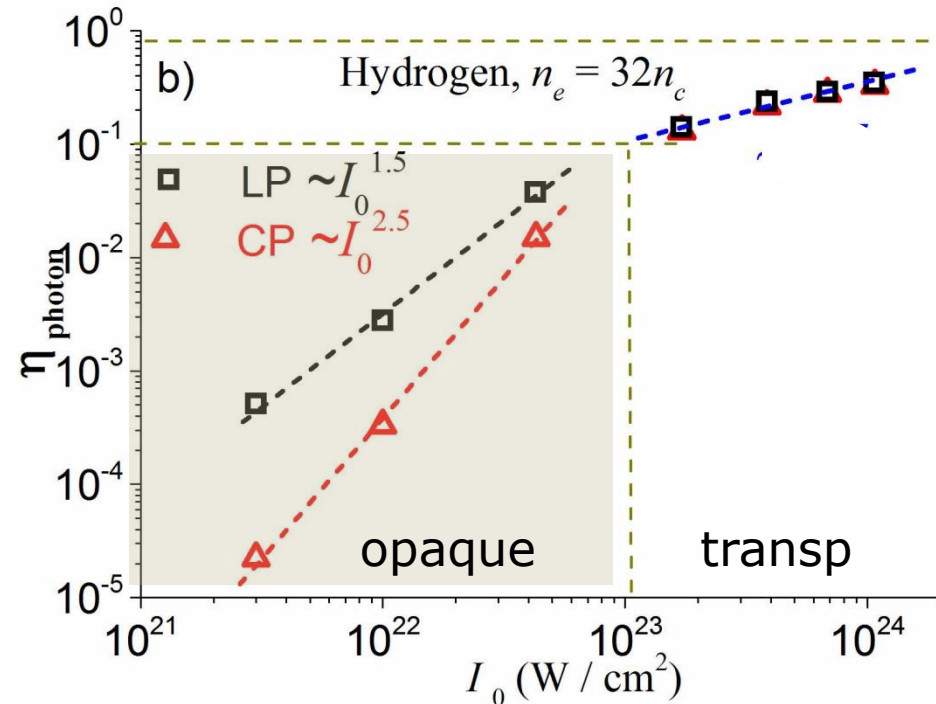
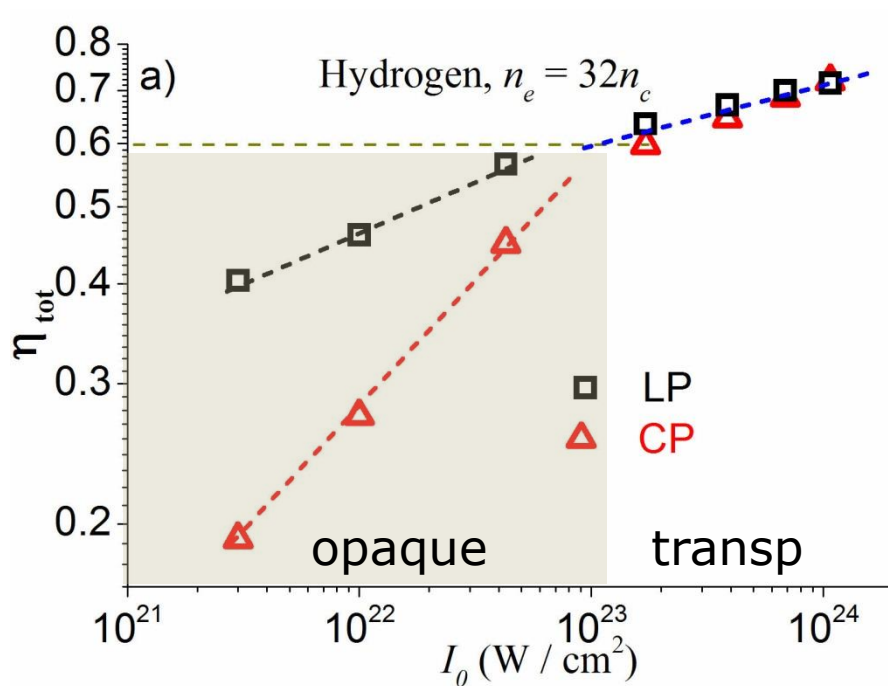




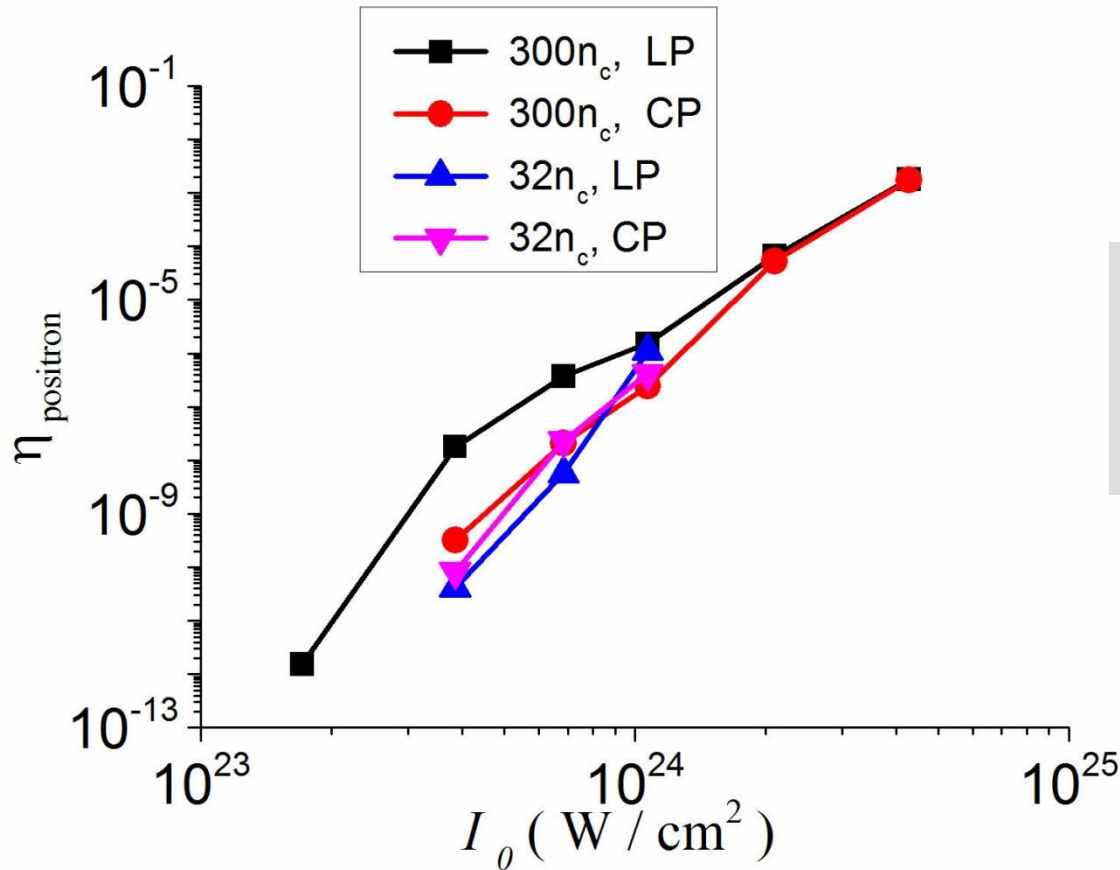
# Solid hydrogen target: power laws

$$\eta_{tot} = \eta_{e+p+\gamma+e^+}$$

Power-laws converge at  $I_0 > 10^{23} \text{ W/cm}^2$



# Positrons

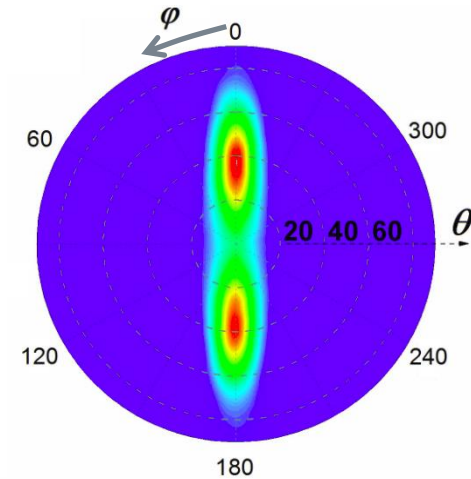
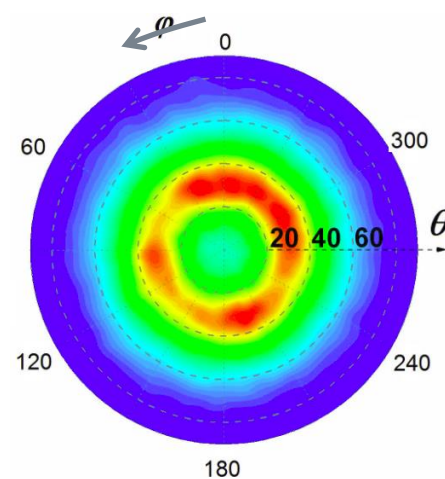
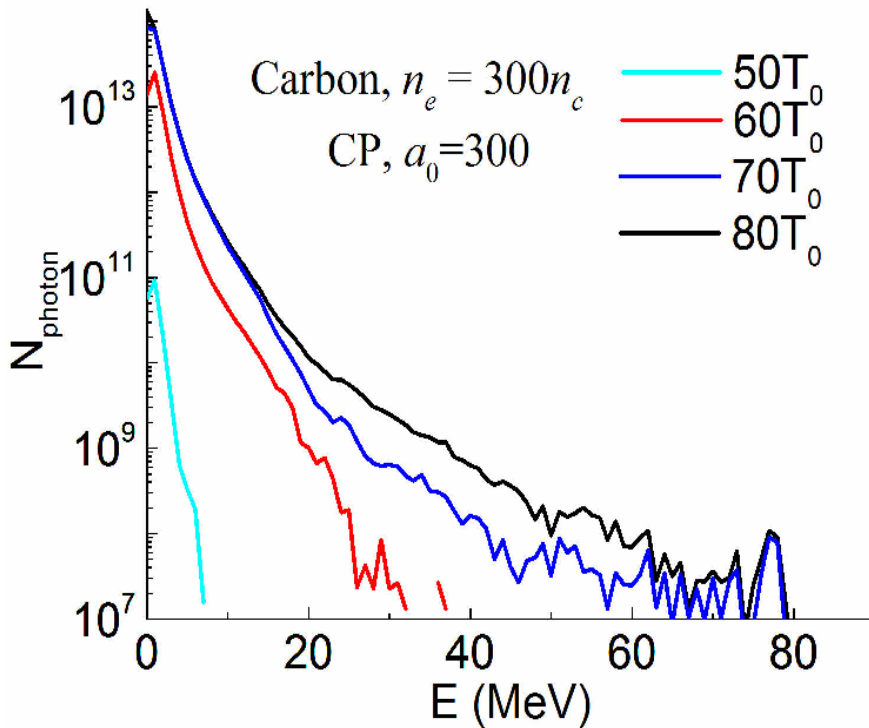


➤ Small below

$$I_0 < 10^{25} \text{ W/cm}^2$$

# Near-QED regime: plasma is an efficient $\gamma$ -ray source

$\eta_{\gamma, \max} \sim 35\%$



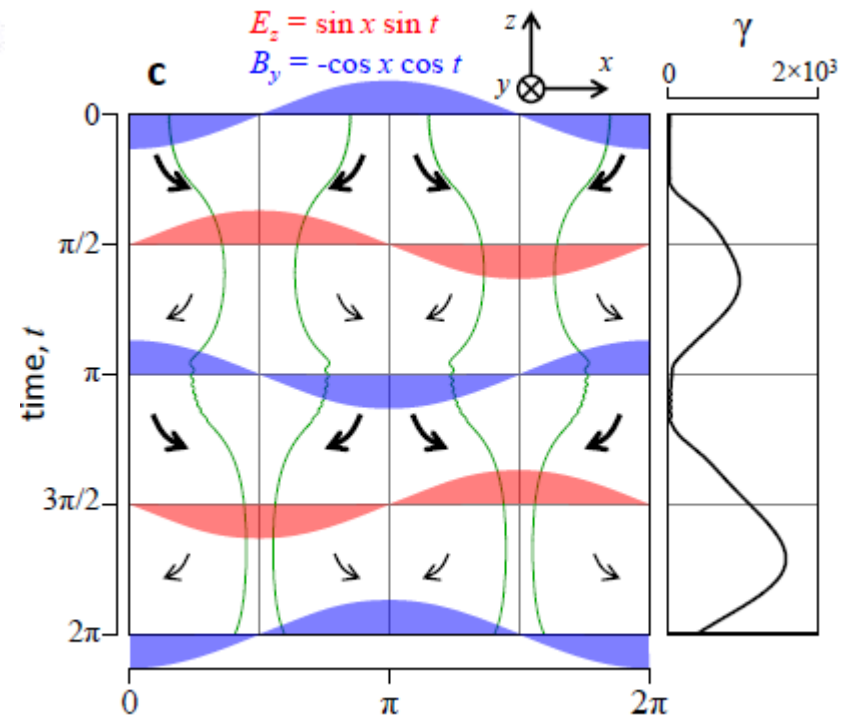
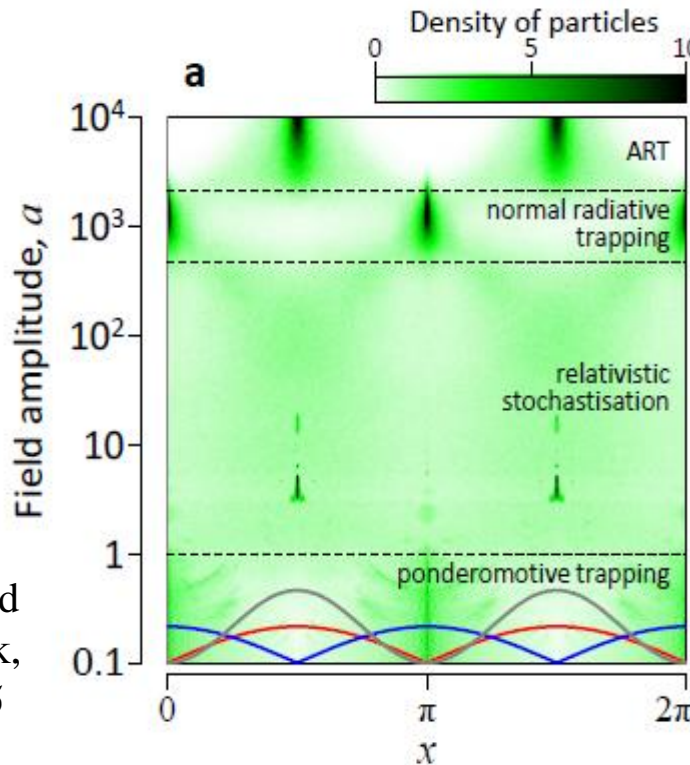
# Radiation trapping of electrons in standing wave

# Electron dynamics with radiation reaction

Radiation force, i.e. recoil at radiating hard photons at ultrarelativistic motion with acceleration, becomes of the order of the Lorentz force by the laser field. Particle trajectories acquire unusual properties that in turn results in new amazing gamma ray sources.

A. Gonoskov et al., arXiv: 1306.5734 [plasm-ph] PRL 2014

G. Lehmann and K. H. Spatschek, Phys. Rev. E 85 (2012) 056412

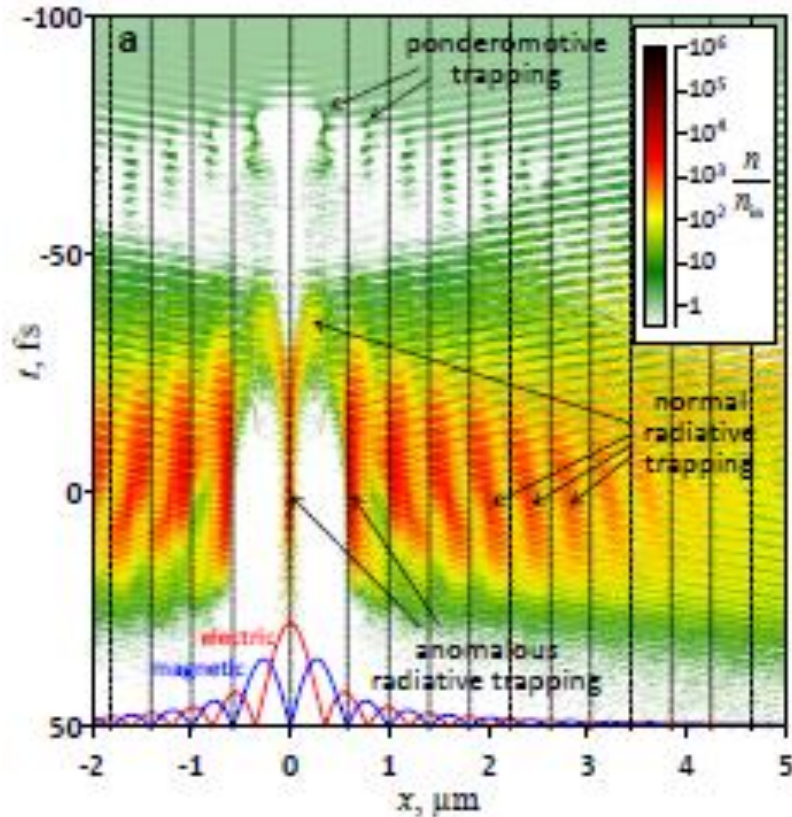


**Phenomenon of radiative trapping:** Electrons condense to minima (NRT) or or maxima (ART) of electric field

$$I_{th}^{NRT} \approx 5 \times 10^{23} \frac{W}{\text{cm}^2} \times \left( \frac{0.81 \mu\text{m}}{\lambda} \right)^{\frac{4}{3}}$$

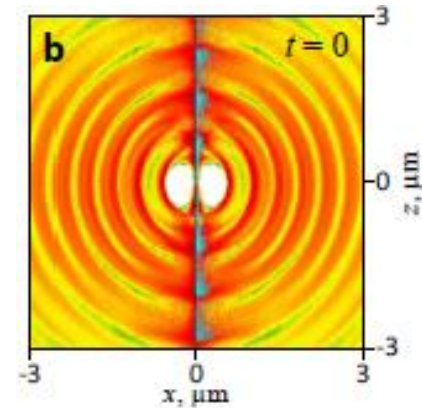
$$I_{th}^{ART} \approx 8 \times 10^{24} \frac{W}{\text{cm}^2} \times \left( \frac{0.81 \mu\text{m}}{\lambda} \right)^{\frac{4}{3}}$$

# Electron Trapping at Converging Dipole Wave Laser Focusing

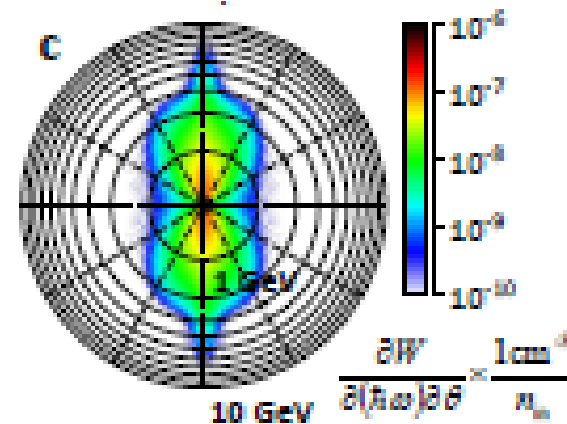


Electron density versus time and radius at 30 fs dipole wave laser pulse focusing with peak total power of 200 PW

A.V.Bashinov et al. Quantum Electronics 43(4),291 (2013),  
 A.Gonoskov et al. arXiv: 1306.5734 [plasm-ph], PRL 2014  
 17.03.2016



Density distribution at the instance of peak field strength; photons with energy exceeding 3 GeV are shown in cyan



Hard photon emission distribution as a function of angle and energy (radial coordinate, log scale). 0.1% of laser energy is converted to > 1 GeV photons

# Radiative trapping

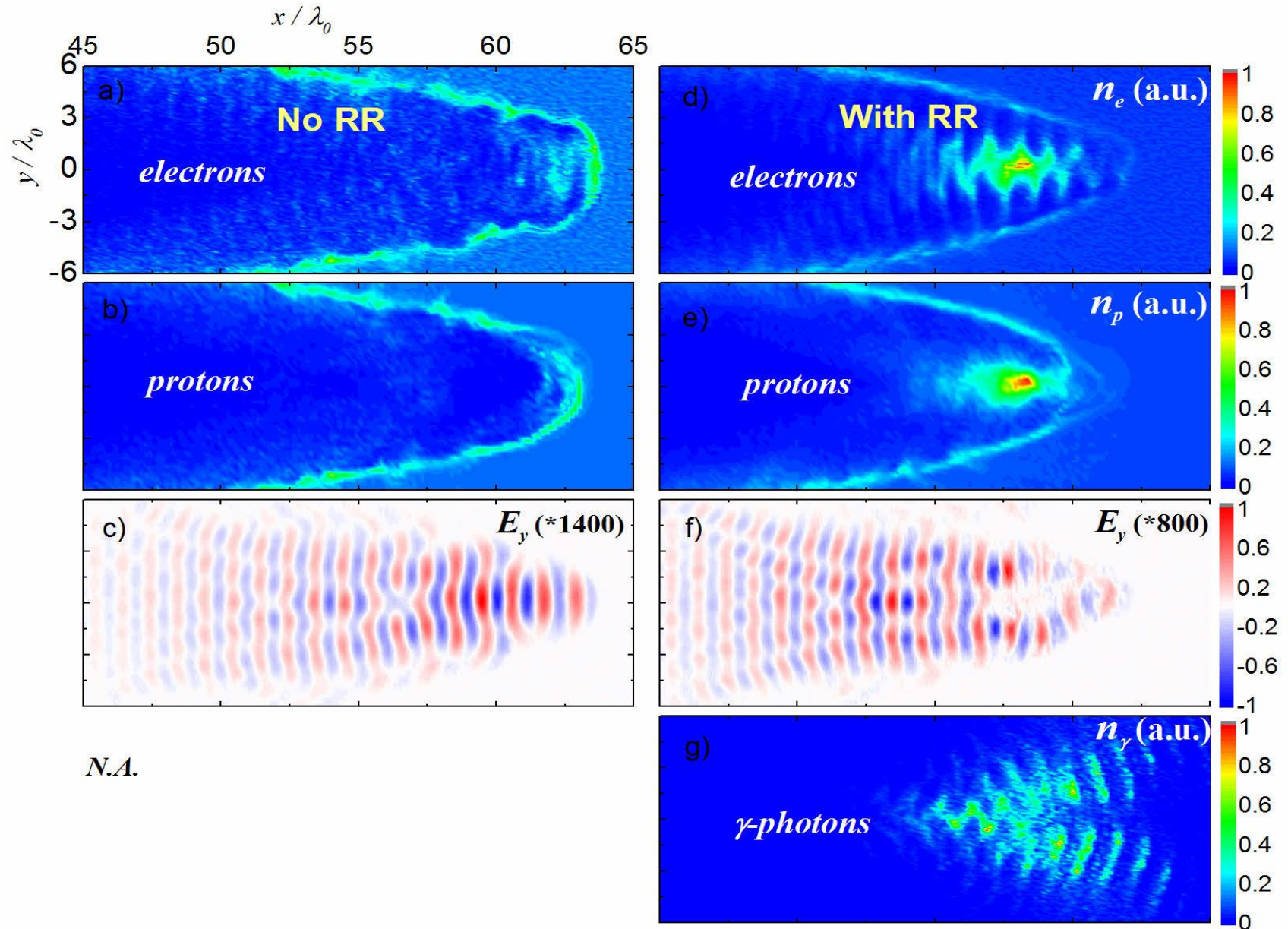
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L. Ji et al, PRL **112**, 145003 (2014)

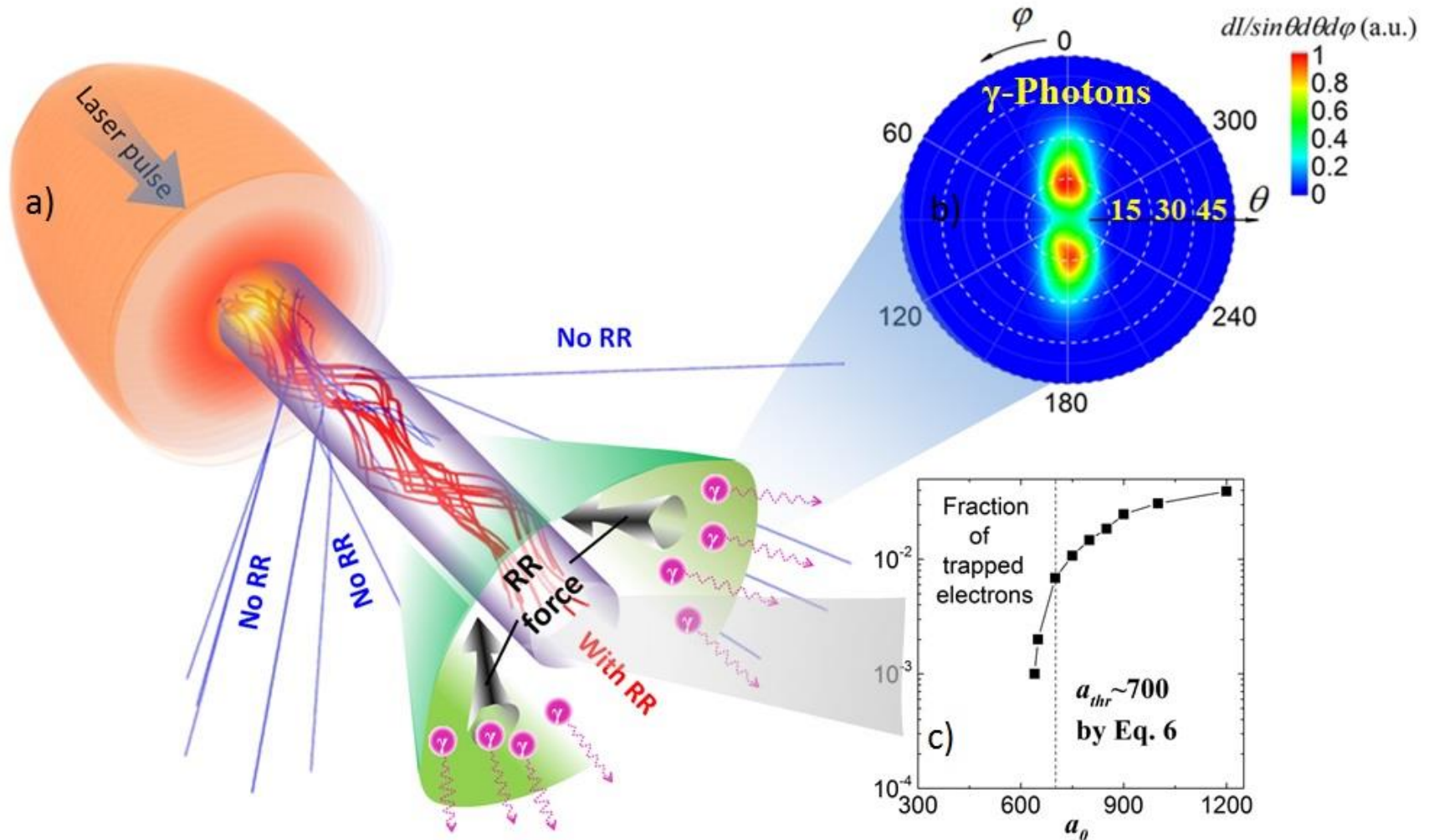
**Unexpected:  
radiative trapping  
in a plasma channel**



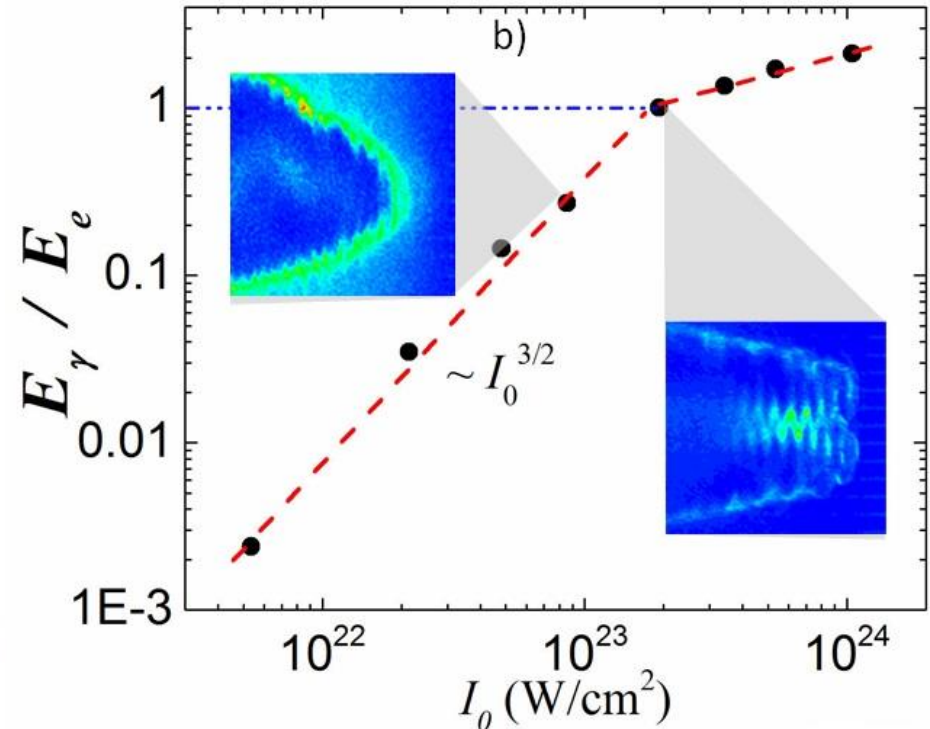
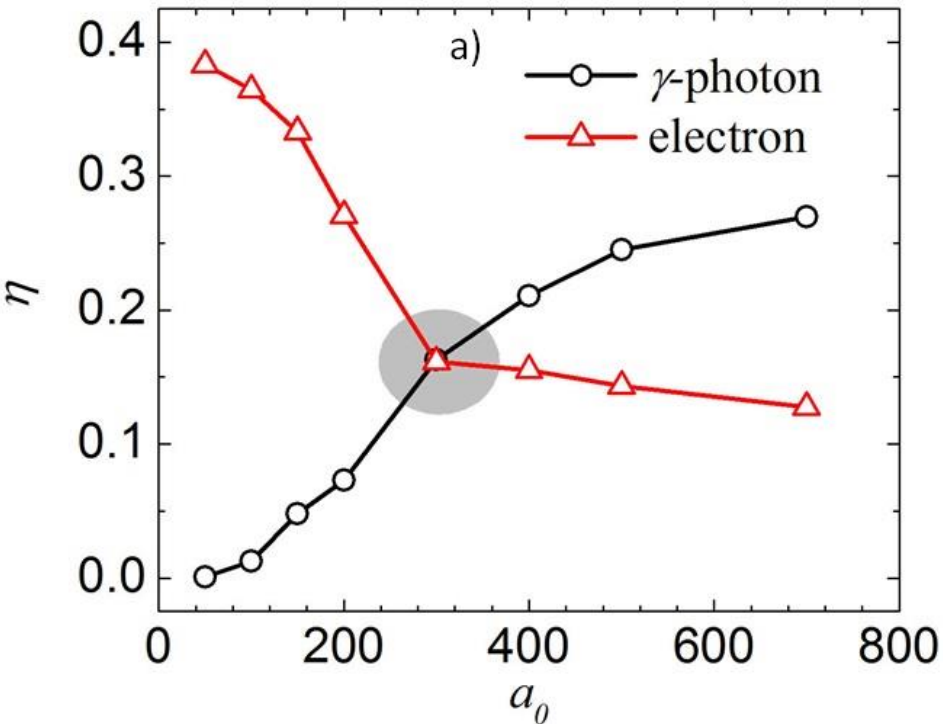
# Radiative trapping in a channel



# Physics of radiative trapping

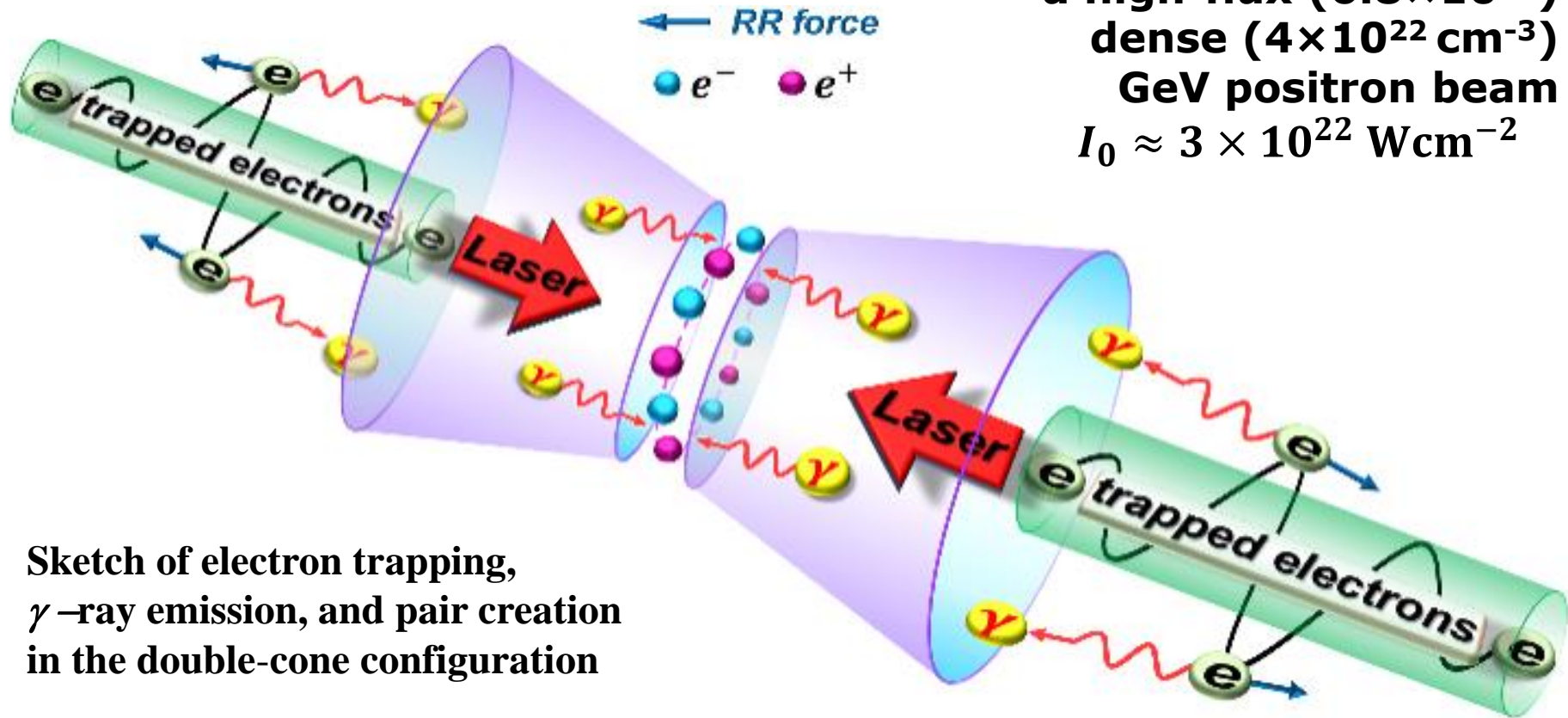


# Radiation trapping: threshold behaviour



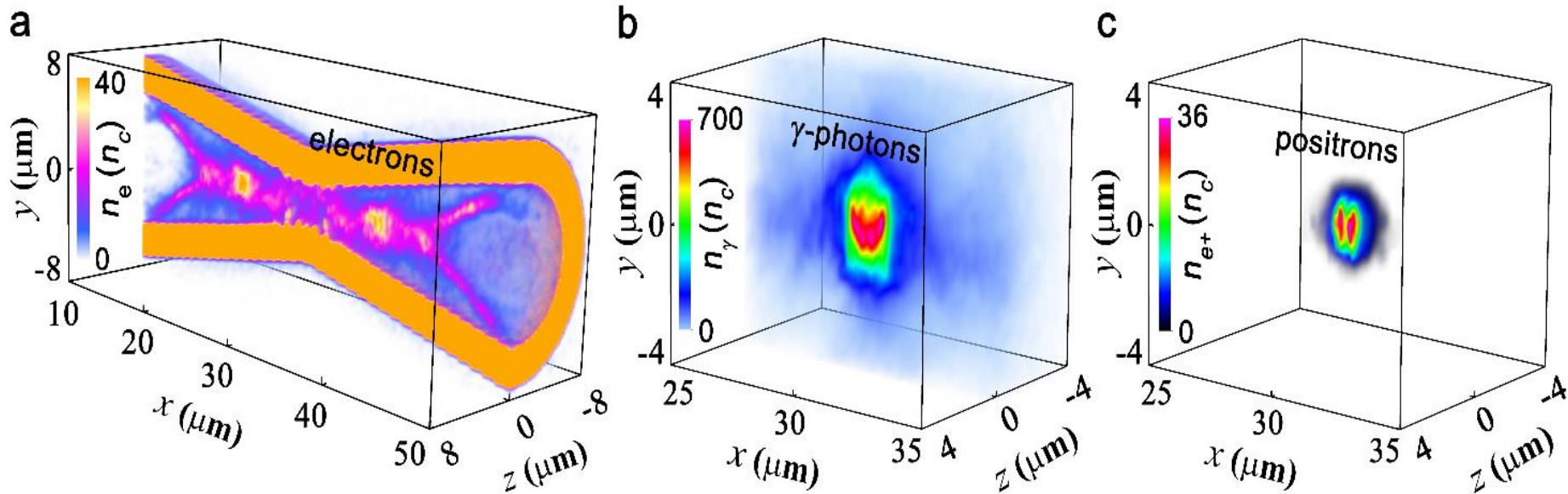


# Positron source with approachable lasers



Sketch of electron trapping,  
 $\gamma$ -ray emission, and pair creation  
in the double-cone configuration

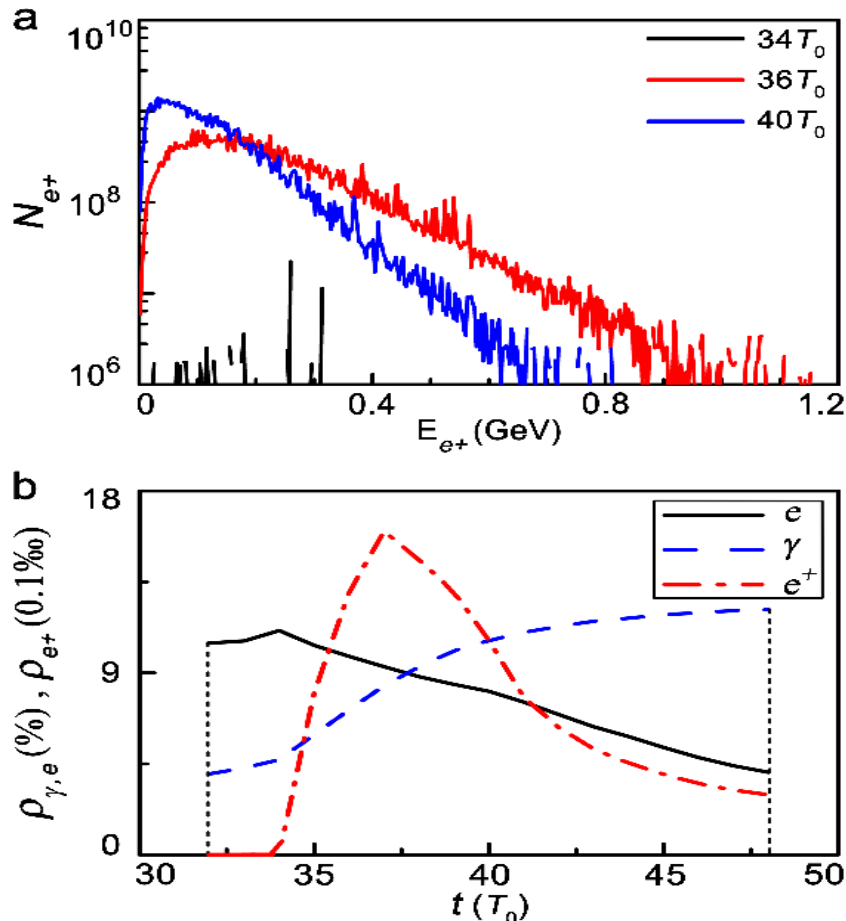
# Positron source with approachable lasers



A dense electron bunch is formed in the cone.

The emitted photons have effective temperature of tens MeVs density up to  $10^{24} \text{ cm}^{-3}$ . Copious positrons are created in the cone with an density as high as  $36n_c$ .

# Positron source with approachable lasers

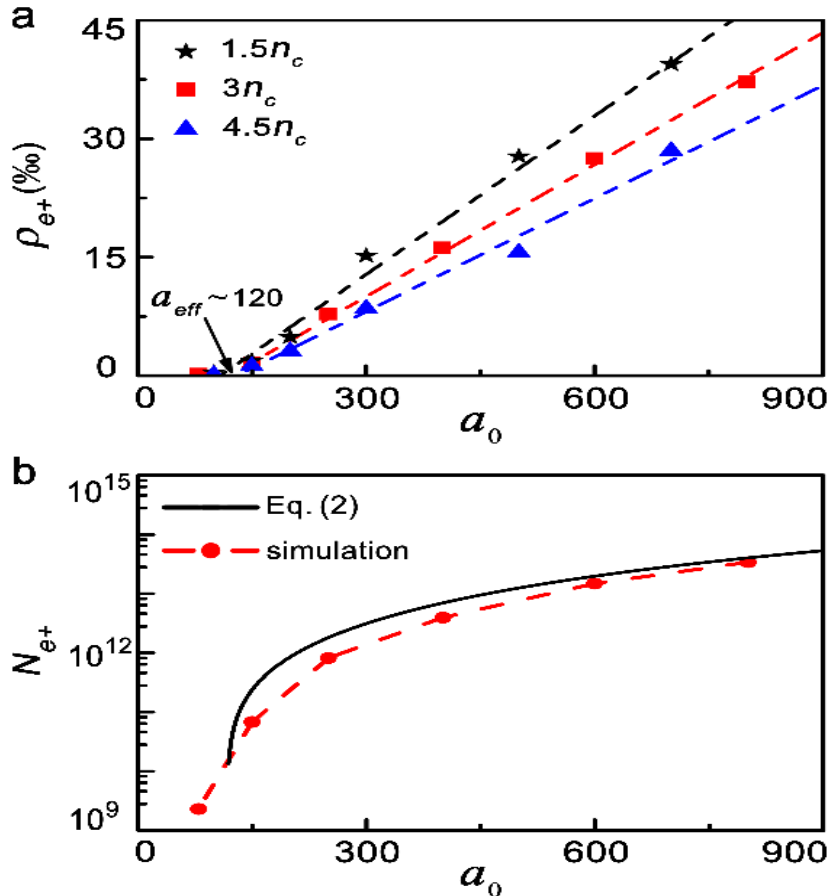


## Evolution of positron energy spectra and laser energy conversion efficiency.

At  $t=40T_0$ , the positron energy decreases significantly because the positrons also emit photons and lose energy.

The electron energy increases at first, then decreases linearly by radiating photons, and is finally deposited in positrons and photons.

# Positron source with approachable lasers



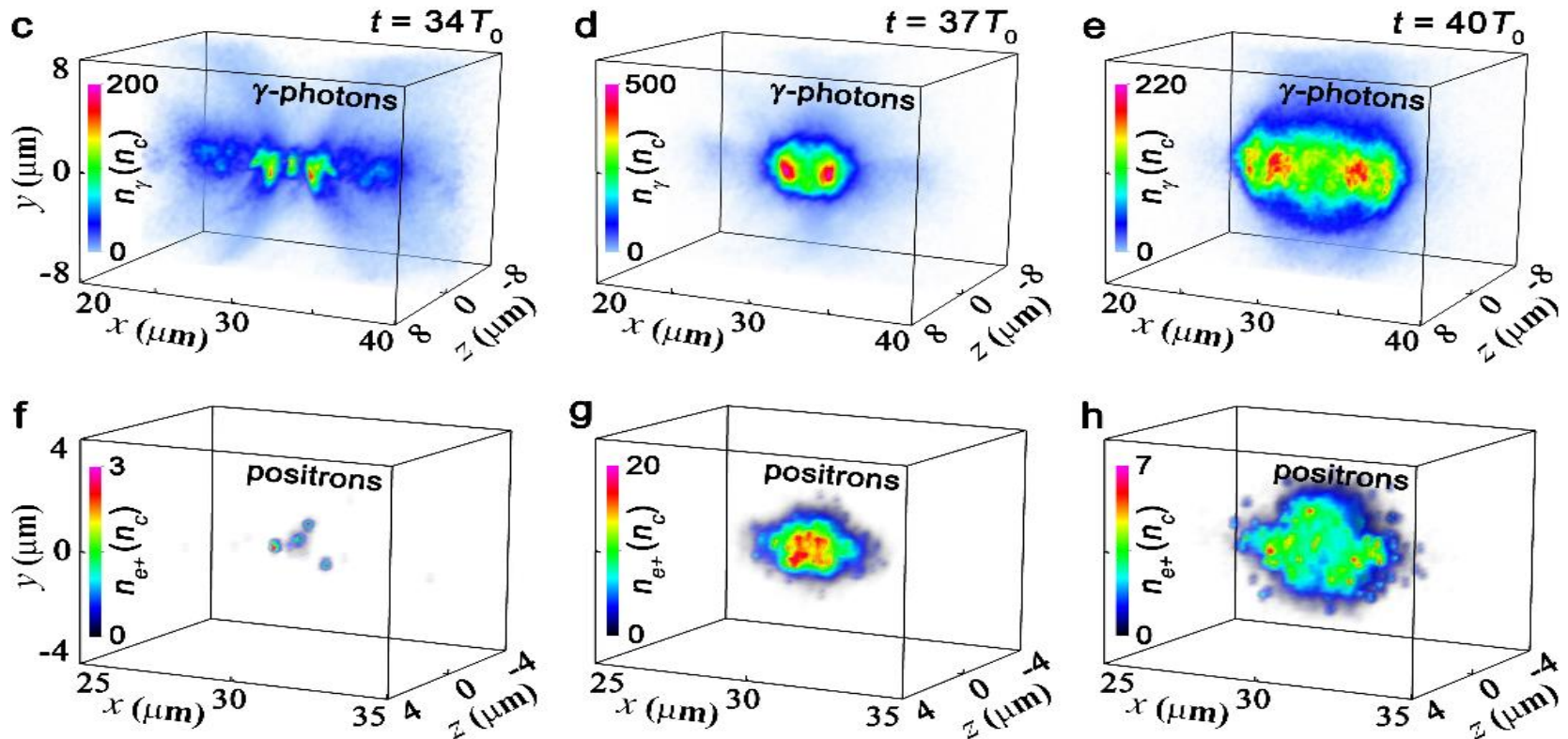
## Results of theoretical predictions and simulations.

**a**, The laser energy conversion efficiencies to positrons with different laser intensities and NCD plasmas. There exists a laser threshold intensity,  $a_{eff} \sim 120$  for efficient positron production.

**b**, The positron yield based on analytics and PIC simulations.

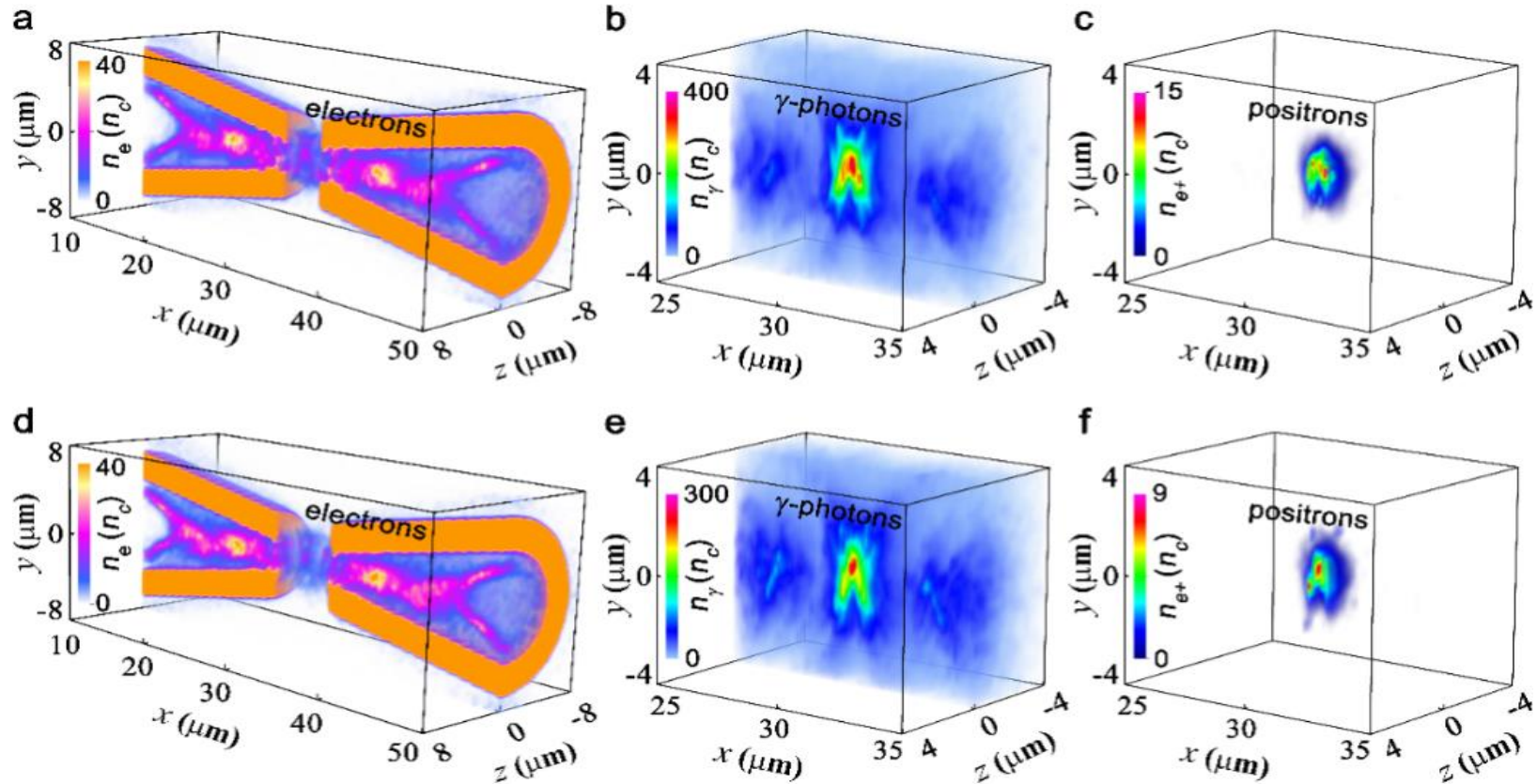


# Positron source with approachable lasers



Density evolution of photons and positrons.

# Tunability of the positron source



Simulation results with a short space between the double cones.

# Summary

- Novel interaction physics in engineered targets
- 3D simulations of absorption channels  
in the near QED regime.
- Two interaction regions are distinguished:  
the opaque region and relativistic transparent region.
- Radiative trapping of electrons is revealed.
- Abundant positron source with next gen lasers